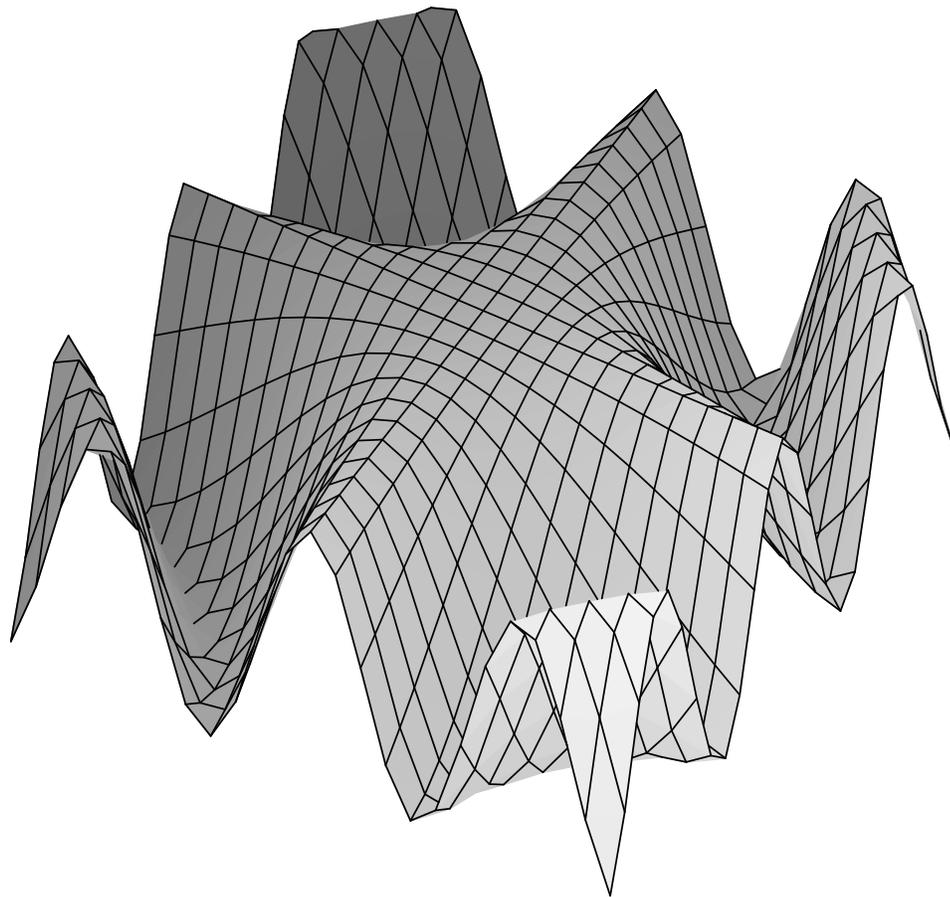


3D GRAFIKA

Zakladni volby, ovlivnujici vzhled 3D grafiky

[Pouzijeme funkci `plot3d` a specifikujeme rozsah pro obe promenne

```
> plot3d(cos(x*y), x=-3..3, y=-3..3);
```



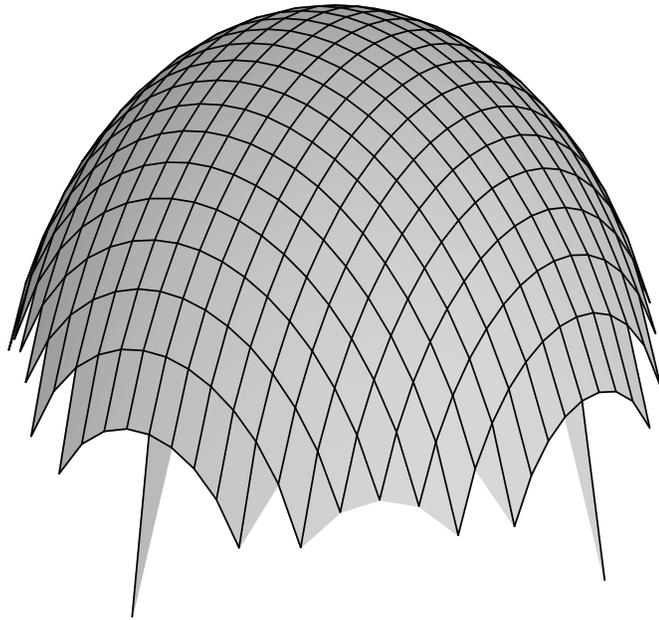
[Obecne `plot3d(f(x,y), x=a..b, y=c..d, options);`

nebo

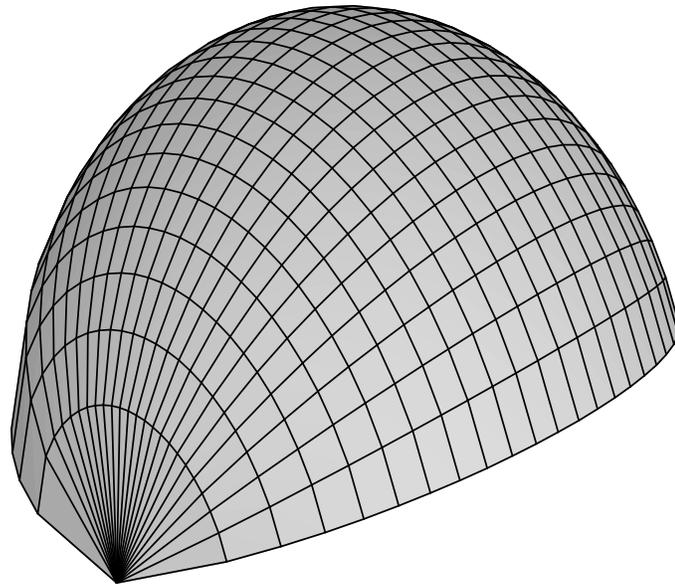
[`plot3d(f, a..b, c..d, options);`

[Parametry `a,b,c,d` nemusi byt vzdy konstantni:

```
> plot3d(sqrt(1-x^2-y^2), x=-1..1, y=-1..1);
```



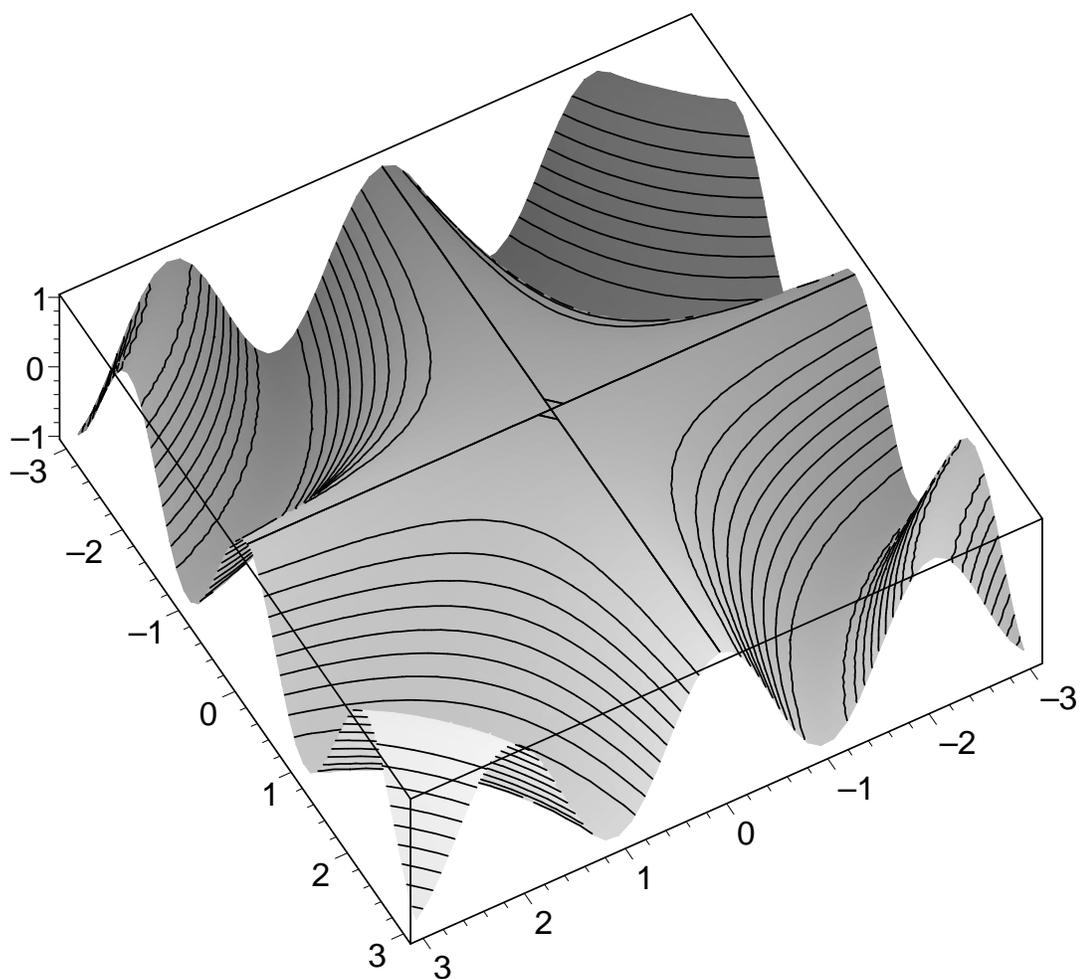
```
> plot3d(sqrt(1-x^2-y^2),x=-1..1,y=-sqrt(1-x^2)..sqrt(1-x^2));
```



Volby (options) muzeme menit i interaktivne pomoci menu.

```
> f:=(x,y)->cos(x*y):
```

```
> plot3d(f, -3..3, -3..3, grid=[49,49], axes=boxed,  
scaling=constrained, style=patchcontour);
```



Se vsemi options se muzeme seznamit pomoci

```
> ?plot3d,options
```

Style:

style=displaystyle

point - pouzije kresli pocitane body

line - spojuje tyto body useckami

hidden - resi i vitelnost, drateny model

wireframe - drateny model, neuvazuje se vidtelnost

patch - povrch je kreslen barevne nebo v odstinech sedi

patchnograd - povrch, ale nezobrazuje se mizka

contour - pouzije vrstevnice

patchcontour - povrch i s vrstevnicemi

Shading:

shading=option

z - barevne schema je voleno podle z-tove souradnice bodu povrchu

xy, xyz - kazda z os ma vlastni barevny rozsah

Axes:

axes=none, normal, boxed, framed

Orientation and projection:

Uhel pohledu je nastavovan parametrem

orientation=[theta, fi]. Zvetsovanim uhlu theta rotujeme obrazek proti smeru hodinovych rucicek. Uhle fi urcuje, kde nad (pod) plochou je umisten pozorovaci bod.

projection=r, kde r je z [0,1], specifikuje vzdalenost pozorovaciho bodu od povrchu

(0 znamena na povrchu, 1 nekonecne vzdaleny, "normalni" je 1/2).

```
[ > a:=array(1..2,1..2):
```

