Futures markets

Futures and Forwards

- Forward an agreement calling for a future delivery of an asset at an agreed-upon price
- Futures similar to forward but feature formalized and standardized characteristics
- Key difference in futures
 - Secondary trading liquidity
 - Marked to market
 - Standardized contract units
 - Clearinghouse warrants performance

Key Terms for Futures Contracts

- Futures price agreed-upon price at maturity
- Long position agree to purchase
- Short position agree to sell
- Profits on positions at maturity
 Long = spot minus original futures price
 Short = original futures price minus spot

Figure 22.1 Futures Listings

_		1	l fhursda	y, Marc	h 30, 2	006				OPEN	HIGH	LOW	SETTLE	CHG	LI High	FETIME LOW	OPEN Int
Ag	ricul						FTIME	OPEN	In	teres	t Ra	te Fi	uture)s			
Cor	OPEN n (CBT)-5	HIGH 000 but o	LOW ents ner h		CHG	HIGH	LOW	INT		asury							
May July	224.00 235.00	228.00 239.00	223.75 234.75	227.75 238.75	3.50 3.25	276.50 279.00	208.75 217.25	421,628 270,275	June Sept Tre	109-22 109-20 asury	109-28 109-20	108-26 108-26	109-07	-16 -16	117-24 115-16 k of 100%	108-26 108-26	624,046 2,978
SO) May July	581.50 595.00	(CBT)-5,0 589.00 601.25	00 bu; cen 581.00 593.00	ts per bu. 587.75 601.00	5.25 5.75	742.00 736.00	530.25 535.00	179,961 92,435	June Sept	106-210 106-160	106-240 106-210	106-040 106-065	106-100 106-110	-9.5 -10.5	110-130 109-280	106-065	1,960,846 65,241
May July	178.70 180.80	181.00 182.80	178.00 180.10	179.40 181.60	.70 .70	230.50 227.00	164.80 166.00	60,344 42,054	June Sept	104-180 104-195	104-215 104-195	104-095 104-120	104-125 104-120	-5.5 -6.0	106-220	104-095 104-120	1,160,470 9,448
So) May July	22.97 23.40	OII (CI 23.25 23.64	T)-60,000 22.83 23.25	lbs; cents 23.17 23.57	per Ib. .20 .17	26.35 25.55	20.00 20.25	100,486 52,456	Mar June		101-315	101-282	101-290 101-287	-1.5 -1.5	102-272 102-265	101-295 101-280	1,028 454,522
May July	860.00	837.00 865.00	830.00 858.00	836.00 864.00	er cwt. 4.50 6.00	901.00 921.00	719.00 738.00	5,196 2,642	30 Mar Apr	Day F 95.415 95.230	95.415 95.235		95.415 95.235)-\$5,000	,000; 100 96.285 95.985	- daily avg 95.400 95.230	93,351 174,852 Open
Who May July	341.25 354.25	T)-5,000 b 345.75 358.00	u; cents pe 340.25 352.50	er bu. 344.50 357.25	2.75 2.75	390.50 400.00	316.50 325.50	187,238 94,151	1	OPEN /Ionth	HIGH	LOW	SETTLE	CHG	YIELD	CHG	INT
Cat Apr June	80.750 74.800	Ve (CME 81.175 76.025)-40,000 80.525 74 700	bs; cents p 81.000 75.900	er Ib. .375 1.150	95.550 88.000	80.350 74 550	32,105 114 889	Apr May	95.1050 94.9750	95.1050 94.9750	95.0950 94.9575	95.0975 94.9650	0025 0050	4.9025 5.0350	.0025 .0050	22,165 41,500
Hog Apr June	57.400	58.300	40,000 lb 57.250 65.800	s; cents pe 58.125 66.750	r Ib. .625 .600	71.325 73.450	55.000 59.500	12,599 82,554	Apr June Sept	94.9600 94.8250 94.7700	94.9600 94.8400 94.7900	94.9450 94.7900 94.7150 94.7250	94.9500 94.7950 94.7250	0125 0300 0400	5.0500 5.2050 5.2750 5.2600	.0400	44,588 1,365,087 1,340,598 1,388,203
Por May July	k Bel 83.300 84.250	83.650	WE)-40,00 81.250 82.400	81.775	-1.925	99.900 99.900	73.850 75.300	1,093	Cu	irren	_	-		0400		ETIME	0PEN
Cof	fee (N	(BOT)-37,	500 lbs; ce	nts per Ib.						OPEN	HIGH	LOW	SETTLE	CHG	HIGH	LOW	INT
May July Sug	104.65 107.80 { ar-W	109.60 112.00 orid (N	104.50 107.40 YBOT)-112	108.60 111.40 2.000 lbs:	4.25 4.25 cents per	148.50 147.30	92.10 89.00	57,460 25,714	Jaj June Sept	0anes .8578 .8706	e Yen .8630 .8736	(CME)-¥1 .8568 .8678	2,500,000 .8614 .8721); S per 1 .0034 .0035	00¥ .9949 .9435	.8455 .8572	161,932 18,741
