# Extra Project 13.5a: Vector Algebra, Lines and Planes

## Objective

The objective of this project is to illustrate how Maple can be used to perform vector algebra.

### Narrative

If you have not already done so, read Sections 13.2–13.5 in the text.

#### Tasks

Type the command lines in the left-hand column below into Maple in the order in which they are listed. The effect of each command is described in the right-hand column for your reference. Your lab report will be a hard copy of your typed input and Maple's responses.

>	# Project 13.5a: Vector	Algebra, Lines and Planes
>	restart: with(linalg):	Load Maple's Linear Algebra package
>	u := vector([3,-5,4]);	Let $\mathbf{u} = \langle 3, -5, 4 \rangle$ .
>	u;	What is $\mathbf{u}$ ?
>	evalm(u);	What is $\mathbf{u}$ ?
>	u[1];	What is the first entry of $\mathbf{u}$ ?
>	<pre>v := vector([1,2,-3]);</pre>	Let $\mathbf{v} = \langle 1, 2, -3 \rangle$ .
>	w := u+v;	Let $\mathbf{w} = \mathbf{u} + \mathbf{v}$ .
>	<pre>evalm(w);</pre>	What is $\mathbf{w}$ ?
>	2*u;	Multiply <b>u</b> by 2.
>	<pre>evalm(%);</pre>	What is $2\mathbf{u}$ ?
>	<pre>dotprod(u,v);</pre>	What is $\mathbf{u} \cdot \mathbf{v}$ ?
>	norm(u,2);	What is $  \mathbf{u}  $ ?
>	<pre>angle(u,v);</pre>	What is the angle between $\mathbf{u}$ and $\mathbf{v}$ (in radians)?
>	<pre>evalf(%);</pre>	OK, give it to me as a real number!
>	<pre>crossprod(u,v);</pre>	What is $\mathbf{u} \times \mathbf{v}$ ?
>	w := t*u+v;	Let $\mathbf{w} = t\mathbf{u} + \mathbf{v}$ .
>	r := evalm(w);	Let $\mathbf{r}$ be the vector-valued function defined by $\mathbf{w}$ .
>	<pre>x := unapply(r[1],t);</pre>	Let $x$ be the first component of $\mathbf{r}$ .
>	<pre>y := unapply(r[2],t);</pre>	Let $y$ be the second component of $\mathbf{r}$ .
>	<pre>z := unapply(r[3],t);</pre>	Let $z$ be the third component of $\mathbf{r}$ .
>	r := `r`;	Reestablish $r$ as a variable.
>	<pre>r := vector([x,y,z]);</pre>	Let <b>r</b> be the vector whose components are $x, y$ , and $z$ .
>	<pre>dotprod(u,r-v)=0;</pre>	This is the general equation of the plane passing
		through $P(\mathbf{v})$ whose normal vector is $\mathbf{v}$ .
>	z = solve(%, z);	This is the $z = f(x, y)$ form of equation of the plane
		passing through $P(\mathbf{v})$ whose normal vector is $\mathbf{v}$ .

### Comments

Observe that Maple can view and handle vectors both as objects and as arrays.