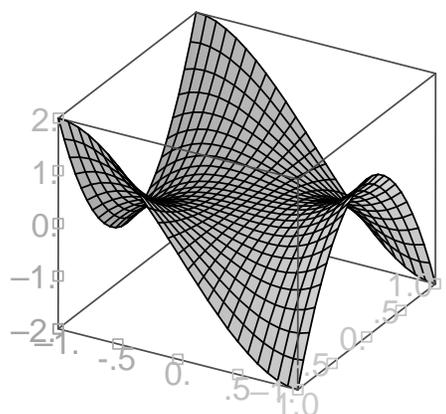
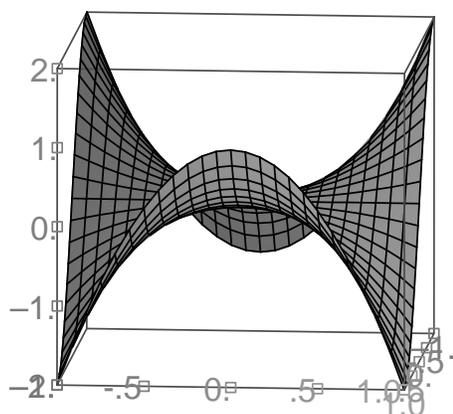
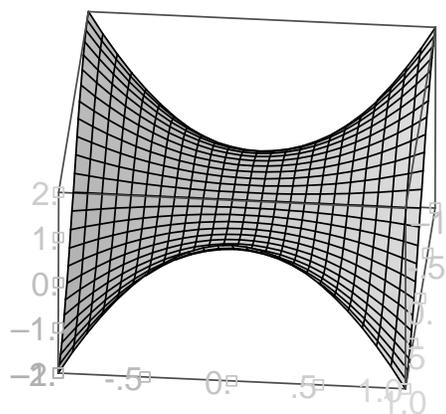
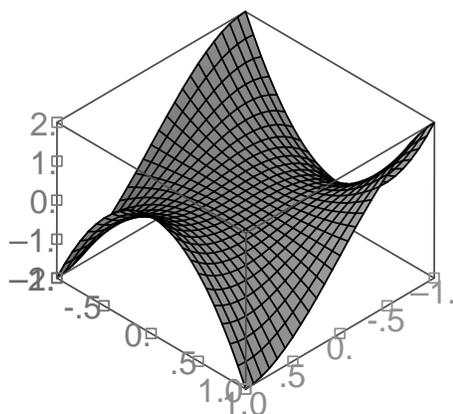
```
[ > a[1,1]:=plot3d(x^3-3*x*y^2, x=-1..1, y=-1..1, style=patch,  
[ axes=boxed, orientation=[45,45]):
```

```
[ > a[1,2]:=plot3d(x^3-3*x*y^2, x=-1..1, y=-1..1, style=patch,  
[ axes=boxed, orientation=[5,45]):
```

```
[ > a[2,1]:=plot3d(x^3-3*x*y^2, x=-1..1, y=-1..1, style=patch,  
[ axes=boxed, orientation=[5,80]):
```

```
[ > a[2,2]:=plot3d(x^3-3*x*y^2, x=-1..1, y=-1..1, style=patch,  
[ axes=boxed, orientation=[-60,60]):
```

```
[ > plots[display](a);
```



Zmena stylu osbetlovani nebo zmena pozorovaciho bodu nezpůsobí prepocitani grafickeho objektu, obrazek se pouze znovu prekresli na obrazovku. Toto vsak neplati pro nasledujici volbu.

Grid:

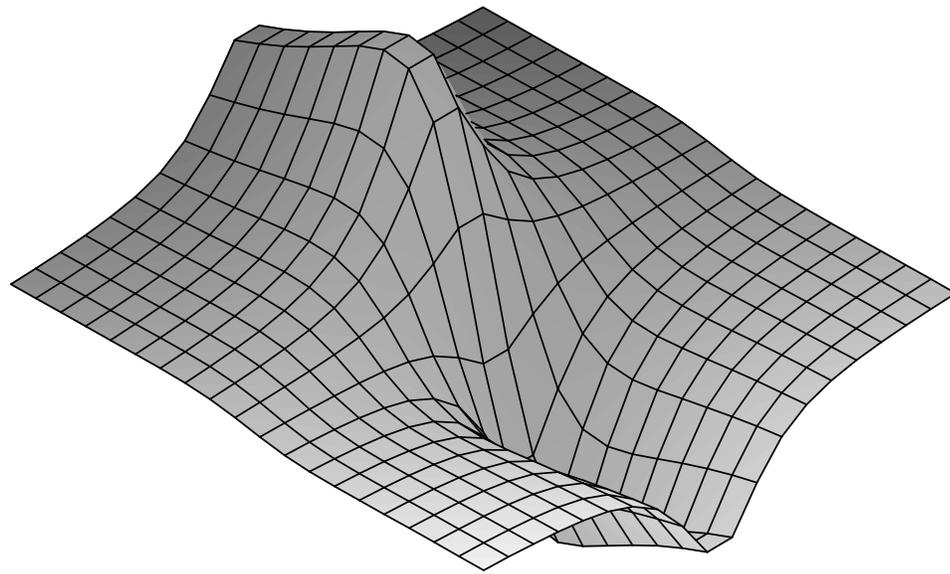
V 3D nema Maple zjemnovaci algoritmus. Implicitne se pouzije mrazka s 25 equidistatnimi body pro oba smery. Toto nastaveni menime parametrem $grid=[m,n]$, m pro osu x a n pro osu y.

Pro porovnaní vzhledu a vypočetní náročnosti vyzkoušejte následující posloupnost příkazů:

```
> pp:=(n,m)->plot3d(-y/(1+x^2)/(1+y^2),x=-5..5,y=-3..3,grid=[n,m],
  style=patch):
```

```
> t0:=time():
```

```
> pp(20,20);
```

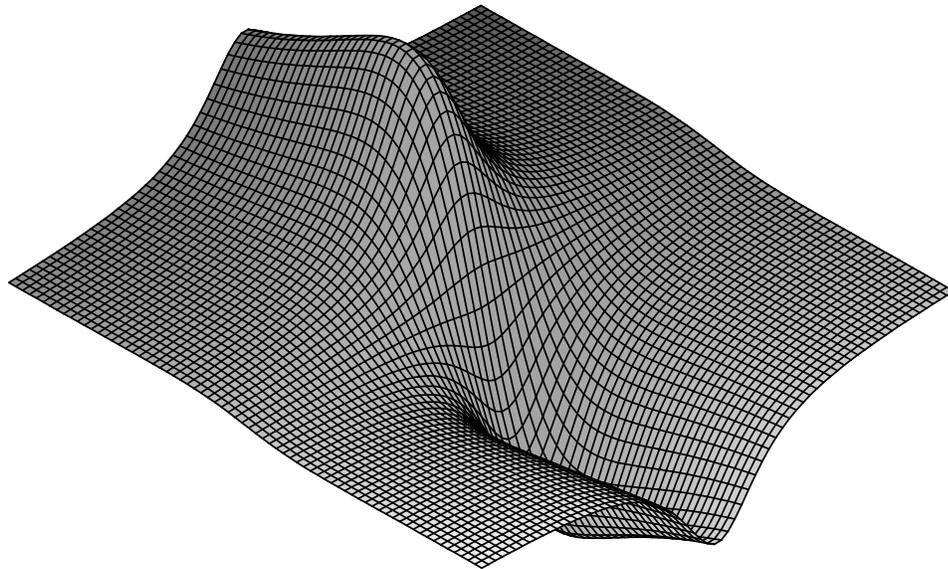


```
[ > t1:=time():
```

```
[ > t1-t0;
```

0.004

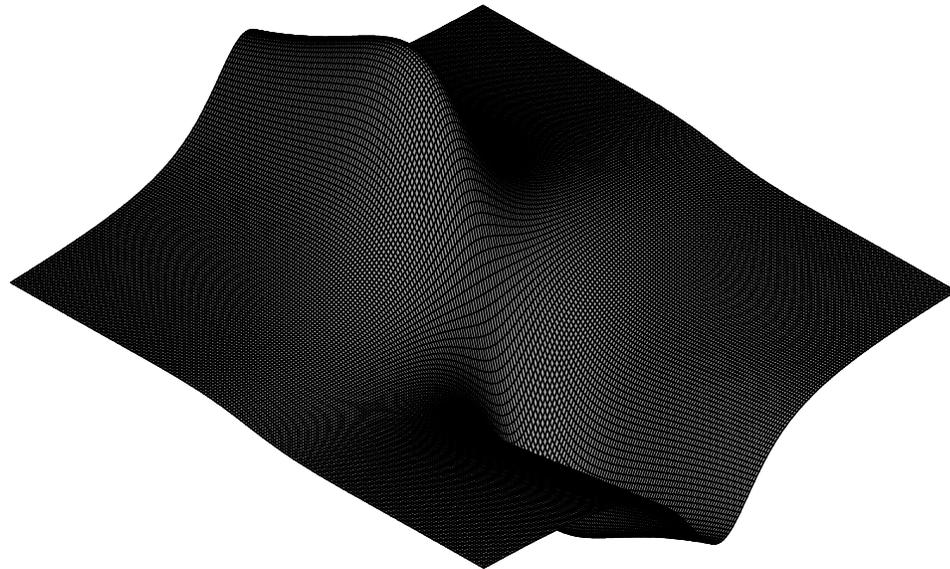
```
[ > pp(70,70);
```



```
[ > t2:=time():  
[ > t2-t1;
```

0.020

```
[ Nasledujici prikaz muze na pomalejsich pocitacich trvat prilis dlouho.....  
[ > pp(200,200);
```



```
[ > t3:=time():  
[ > t3-t2;
```

0.172

View frame:

Podobne jako v 2D muzeme omezit pouze vertikalni rozsah nebo rozsahy na vseh osach.