May July	18.08 18.09 nge J	18.48 18.40	18.09 18.09	18.27 18.21	.07 .09	19.65 18.71	7.65 7.70	208,762 112,000	Ca June Sept	naciia .8545 .8574	.8647 .8666	8544 .8574	.8634 .8657	,000; S p .0090 .0090	er CAD .8879 .8912	.7950 .7970	82,915 2,320
May July	147.00 144.00	150.25 146.70	146.55 144.00	148.75 146.05	1.30 1.35	151.50 147.80	95.30 98.00	22,737 7,860	Bri June Sept	1.7364 1.7438	ound 1.7502 1.7530	(CME)-£6 1.7361 1.7410	2,500; S p 1.7485 1.7511	er £ .0126 .0127	1.8120	1.7076	75,545 252
	tal &					res				iss Fr					8635	7/00	00.077
Apr May		250.60 249.40	246.50 243.58	250.35 248.45	s per Ib. 4.70 4.60	250.60 249.40	113.00 100.00	4,589 60,765	June Sept Au	.7697 .7835 stralia	.7781 .7852 an Do	.7695 .7822 Ilar (CA	.7771 .7842 (E)-AUD 10	.0075 .0076 00,000; \$.8134	.7633 .7712	88,067 252
Gol Apr June	d (CMX)- 572.60 578.00	587.40 592.00	z; \$ per tro 571.30 576.50	586.70 591.80	13.40 13.20	587.40 592.00	418.00 312.00	33,999 233.541	June Sept	.7055 .7090	.7150 .7140	.7055 .7069	.7140 .7132	.00/9	.7760 .7700	.7006 .7001	66,866 143
Aug Oct Dec Dr07	583.90 588.40 593.80 631.00	598.00 603.00 608.50 638.50	581.90 587.10 592.60 631.00	597.10 602.50 607.80 640.20	13.30 13.40 13.50 14.70	598.00 603.00 608.50 638.50	435.50 436.50 338.00 368.00	233,541 9,542 10,459 17,758 10,273	Apr June	exican 	.91250	.90550		.00275	.94950 .95000	.90700 .84500	20 43,780
Pla Apr July	tinum 1076.90	(NYM)-5 1095.00		5 per troy 1090.70	oz.	1095.00	815.00 985.00	889 8,243	June Sept	1.2087 1.2157	1.2230 1.2292	1.2081 1.2157	1.2213 1.2277	.0131 .0132	1.3795 1.2770	1.1798 1.1864	136,658 2,080
	er (CMX)-5,000 tr	oy oz; cnts	per troy o	oz.					dex F							
Apr May Cru	1114.0 1110.0 de Oi	1171.5	1114.0 1110.0 ht Sw	1161.8 1166.0 eet (N	54.5 54.5 (M)-1,00	1142.0 1171.5) bbls; \$ per	920.0 685.5 bbl.	150 83,288	DJ lune Sept	11266 11310	11320 11310	Avera 11172 11281	11204 11281)-\$10 × -63 -63	Index 11410 11445	10363 10891	37,753 58
May June July Dec Dc07	66.51 67.50 68.10 68.95 68.55	67.30 68.50 69.10 70.00 69.35	66.05 67.11 67.78 68.75 68.55	67.15 68.33 69.02 69.89 69.49	0.70 0.86 0.95 0.87 0.77	70.33 70.80 71.10 71.70 70.80	36.86 23.75 30.05 19.10 19.50	250,120 132,805 52,456 90,677 65,963	June Sept	ni DJ I 11265 11300	11320 11305	11172 11300	11204 11281	-63 -63	7)-\$5 × Ind 11413 11470	lex 10600 11300	66,550 10
Dc08 Hea	67.81 nting	67.81 Dil No	67.65 5. 2 (NY	68.20 M)- 42,00	0.68) gal; S p i	68.60 er gal.	19.75	38,881	June Sept	P 500 1310.30 1320.00	1319.00 1329.30	1305.00 1316.00	1307.50 1318.30	-2.60 -2.50	1321.30 1331.40	1080.00 1112.60	645,025 6,275
Apr May Gas	1.8542 1.8510 Sonlin	1.8890 1.8850 e-NY	1.8425 1.8396 Unlea	1.8843 1.8793 aded (.0323 .0299 NYM)- 42 .	2.1160 2.0300 000 gal; S p	1.0954 1.0600 er aal.	11,012 66,907	Mi June Sept	ni S&I 1310.50 1330.00	P 500 1319.25 1330.00	(CME)-S5 1304.75 1316.00	0 × Index 1307.50 1318.25	-2.50 -2.50	1321.50 1331.75	1261.25 1311.25	1,159,253
Apr May	1.9525 1.9050 ural (2.0025 1.9250	1.9465 1.8935	1.9957 1.9101	.0415 .0027	2.0760 2.0700	1.4475 1.4710	10,559 69,209		sdaq : 1720.50	100 (0	WE)-\$100	× Index	4.50	1791.50	1576.50	57,932
May June July Oct	7.480 7.680 7.839 8.244	7.562 7.748 7.925 8.290	7.370 7.580 7.760 8.150	7.487 7.674 7.859 8.252	.031 .033 .043 .051	11.266 11.285 11.300 11.390	3.571 3.601 3.580 3.732	108,520 30,745 27,545 38,076	June Sept	1757.0	1737.5 1757.0	1715.5 1736.5	1725.0 1744.5	4.5 4.5	1793.0 1757.0	1652.5 1693.5	275,210 74
Nov Ja07	9.409 11.034	9.440 11.060	9.300 10.850	9.330 10.890	051 141	11.765 12.600	3.950 4.823	28,423 46,332	Ru June	ssell : 714.50	1000 715.50				719.00	695.75	87,433

