## Exercise 6

The file *stockton96.gdt* contains 940 observations on home sales in Stockton, CA in 1996.

a) Use least squares to estimate a linear equation that relates house price *PRICE* to the size of the house in square feet *SQFT* and the age of the house in years *AGE*. Interpret all the estimates.

ols price const age sqft

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  Model 1: OLS, using observations 1-940

  Dependent variable: price

  coefficient std. error t-ratio p-value

  const 5193.15 3586.64 1.448 0.1480

  age -217.843 35.0976 -6.207 8.11e-010 ***

  sqft 68.3907 2.16868 31.54 2.39e-149 ***

  Mean dependent var 97937.83 S.D. dependent var 34179.37

  Sum squared resid 4.76e+11 S.E. of regression 22539.63

  R-squared 0.566050 Adjusted R-squared 0.565124

  F(2, 937)
  611.1178 P-value(F)

  Log-likelihood -10753.95 Akaike criterion 21513.90

  Schwarz criterion 21528.43 Hannan-Quinn 21519.44
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b) Suppose that you own two houses. One has 1400 square feet; the other has 1800 square feet. Both are 20 years old. What price do you estimate you will get for each house?

 $p_1 = 5193 + 20 * (-217) + 68.39 * 1400$  $p_2 = 5193 + 20 * (-217) + 68.39 * 1800$ 

- C) Test the hypothesis that the size and the age of the house are important determinants of its price (separately as well as jointly). Both have three stars. Also jointly significant according to above output
- d) Using the Breusch-Pagan test for heteroscedasticity, test whether the model satisfies the homoscedasticity assumption by using the command for the BP test in Gretl.
  series yhat=\$yhat genr resid=price-yhat modtest --breusch-pagan
- e) Use the White test to test for heteroskedasticity. **modtest --white**
- f) What do you conclude regarding the heteroskedasticity? Does your conclusion depend on the choosing a specific test? Discuss also drawbacks of the BP and White tests.
  There is heteroskedasticity

A weakness of the BP test is that it assumes the heteroskedasticity is a linear function of the independent variables. Failing to find evidence of heteroskedasticity with the BP doesn't rule out a nonlinear relationship between the independent variable(s) and the error variance.

The weakness of white test is that if you have many variables, the number of possible interactions plus the squared variables plus the original variables can be quite high.

g) Test the hypothesis that the size and the age of the house are important determinants of its price (separately as well as jointly). Hint: choose appropriate standard errors. Does your conclusion differ from part (c)?

## ols price const age sqft -robust

compare the robust and non-robust standard errors and parameters. You can see that the parameters did not change, while standard errors increased

? ols price const sqft agerobust						
Model 10: OLS, using observations 1-940						
Dependent variable: price						
Heteroskedasticity-robust standard errors, variant HCl						
	efficient s				-	
const 5	193.15 3					
saft	68.3907	2.4	6807	27.71	6.35e-124	***
age -	217.843	36.3	142	-5.999	2.84e-09	***
-						
Mean dependent	var 97937.8	33 S	.D. dep	endent var	34179.3	7
Sum squared res R-squared F(2, 937) Log-likelihood	id 4.76e+1	l1 S	.E. of	regression	1 22539.6	3
R-squared	0.56605	50 A	djusted	l R-squared	0.56512	4
F(2, 937)	476.557	71 P	-value	(F)	1.7e-14	3
Log-likelihood	-10753.9	95 A	kaike o	criterion	21513.9	0
Schwarz criteri	on 21528.4	13 H	lannan-Q	Quinn	21519.4	4
<pre>? ols price const sqft age Model ll: OLS, using observations 1-940 Dependent variable: price</pre>						
co	efficient s	std. e	rror	t-ratio	p-value	
const 5	193.15 3	3586.6	54	1.448	0.1480	
sqft	68.3907	2.1	6868	31.54	2.39e-149	***
age -	217.843	35.0	976	-6.207	8.11e-010	***
Mean dependent						
Sum squared res	id 4.76e+1	l1 S	.E. of	regression	1 22539.6	3
R-squared F(2, 937)	0.56605	50 A	djusted	i R-squared	0.56512	4
Log-likelihood						
Schwarz criteri	on 21528.4	13 H	lannan-Q	Quinn	21519.4	4