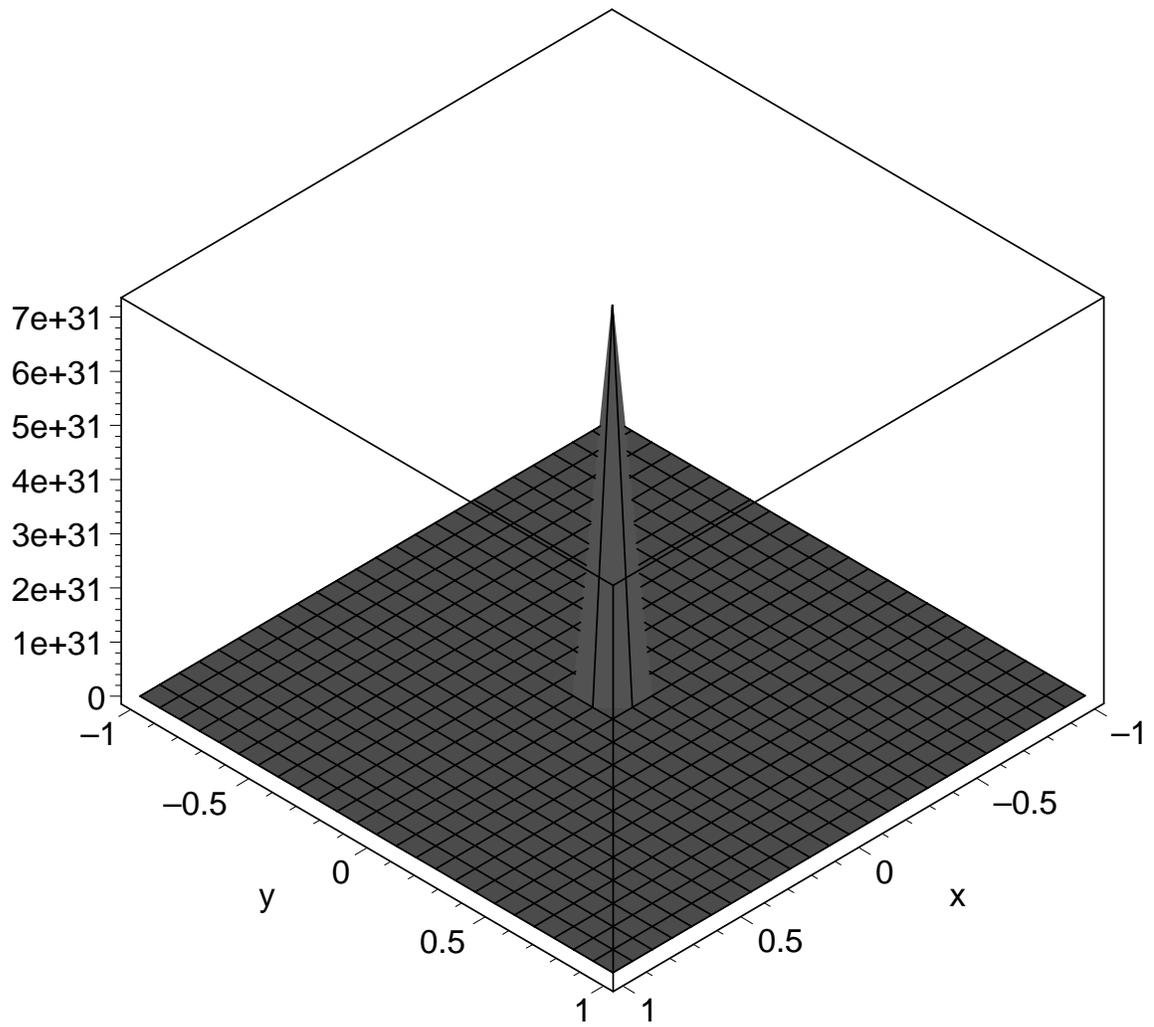
Pouziva se dvou forem zapisu, bud

view=zmin..zmax

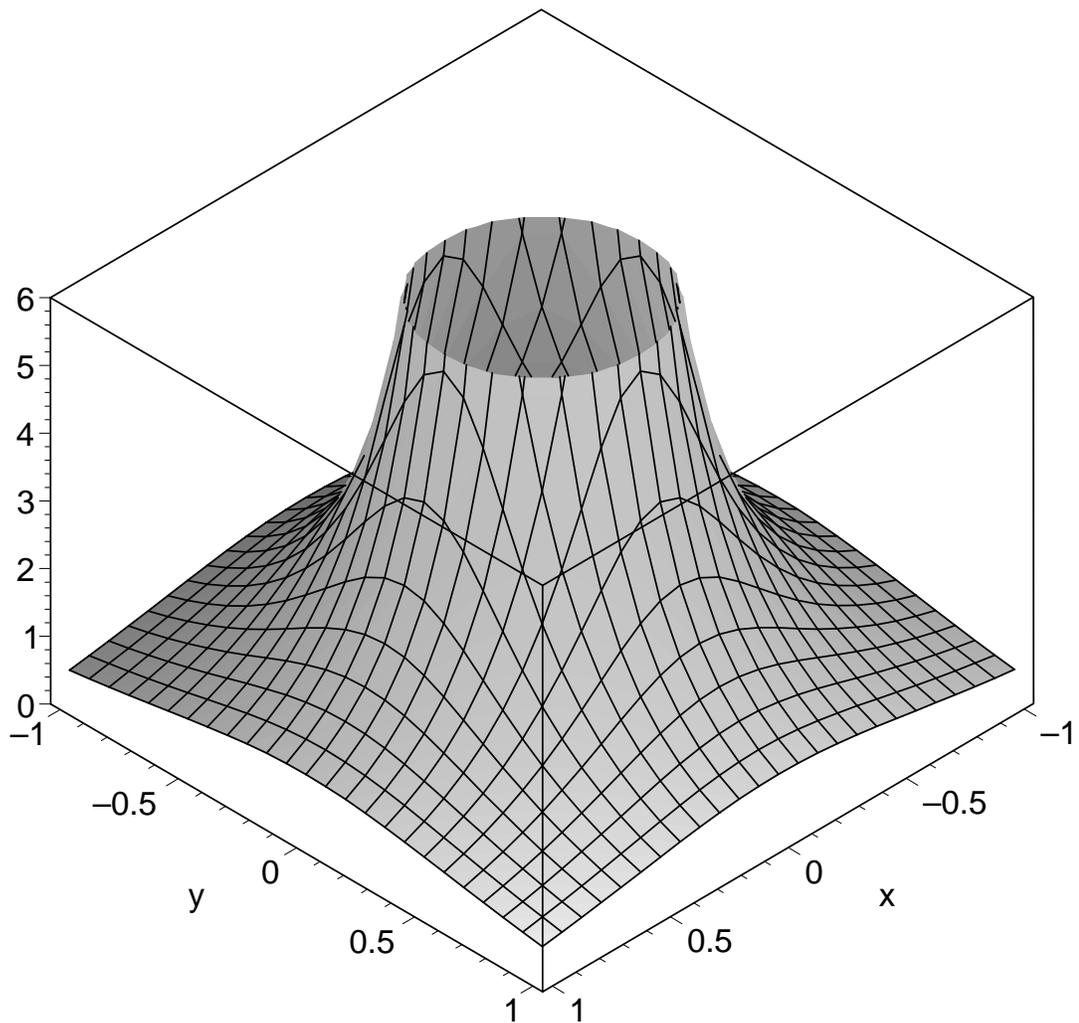
nebo

view=[xmin..xmax, ymin..ymax, zmin..zmax].

```
[ > plot3d(1/(x^2+y^2), x=-1..1, y=-1..1, axes=boxed);
```



```
> plot3d(1/(x^2+y^2), x=-1..1, y=-1..1, view=0..6, axes=boxed);
```



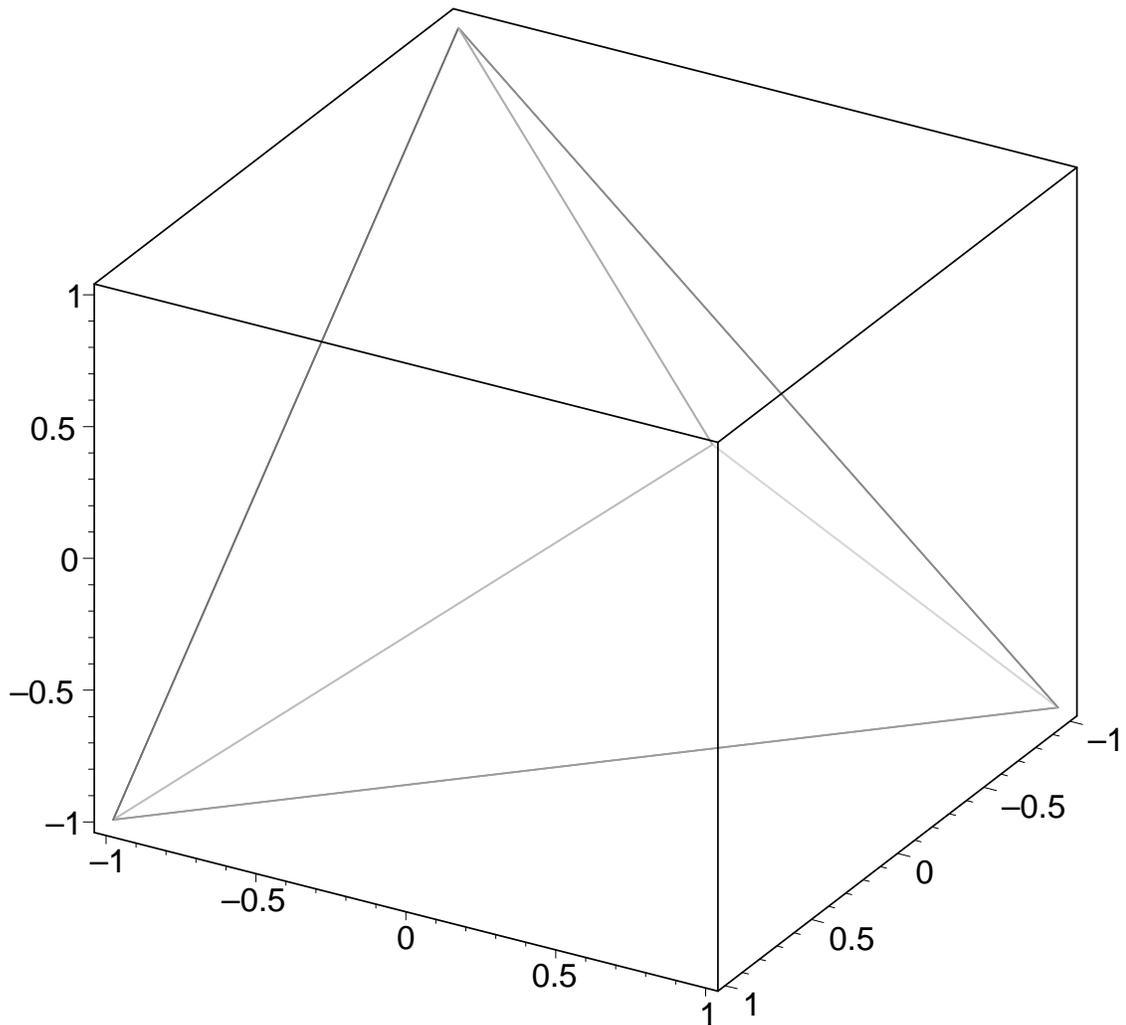
Nastavení voleb globalne (pro celou session) se provede příkazem `setoptions3d`.

Struktura grafiky v 3D

Vytváření grafiky v 3D probíhá opět ve dvou fázích (jako v 2D). Nejdrive se počítají funkční hodnoty v referenčních bodech, pak je obrazek vykreslován na obrazovce. 3D grafický objekt v Maplu představuje funkce `PLOT3D` s argumenty popisujícími osy, funkci, spočítané souřadnice bodu, parametry mřížky, barvami atd.