- The trader holding the long position
 - Purchase the good, profits from price increases
- Short position loss is equal to long position profit
- Profit to long = Spot price at maturity Original future price
- Profit to short = Original future price Spot price at maturity
- Zero sum game

Figure 22.2 Profits to Buyers and Sellers of Futures and Option Contracts

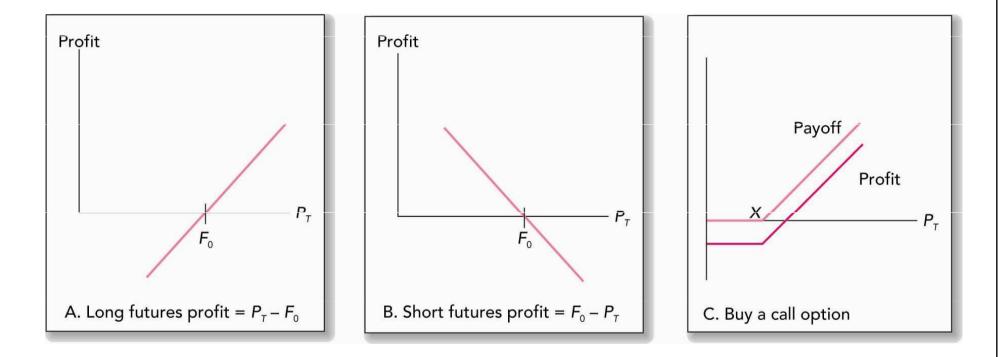
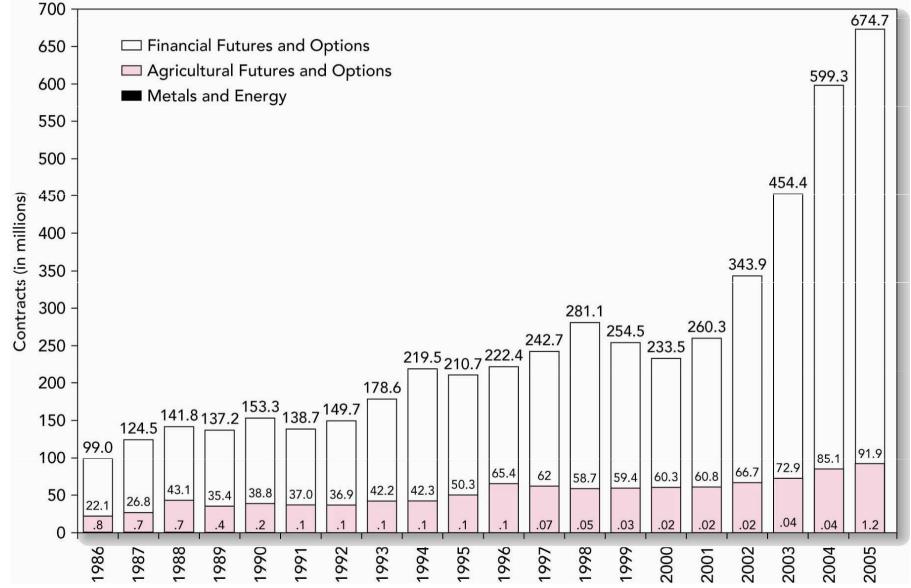


Figure 22.3 CBOT Trading Volume in Futures Contracts



Existing Contracts

- Variety of goods in 4 great categories
 - Agricultural commodities, metals and minerals, foreign currencies, financial futures
- Electricity or weather futures and option contracts
- Prediction market
- Forward market in foreign exchange

Table 22.1 Sample of Future Contracts

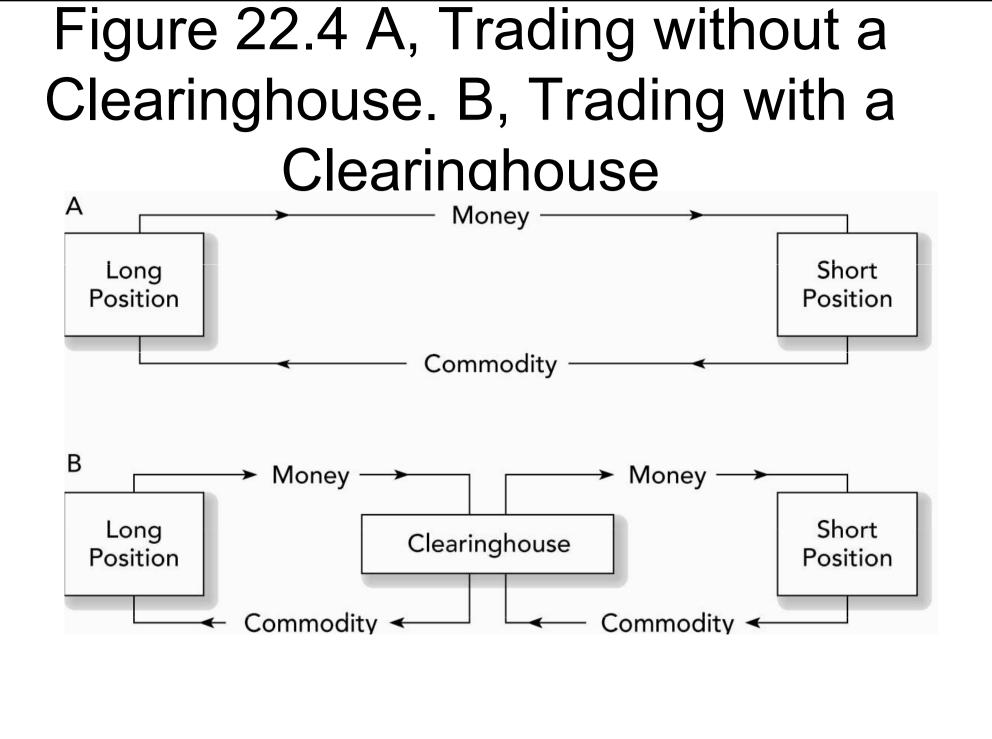
Foreign Currencies	Agricultural	Metals and Energy	Interest Rate Futures	Equity Indexes
British pound	Corn	Copper	Eurodollars	S&P 500 index
Canadian dollar	Oats	Aluminum	Euroyen	Dow Jones Industrials
Japanese yen	Soybeans	Gold	Euro-denominated bond	S&P Midcap 400
Euro	Soybean meal	Platinum	Euroswiss	Nasdaq 100
Swiss franc	Soybean oil	Palladium	Sterling	NYSE index
Australian dollar	Wheat	Silver	British government bond	Russell 2000 index
Mexican peso	Barley	Crude oil	German government bond	Nikkei 225 (Japanese)
Brazilian real	Flaxseed	Heating oil	Italian government bond	FTSE index (British)
	Canola	Gas oil	Canadian government bond	CAC-40 (French)
	Rye	Natural gas	Treasury bonds	DAX-30 (German)
	Cattle	Gasoline	Treasury notes	All ordinary (Australian)
	Hogs	Propane	Treasury bills	Toronto 35 (Canadian)
	Pork bellies	Commodity index	LIBOR	Dow Jones Euro STOXX 50
	Cocoa	Electricity	EURIBOR	Industry indexes, e.g.,
	Coffee	Weather	Euroswiss	Banking
	Cotton		Municipal bond index	Telecom
	Milk		Federal funds rate	Utilities
	Orange juice		Bankers' acceptance	Health care
	Sugar		Interest rate swaps	Technology
	Lumber			
	Rice			