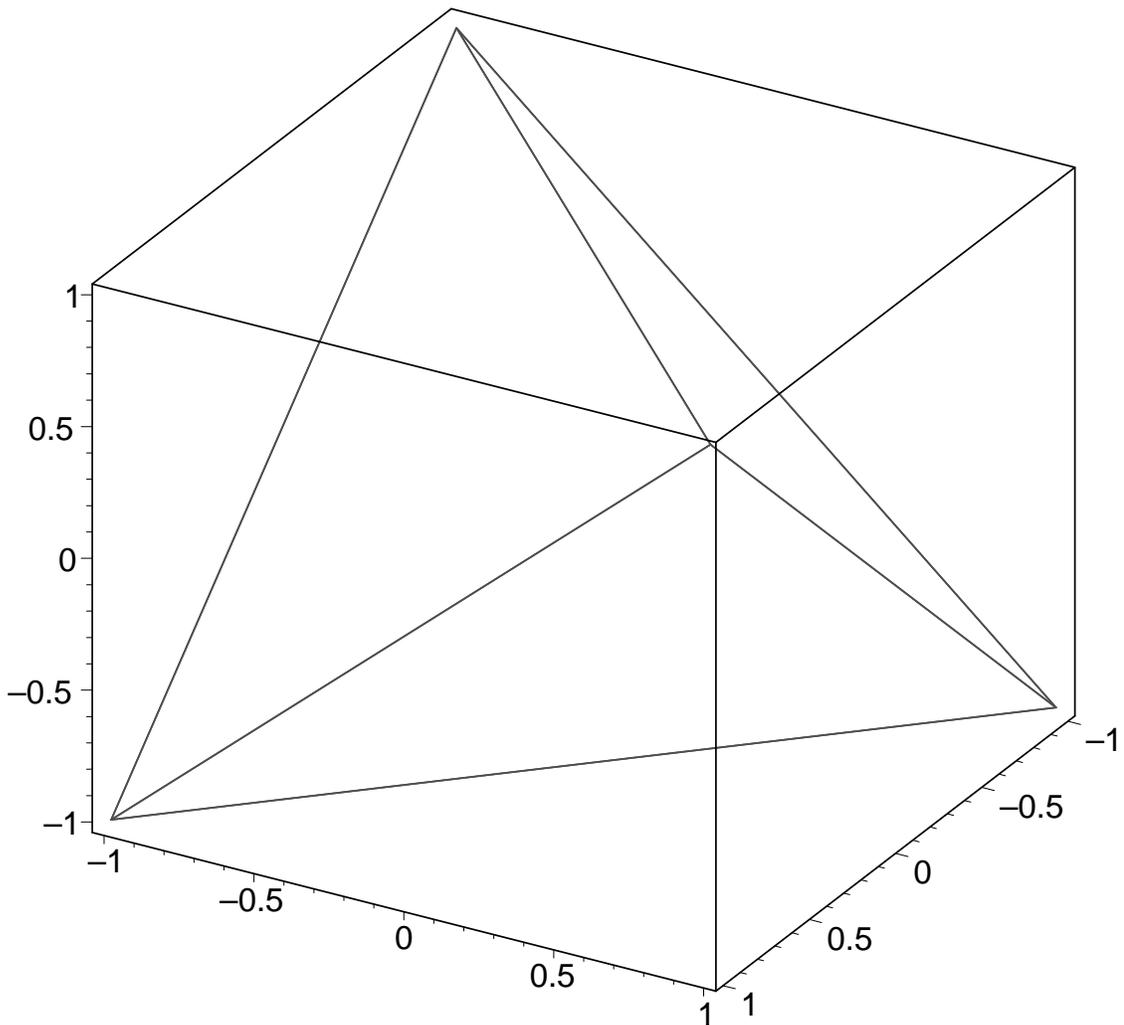
Následující objekt popisuje čtyřsten s vrcholy $(1,1,1)$, $(-1,-1,1)$, $(-1,1,-1)$ a $(1,-1,-1)$.

```
> PLOT3D(POLYGONS([ [1,1,1], [-1,-1,1], [-1,1,-1]], [[1,1,1],
[-1,-1,1],[1,-1,-1]], [ [-1,1,-1], [1,-1,-1], [-1,-1,1]], [
[-1,1,-1], [1,-1,-1], [1,1,1]]), STYLE(LINE), AXESSTYLE(BOX),
ORIENTATION(30,60));
```



```
> P:=plots[polygonplot3d] ([ [ [1,1,1], [-1,-1,1], [-1,1,-1]],
[[1,1,1], [-1,-1,1],[1,-1,-1]], [ [-1,1,-1], [1,-1,-1],
[-1,-1,1]], [ [-1,1,-1], [1,-1,-1], [1,1,1]]], style=line,
axes=boxed, orientation=[30,60], color=red);
```

```
P := PLOT3D(POLYGONS([[1, 1., 1.], [-1., -1., 1.], [-1., 1., -1.]],
[[1, 1., 1.], [-1., -1., 1.], [1., -1., -1.]], [[-1., 1., -1.], [1., -1., -1.], [-1., -1., 1.]],
[[-1., 1., -1.], [1., -1., -1.], [1., 1., 1.]], STYLE(LINE), AXESSTYLE(BOX),
COLOUR(RGB, 1.0000000, 0., 0.), PROJECTION(30., 60., 1))
> P;
```



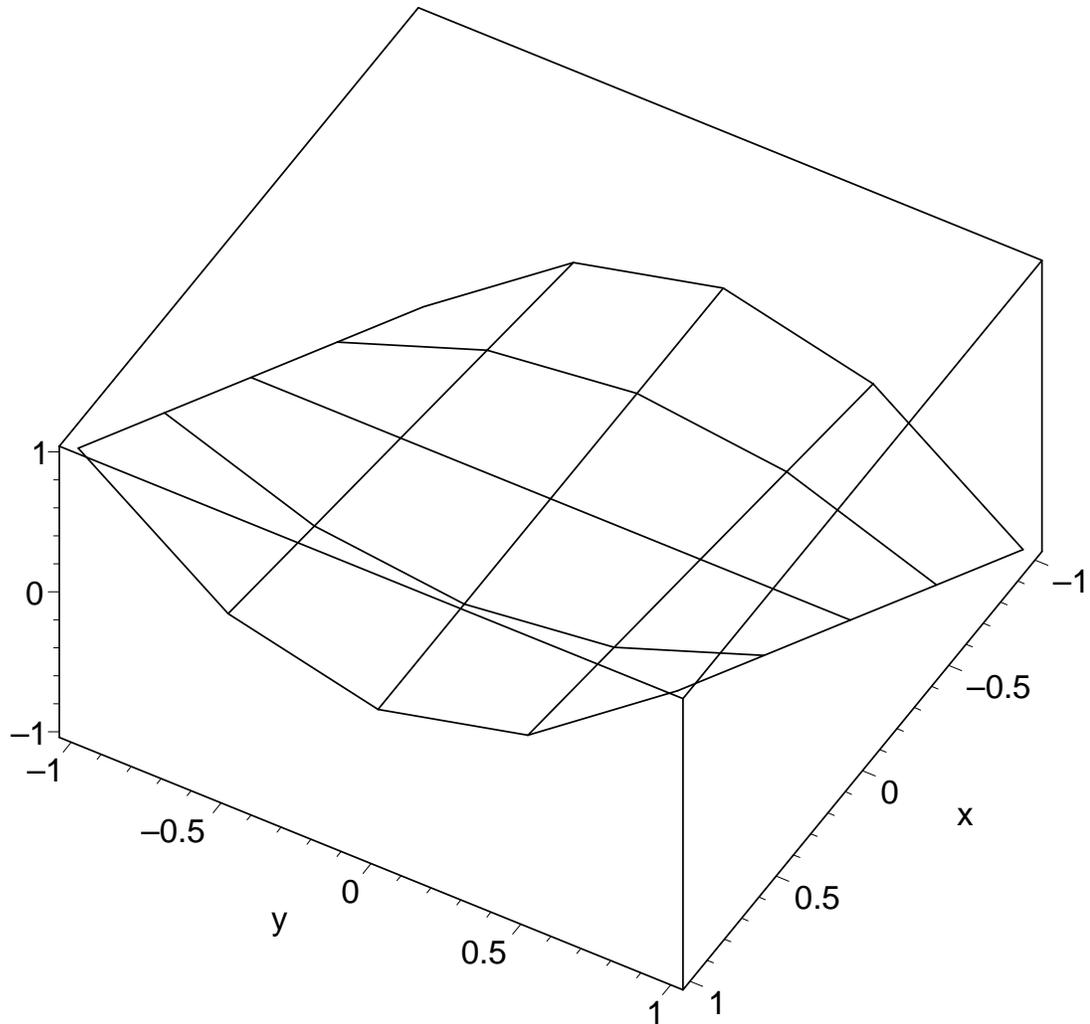
Obecnější příklad (graf funkce $z=x*y^2$):

```
> P:=plot3d(x*y^2, x=-1..1, y=-1..1, grid=[5,5], axes=boxed,
orientation=[30,30], style=line, color=black):
```

```
> lprint(P);
```

```
PLOT3D(GRID(-1. .. 1.,-1. .. 1.,Array(1 .. 5,1 .. 5,{(1, 1) = -1.
, (1, 2) = -.250000000000000000, (1, 4) = -.250000000000000000, (
1, 5) = -1., (2, 1) = -.500000000000000000, (2, 2) = -.1250000000
00000000, (2, 4) = -.125000000000000000, (2, 5) = -.5000000000000
0000, (4, 1) = .500000000000000000, (4, 2) = .125000000000000000
, (4, 4) = .125000000000000000, (4, 5) = .500000000000000000, (5,
1) = 1., (5, 2) = .250000000000000000, (5, 4) = .2500000000000000
00, (5, 5) = 1.},datatype = float[8],storage = rectangular,order
= C_order),COLOR(RGB,0.,0.,0.)),ORIENTATION(30.,30.)),STYLE(LINE),
AXESSTYLE(BOX),AXESLABELS(x,y,""))
```

```
> P;
```



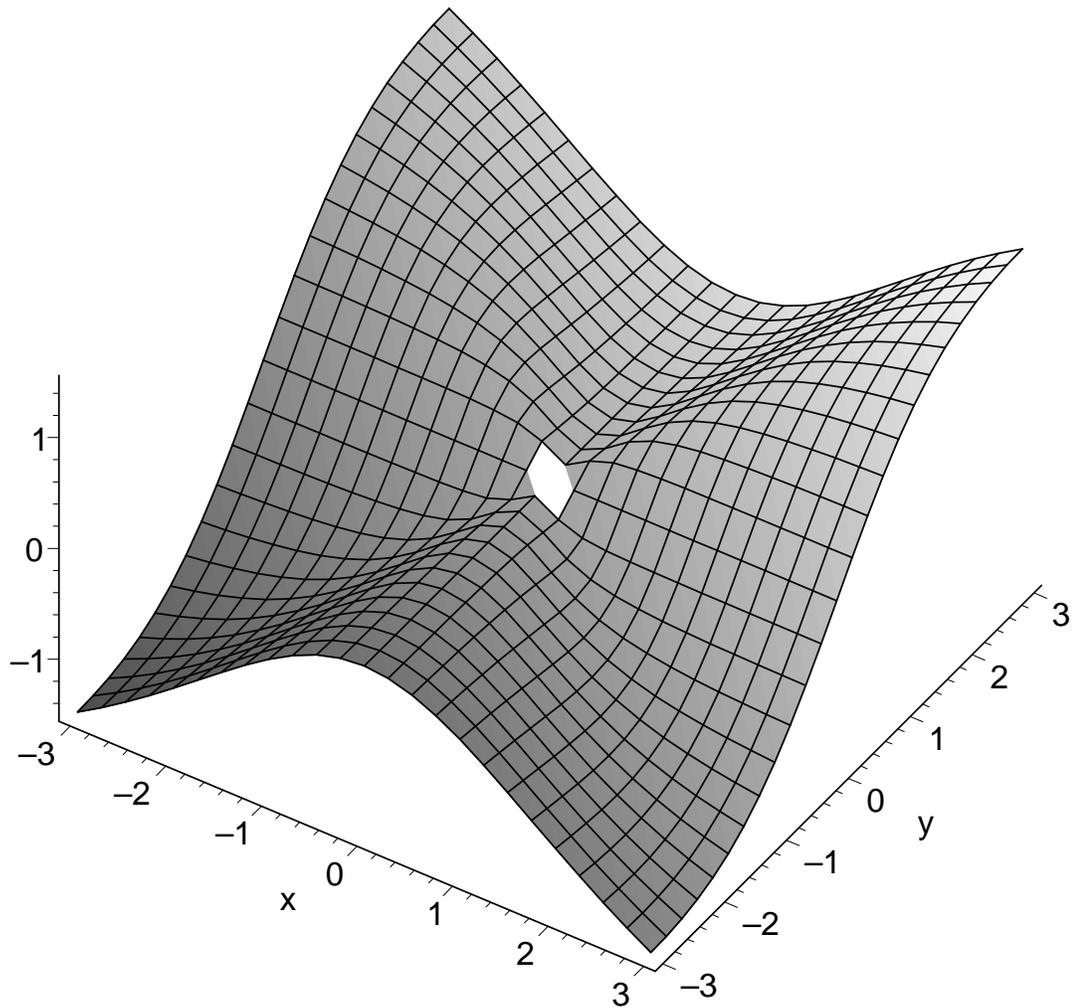
Maple spojuje s funkcí dvou proměnných na pravouhlé síti grafický objekt. Tento objekt je používán pro primkovou interpolaci mezi přilehlými body obrazku. Funkční hodnoty pro body sítě jsou počítány numericky. V 3D neexistuje automatické zjemňování sítě.

Grafy nespojitých funkcí

```
> f := (x^2*y)/(x^2+y^2);
```

$$f := \frac{x^2 y}{x^2 + y^2}$$

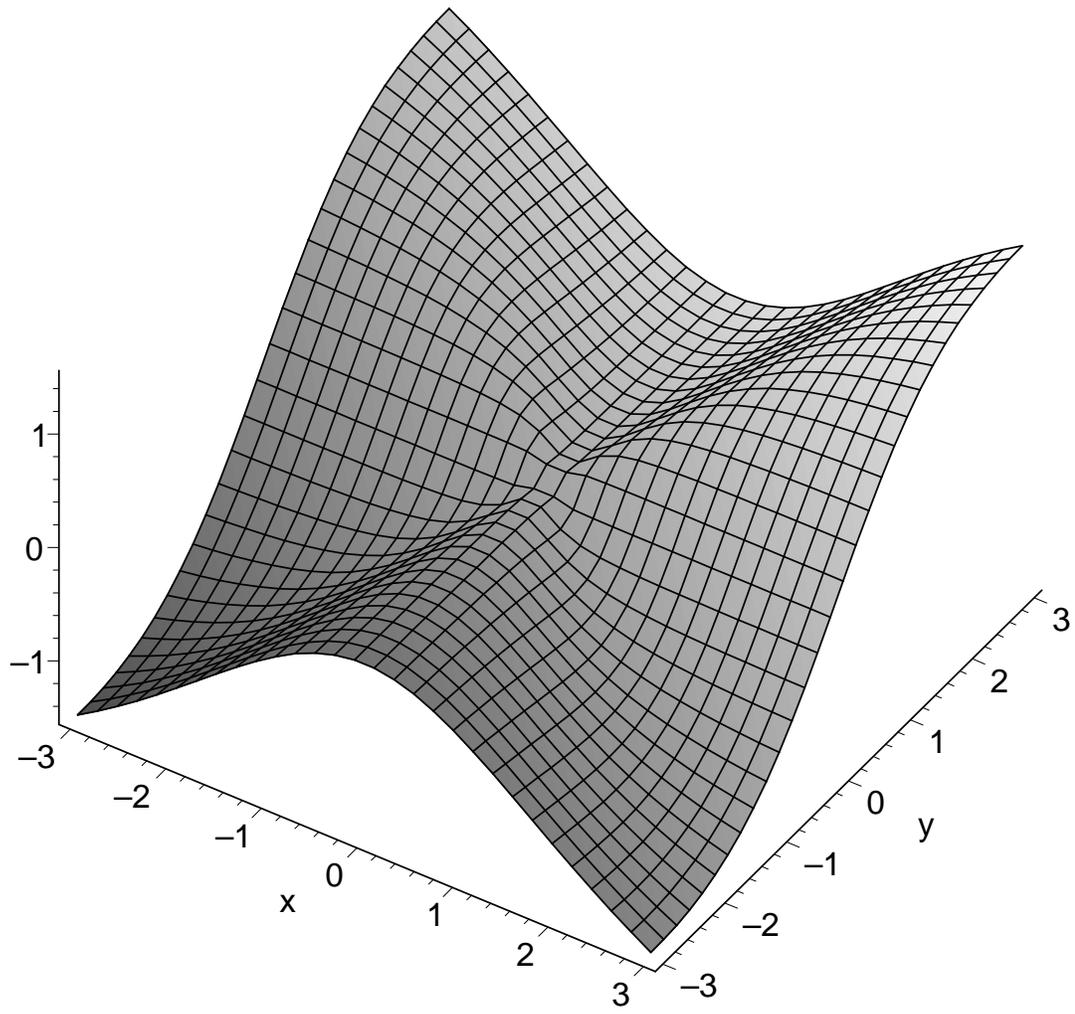
```
> plot3d(f, x=-3..3, y=-3..3, orientation=[-57,38], axes=framed);
```



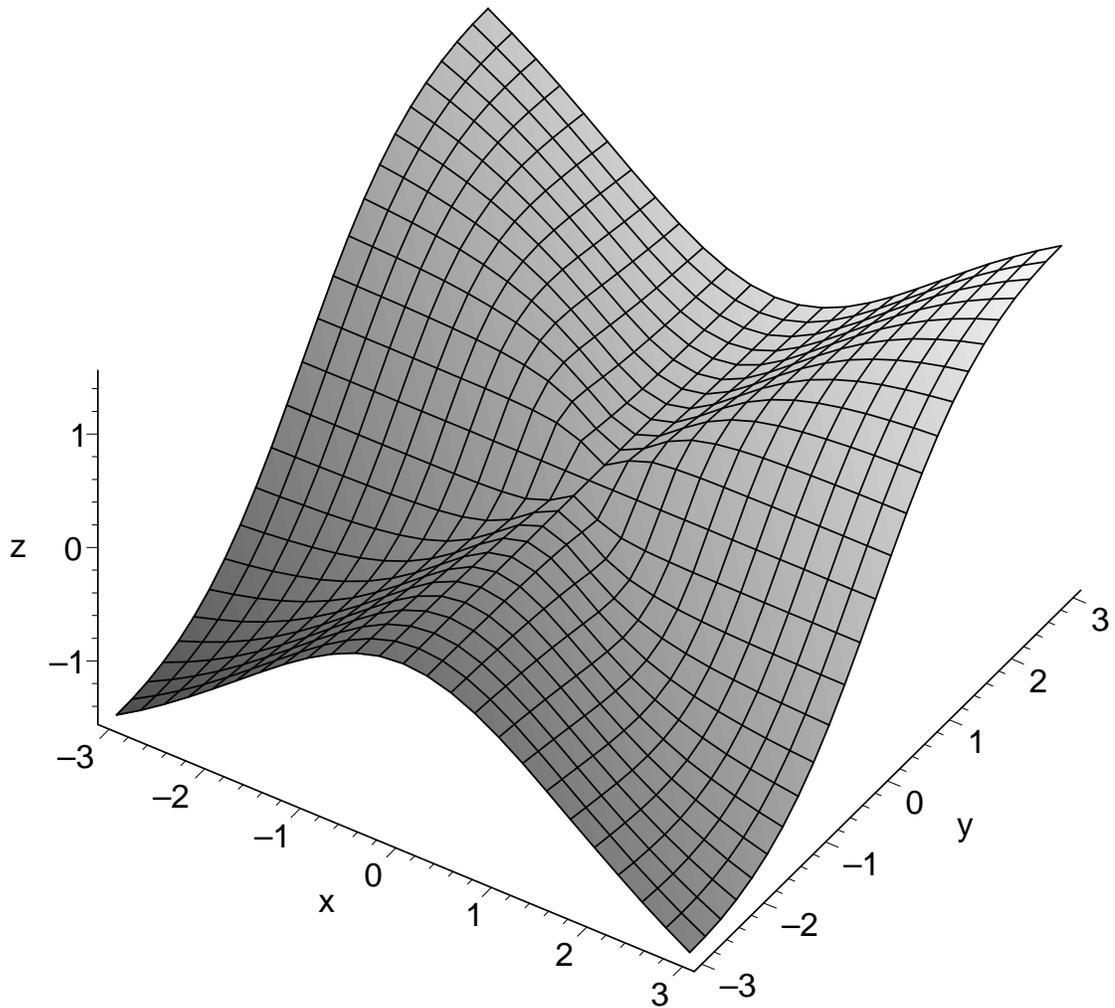
Bod, ve kterem vysetrovana funkce neni spojita je pri teto hustote site totozny s uzlovym bodem a program v nem nemuze spocitat funkcní hodnotu.