TABLE 22.1

Sample of futures contracts

Trading Mechanics

- Eurex
- Globex
- Clearinghouse acts as a party to all buyers and sellers.
 - Obligated to deliver or supply delivery
 - Position = zero
- Closing out positions
 - Reversing the trade
 - Take or make delivery
 - Most trades are reversed and do not involve actual delivery
- Open Interest



Margin and Trading Arrangements

- Total profit or loss by long trader
 - Ft F0
- Short trader earn

– F0 - Ft

- Initial Margin funds deposited to provide capital to absorb losses
- Marking to Market each day the profits or losses from the new futures price are reflected in the account.
- Maintenance or variation margin an established value below which a trader's margin may not fall.

Margin and Trading Arrangements

- Margin call when the maintenance margin is reached, broker will ask for additional margin funds
- Convergence of Price as maturity approaches the spot and futures price converge
- Delivery Actual commodity of a certain grade with a delivery location or for some contracts cash settlement
- Cash Settlement some contracts are settled in cash rather than delivery of the underlying assets

Assume the current futures price for silver for delivery 5 days from today is \$14.10 per ounce. Suppose that over the next 5 days, the futures price evolves as follows:

Day	Futures Price
0 (today)	\$14.10
1	14.20
2	14.25
3	14.18
4	14.18
5 (delivery)	14.21

The spot price of silver on the delivery date is \$14.21: The convergence property implies that the price of silver in the spot market must equal the futures price on the delivery day.

The daily mark-to-market settlements for each contract held by the long position will be as follows:

Day	Profit (Loss) per	Ounce × 5,0	000 Ounces/Contract = Daily Proceeds
1	14.20 - 14.10 =	.10	\$500
2	14.25 - 14.20 =	.05	250
3	14.18 – 14.25 =	07	-350
4	14.18 – 14.18 =	0	0
5	14.21 – 14.18 =	.03	150
			Sum = \$550

The profit on Day 1 is the increase in the futures price from the previous day, or (\$14.20 - \$14.10) per ounce. Because each silver contract on the Commodity Exchange (CMX) calls for purchase and delivery of 5,000 ounces, the total profit per contract is 5,000 times \$.10, or \$500. On Day 3, when the futures price falls, the long position's margin account will be debited by \$350. By Day 5, the sum of all daily proceeds is \$550. This is exactly equal to 5,000 times the difference between the final futures price of \$14.21 and original futures price of \$14.10. Thus the sum of all the daily proceeds (per ounce of silver held long) equals $P_T - F_0$.

Cash versus Actual Delivery

- Most contracts call for delivery of an actual commodity
 - Quality can vary
 - Higher or lower grade commodities
- Some contracts call for cash settlement – St- F0

Trading Strategies

- Speculation -
 - short believe price will fall
 - -long believe price will rise
- Hedging -
 - long hedge protecting against a rise in price
 - short hedge protecting against a fall in price

Futures market Strategies

- Hedging and speculations
- Speculators
 - Lower transaction costs
 - Leverage
 - Margin not value of the asset underlying the contract

EXAMPLE 22.4 Futures and Leverage

Suppose the initial margin requirement for the oil contract is 10%. At a current futures price of \$97.15, and contract size of 1,000 barrels, this would require margin of $.10 \times 97.15 \times 1,000 = \$9,715$. A \$2 jump in oil prices represents an increase of 2.06%, and results in a \$2,000 gain on the contract for the long position. This is a percentage gain of 20.6% in the \$9,715 posted as margin, precisely 10 times the percentage increase in the oil price. The 10-to-1 ratio of percentage changes reflects the leverage inherent in the futures position, because the contract was established with an initial margin of one-tenth the value of the underlying asset.

Futures market Strategies

• Hedgers

Insulate against price movements

- Not possible for some goods
 - Future contract is not traded
 - Cross hedging

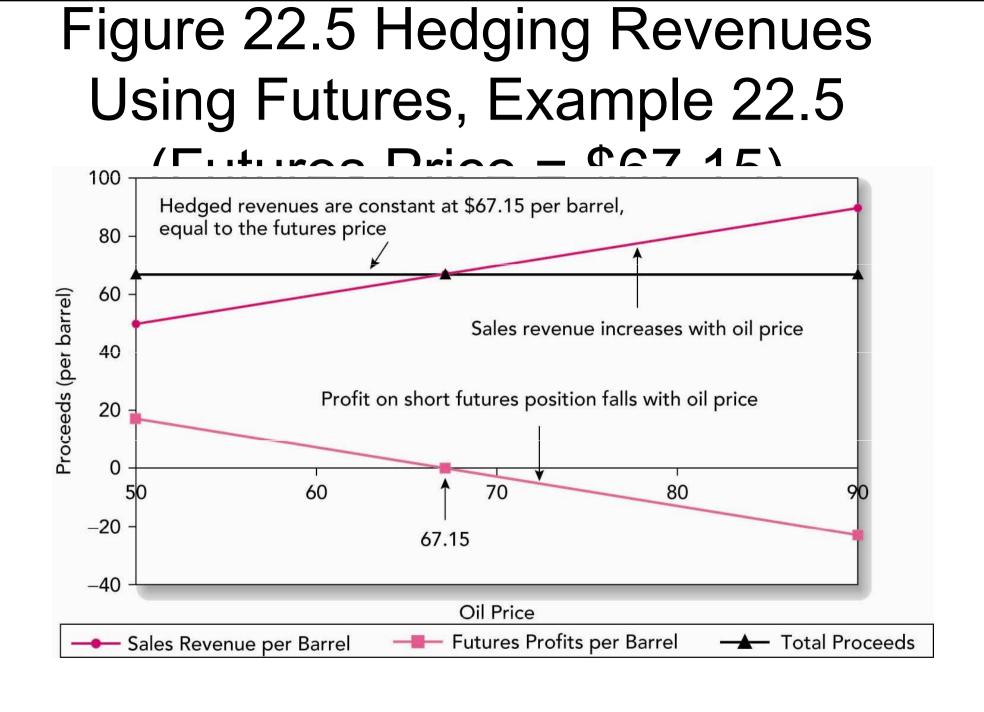
EXAMPLE 22.5 Hedging with Oil Futures

Consider an oil distributor planning to sell 100,000 barrels of oil in February that wishes to hedge against a possible decline in oil prices. Because each contract calls for delivery of 1,000 barrels, it would sell 100 contracts that mature in February. Any decrease in prices would then generate a profit on the contracts that would offset the lower sales revenue from the oil.

To illustrate, suppose that the only three possible prices for oil in February are \$95.15, \$97.15, and \$99.15 per barrel. The revenue from the oil sale will be 100,000 times the price per barrel. The profit on each contract sold will be 1,000 times any decline in the futures price. At maturity, the convergence property ensures that the final futures price will equal the spot price of oil. Therefore, the profit on the 100 contracts sold will equal 100,000 × ($F_0 - P_T$), where P_T is the oil price on the delivery date, and F_0 is the original futures price, \$97.15.