Zmenime hustotu uzlových bodu tak, aby bod $[0,0]$ (bod nespojitosti) nebyl uzlovým bodem.

```
> plot3d(f, x=-3..3, y=-3..3, orientation=[-57,38], axes=framed,
  grid=[30,30]);
```



```
> g:=proc(x,y) if x=0 and y=0 then 0 else (x^2*y)/(x^2+y^2) fi
end:
> plot3d(g, -3..3, -3..3, orientation=[-57,38], axes = framed,
labels=[x,y,z]);
```



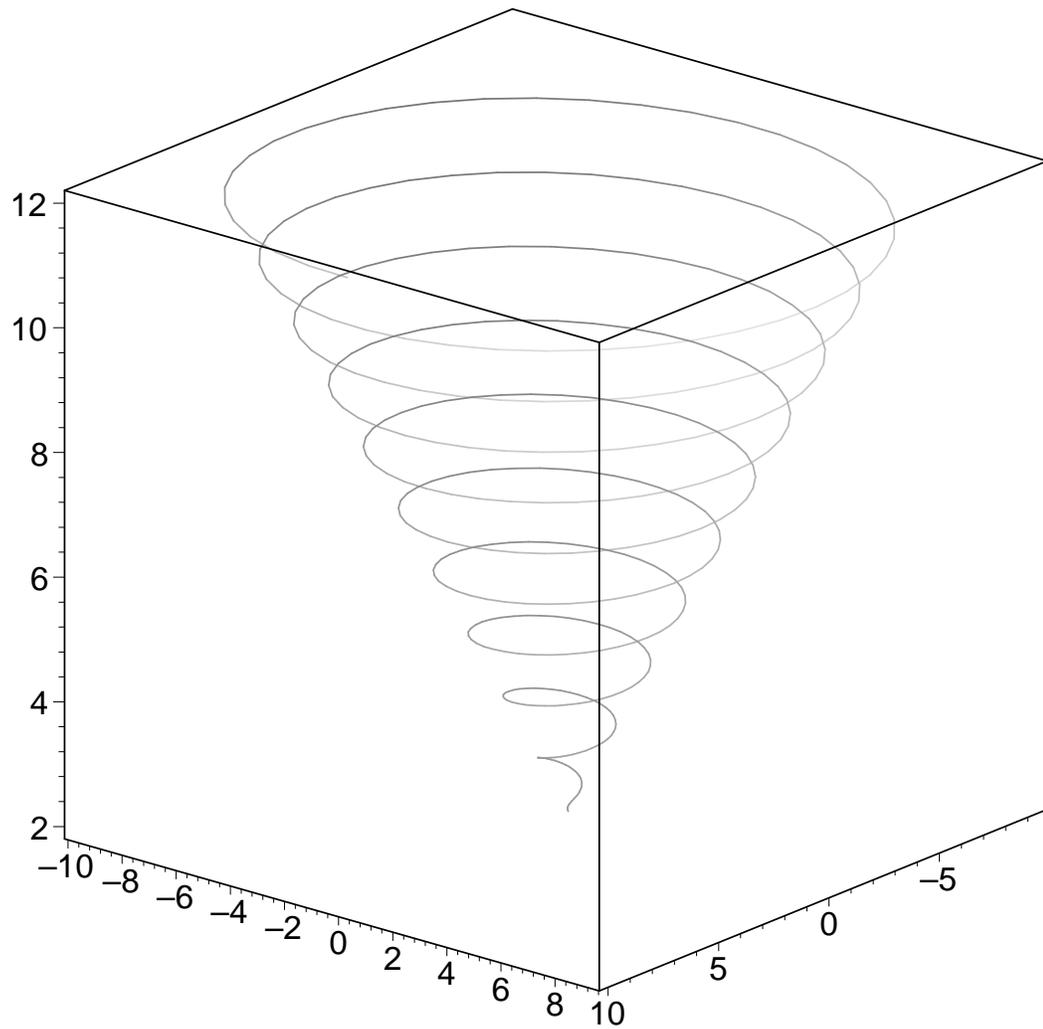
– Specialni obrazky v 3D

```
> with(plots):
```

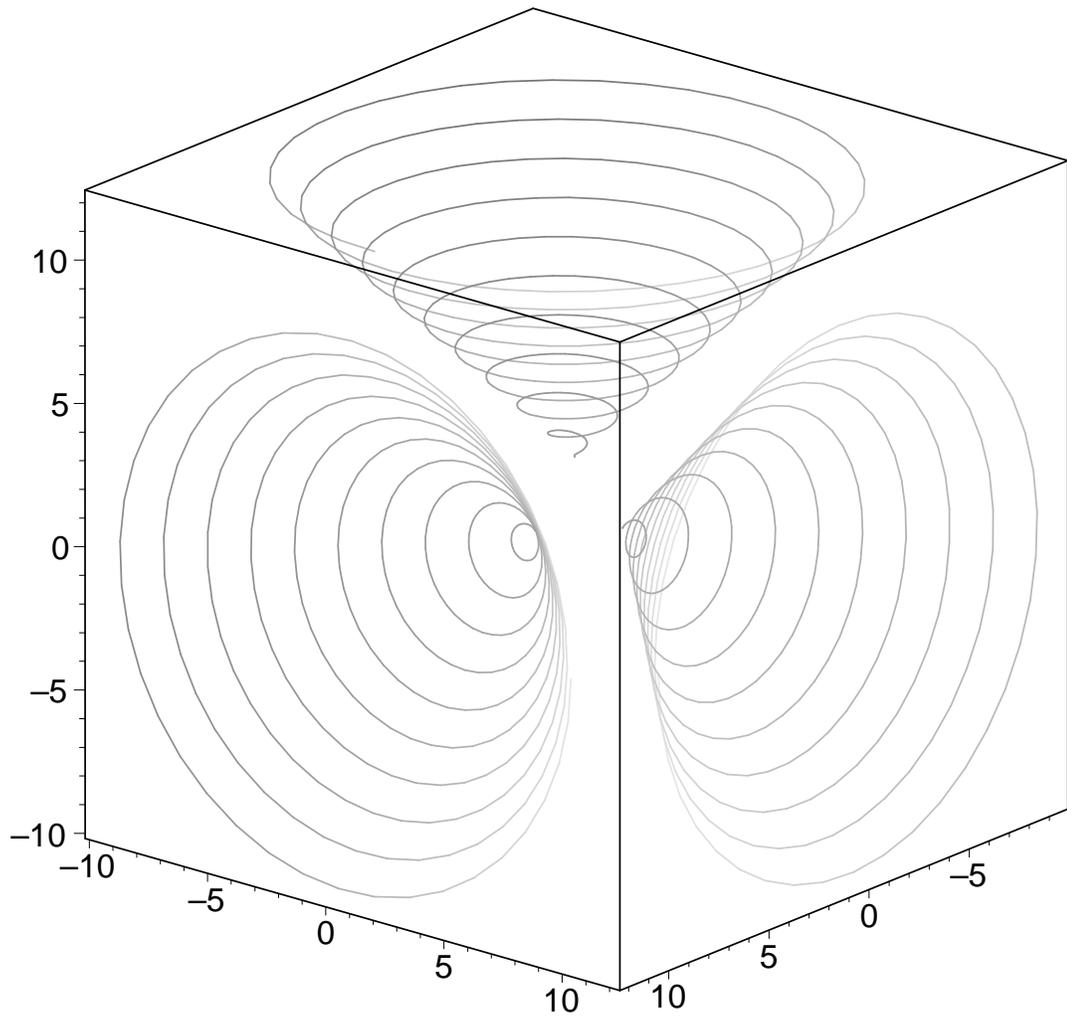
```
Warning, the name changecoords has been redefined
```

Krivka dana parametricky:

```
> spacecurve( [t*cos(2*Pi*t), t*sin(2*Pi*t), 2+t], t=0..10,  
  numpoints=400, orientation=[40,70], style=line, axes=boxed);
```



```
> spacecurve( {[t*cos(2*Pi*t), t*sin(2*Pi*t), 2+t], [2+t,  
t*cos(2*Pi*t), t*sin(2*Pi*t)]}, [t*cos(2*Pi*t), 2+t,  
t*sin(2*Pi*t)]}, t=0..10, numpoints=400, orientation=[40,70],  
style=line, axes=boxed);
```

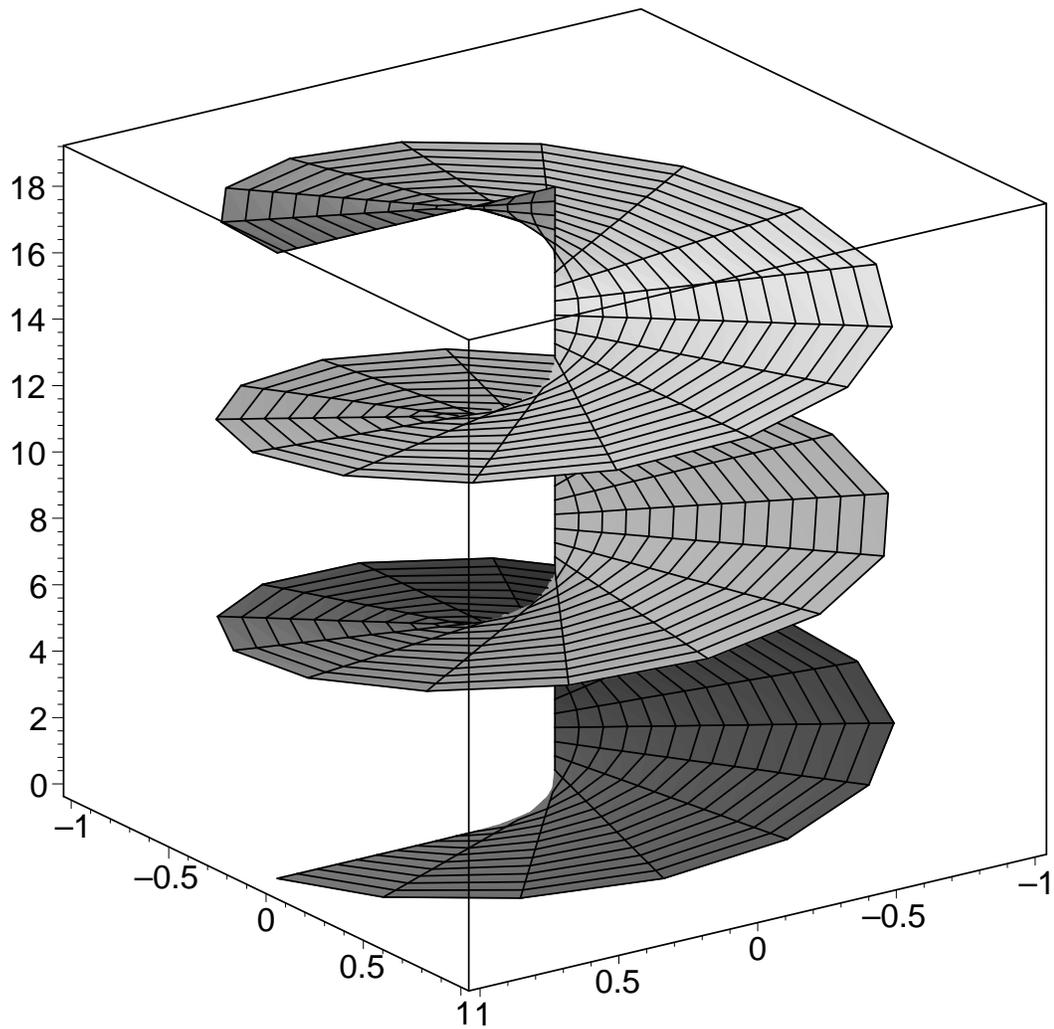


Prikaz pro vykresleni plochy dane parametricky rovnicemi

$x=f(s,t)$, $y=g(s,t)$, $z=h(s,t)$ je:

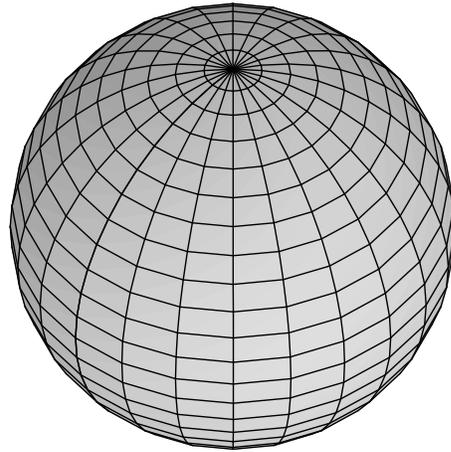
`plot3d([f(s,t), g(s,t), h(s,t)], s=a..b, t=c..d, options);`

```
> plot3d([r*cos(phi), r*sin(phi), phi], r=0..1, phi=0..6*Pi,
  grid=[15,45], style=patch, orientation=[55,70], shading=zhue,
  axes=boxed);
```

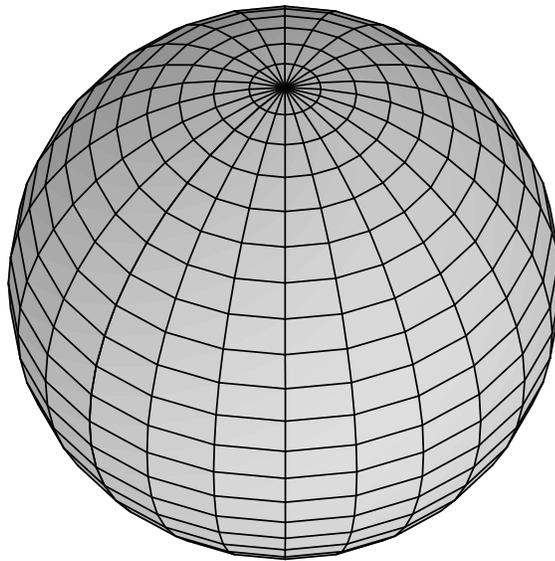


Maple podporuje i sfericke a cylindricke souradnice

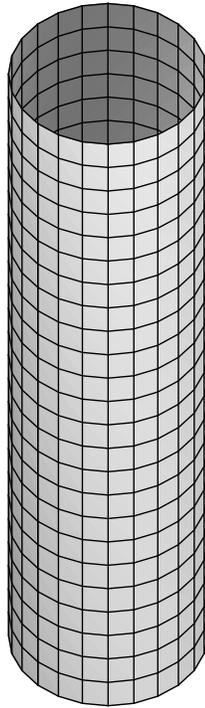
```
> s:=plot3d(1, theta=0..2*Pi, phi=0..Pi, style=patch,  
  coords=spherical, scaling=constrained): s;
```



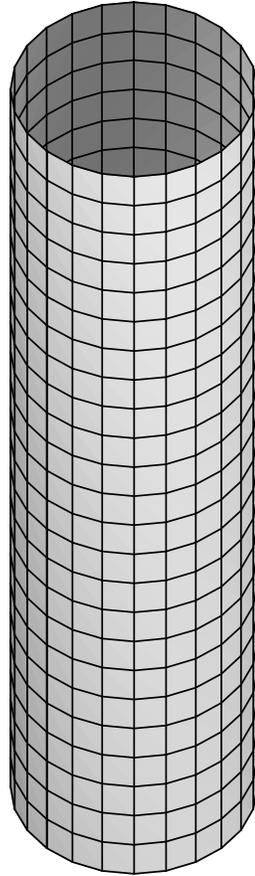
```
> s:=sphereplot(1, theta=0..2*Pi, phi=0..Pi, style=patch,  
scaling=constrained): s;
```



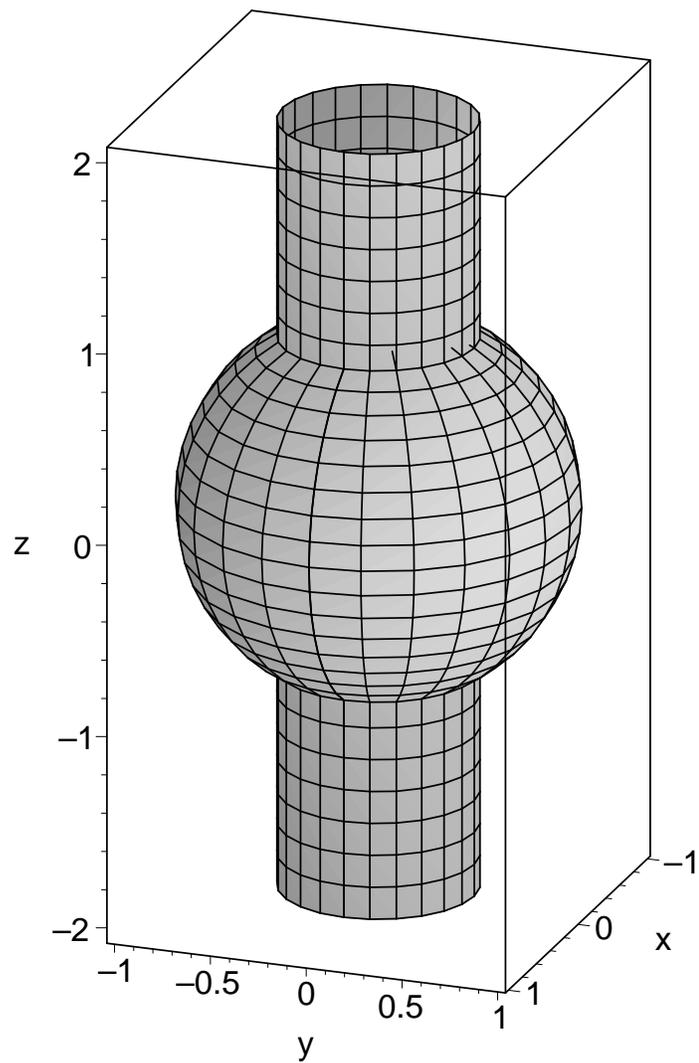
```
> c:=plot3d(1/2, theta=0..2*Pi, z=-2..2, style=patch,  
  coords=cylindrical, scaling=constrained): c;
```



```
> c:=cylinderplot(1/2, theta=0..2*Pi, z=-2..2, style=patch,  
scaling=constrained): c;
```



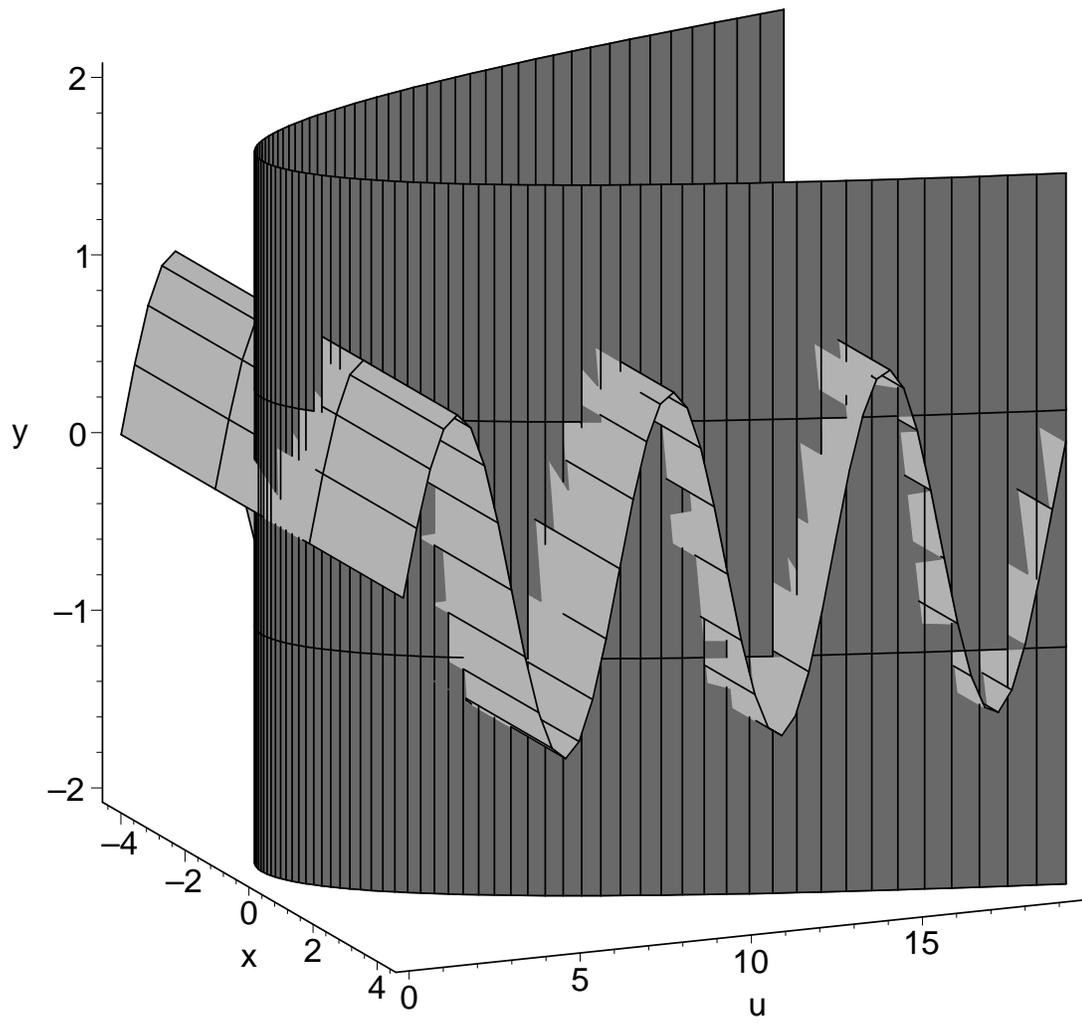
```
> display3d({s,c}, style=patchcontour, axes=boxed,  
orientation=[20,70], scaling=constrained);
```