Now consider the firm's overall position. The total revenue in February can be computed as follows:

	Oil Price in February, P_T			
	\$95.15	\$97.15	\$99.15	
Revenue from oil sale: 100,000 \times P _T	\$9,515,000	\$9,715,000	\$9,915,000	
+ Profit on futures: 100,000 × ($F_0 - P_T$)	200,000	0	-200,000	
TOTAL PROCEEDS	\$9,715,000	\$9,715,000	\$9,715,000	



Basis and Basis Risk

- Basis the difference between the futures price and the spot price
 - over time the basis will likely change and will eventually converge
 - On the maturity date of a contract, the basis must be zero
- Basis Risk the variability in the basis that will affect profits and/or hedging performance
- Calendar spread

EXAMPLE 22.6 Speculating on the Basis

Consider an investor holding 100 ounces of gold, who is short one gold-futures contract. Suppose that gold today sells for \$891 an ounce, and the futures price for June delivery is \$896 an ounce. Therefore, the basis is currently \$5. Tomorrow, the spot price might increase to \$895, while the futures price increases to \$899, so the basis narrows to \$4. The investor's gains and losses are as follows:

Gain on holdings of gold (per ounce): 895 - 891 = 4Loss on gold futures position (per ounce): 899 - 896 = 3

The net gain is the decrease in the basis, or \$1 per ounce.

EXAMPLE 22.7 Speculating on the Spread

Consider an investor who holds a September maturity contract long and a June contract short. If the September futures price increases by 5 cents while the June futures price increases by 4 cents, the net gain will be 5 cents - 4 cents, or 1 cent. Like basis strategies, spread positions aim to exploit movements in relative price structures rather than to profit from movements in the general level of prices.

Futures Pricing

Spot-futures parity theorem - two ways to acquire an asset for some date in the future

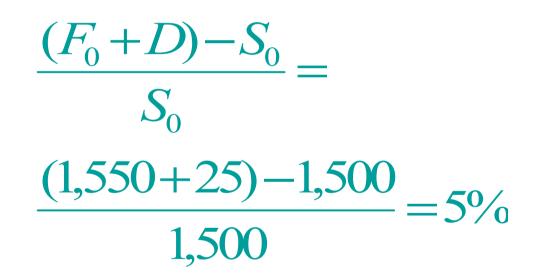
- Purchase it now and store it
- Take a long position in futures
- These two strategies must have the same market determined costs

Spot-Futures Parity Theorem

- With a perfect hedge the futures payoff is certain -- there is no risk
- A perfect hedge should return the riskless rate of return
- This relationship can be used to develop futures pricing relationship

Final value of stock portfolio, S_T	\$ 1,510	\$ 1,530	\$ 1,550	\$ 1,570	\$ 1,590	\$ 1,610
Payoff from short futures position (equals $F_0 - F_T = \$1,550 - S_T$)	40	20	0	-20	-40	-60
Dividend income	25	25	25	25	25	25
TOTAL	\$ 1,575	\$1,575	\$1,575	\$1,575	\$1,575	\$1,575

Rate of Return for the Hedge



General Spot-Futures Parity

 $\frac{(F_0+D)-S_0}{S_0}=R_f$ **Rearranging terms** $F_0 = S_0(1+r_f) - D = S_0(1+r_f - d)$ $d = \frac{D}{S_0}$

Arbitrage Possibilities

- If spot-futures parity is not observed, then arbitrage is possible
- If the futures price is too high, short the futures and acquire the stock by borrowing the money at the riskfree rate
- If the futures price is too low, go long futures, short the stock and invest the proceeds at the riskfree rate

Future Market Arbitraga

Suppose that parity were violated. For example, suppose the risk-free interest rate in the economy were only 4% so that according to Equation 22.1, the futures price should be \$1,500(1.04) - \$25 = \$1,535. The actual futures price, $F_0 = \$1,550$, is \$15 higher than its "appropriate" value. This implies that an investor can make arbitrage profits by shorting the relatively overpriced futures contract and buying the relatively underpriced stock portfolio using money borrowed at the 4% market interest rate. The proceeds from this strategy would be as follows:

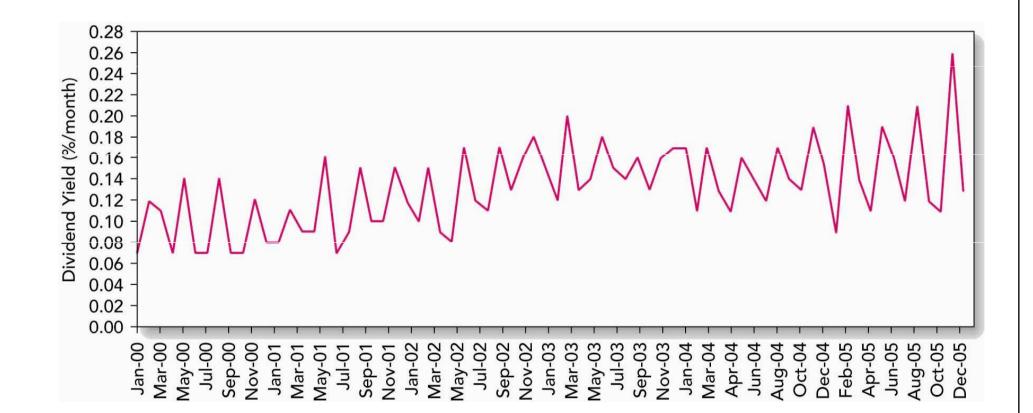
Action	Initial Cash Flow Cash Flow in 1 Year		
Borrow \$1,500, repay with interest in 1 year	+1,500	-1,500(1.04) = -\$1,560	
Buy stock for \$1,500	-1,500	S_T + \$25 dividend	
Enter short futures position ($F_0 = $ \$1,550)	0	\$1,550 - S _T	
TOTAL	0	\$15	

Action	Initial Cash Flow	Cash Flow in 1 Year
1. Borrow S ₀ dollars	S ₀	$-S_0(1 + r_f)$
2. Buy stock for S_0	- S ₀	$S_T + D$
3. Enter short futures position	0	$F_0 - S_T$
TOTAL	0	$F_0 - S_0(1 + r_f) + D$

Spread

- Relation between future prices of contracts of different maturity days
 - Futures price is in part determined by time to maturity
 - If rf > d

Figure 22.6 S&P 500 Monthly Dividend Yield



Spread Pricing: Parity for Spreads

 $F(T_1) = S_0 (1 + r - d)^{T_1}$ $F(T_2) = S_0 (1 + r - d)^{T_2}$ $F(T_2) = F(T_1) (1 + r - d)^{T_2 - T_1}$ To see how to use Equation 22.3, consider the following data for a hypothetical contract:

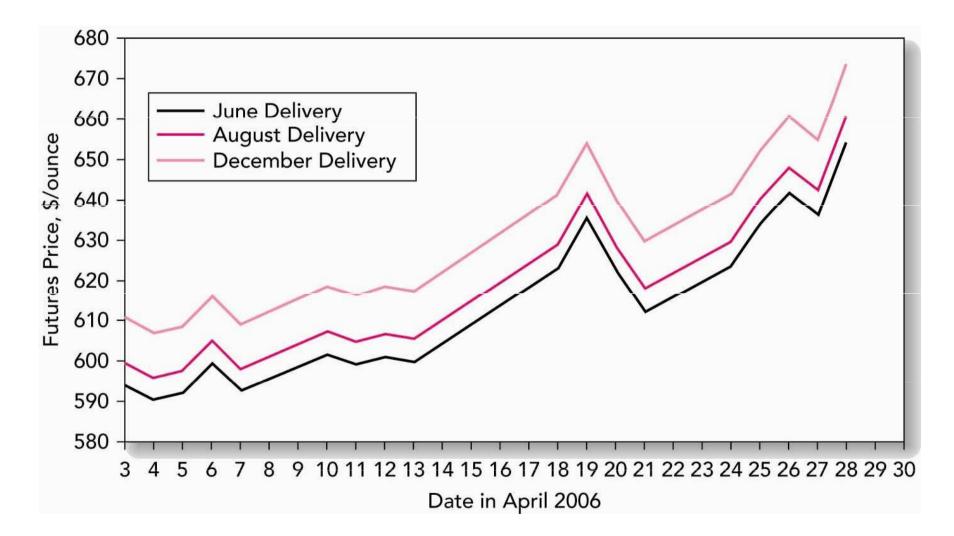
Contract Maturity Data	Futures Price
January 15	\$105.00
March 15	105.10

Suppose that the effective annual T-bill rate is expected to persist at 5% and that the dividend yield is 4% per year. The "correct" March futures price relative to the January price is, according to Equation 22.3,

 $105(1 + .05 - .04)^{1/6} = 105.174$

The actual March futures price is 105.10, meaning that the March futures price is slightly underpriced compared to the January futures and that, aside from transaction costs, an arbitrage opportunity seems to be present.

Figure 22.7 Gold Futures Prices



Theories of Futures Prices

- Expectations
- Normal Backwardation
- Contango