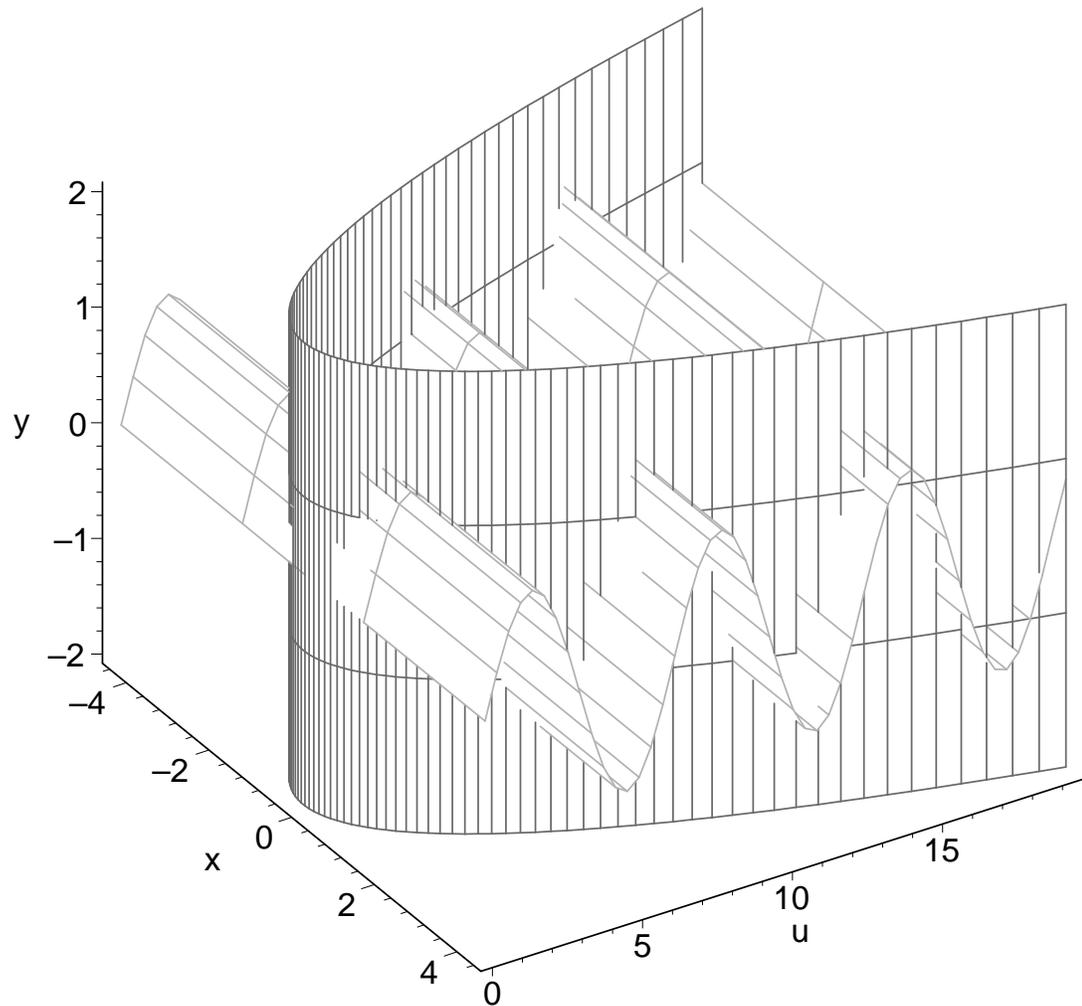
```

> a:=4.4:
[ > g:=t->t^2:
[ > h:=sin:
[ > hz:=plot3d([x,u,sin(u)],x=-a..a,u=0..a^2,color=CYAN,grid=[4,50],
[   labels=[x,u,y],axes=frame):
[ > vt:=plot3d([x,g(x),y],x=-a..a,y=-2..2,grid=[100,4],color=MAGENTA
[   ',
[   axes=frame,labels=[x,u,y]):
[ > display3d({hz,vt},orientation=[-32,53]);

```



```
> display3d({hz,vt},orientation=[-32,53],style=hidden);
```



```
> restart: with(plots):
```

```
Warning, the name changecoords has been redefined
```

```
> f:=(x,y)->x^2-y^2+4;
```

$$f := (x, y) \rightarrow x^2 - y^2 + 4$$

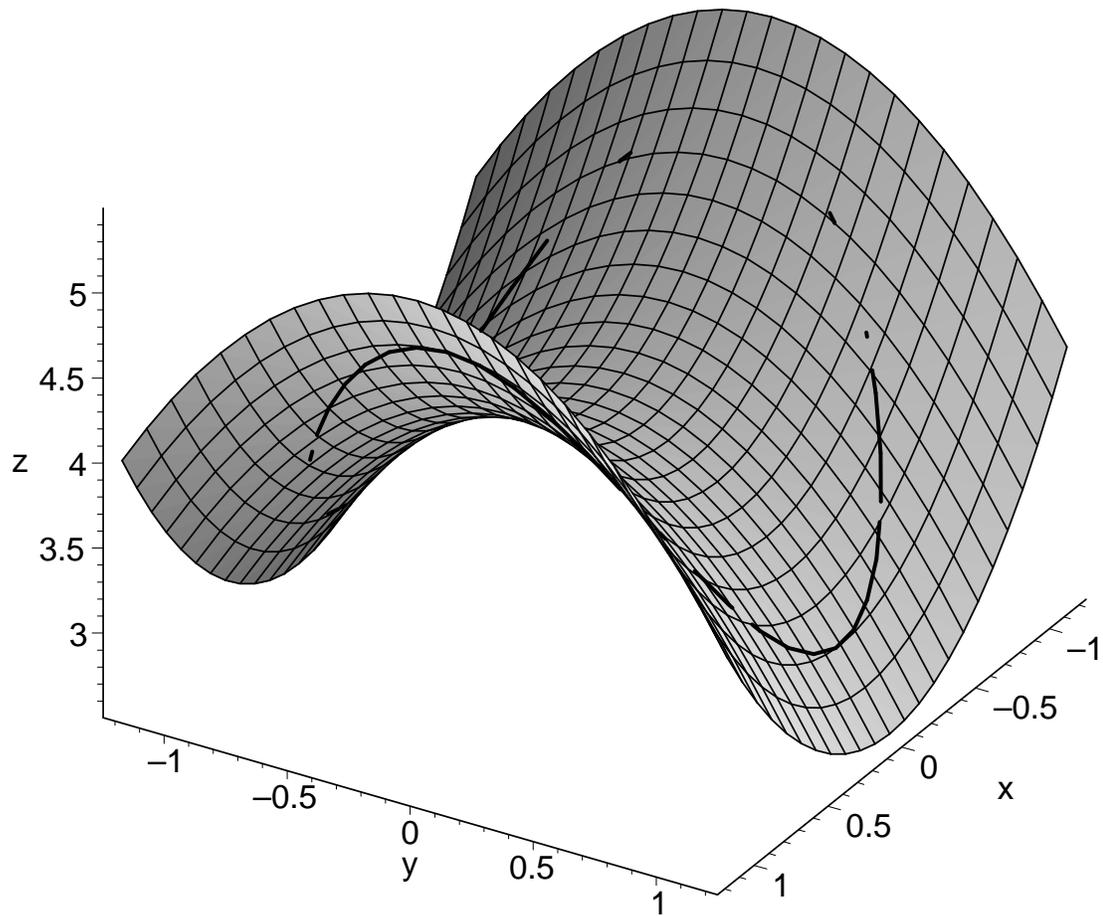
```
> M:=x^2+y^2=1;
```

$$M := x^2 + y^2 = 1$$

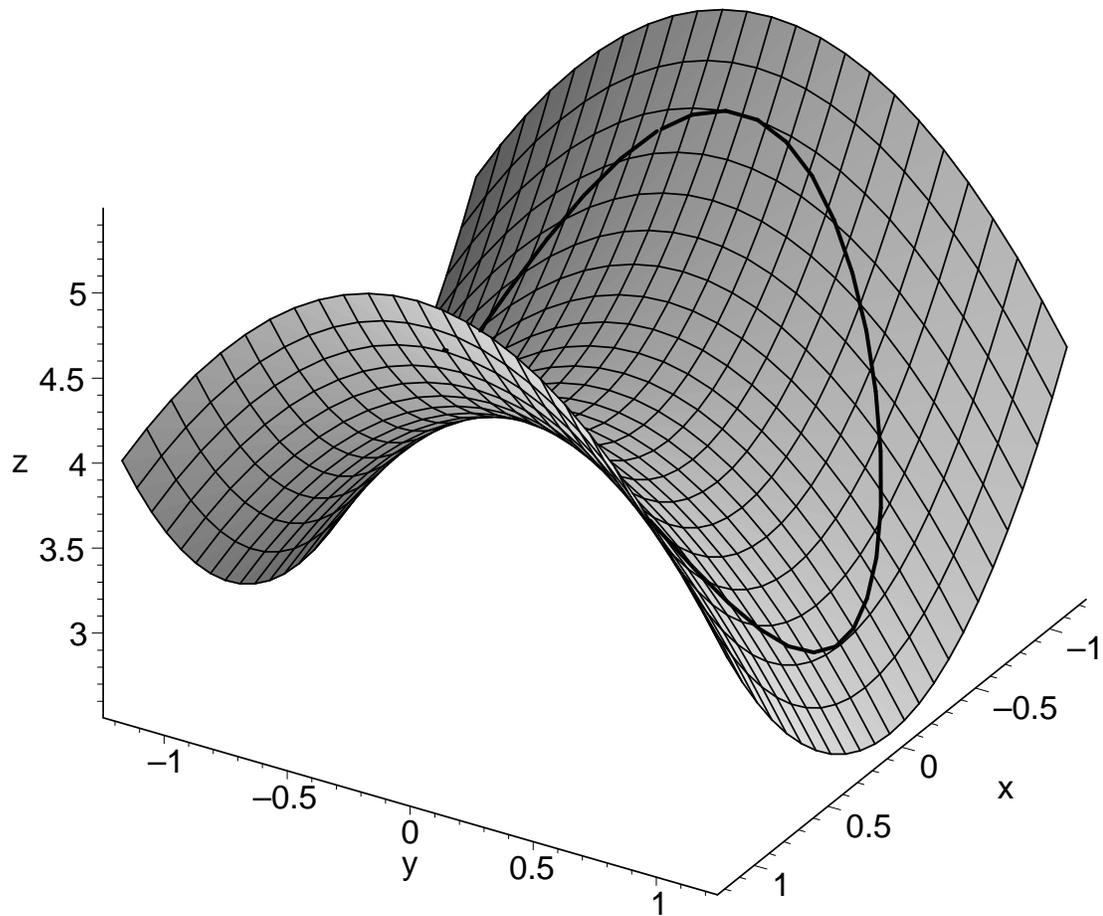
```
> p1:=plot3d(f(x,y), x=-1.2..1.2, y=-1.2..1.2, axes=framed,
orientation=[31,56]):
```

```
> p2:=spacecurve([cos(t), sin(t), f(cos(t),sin(t))], t=0..2*Pi,
color=black, thickness=3, orientation=[31,56]):
```

```
> display3d({p1,p2}, labels=[x,y,z]);
```



```
> p4:=spacecurve([cos(t), sin(t), f(cos(t),sin(t))+0.01],  
t=0..2*Pi, color=black, thickness=3, orientation=[31,56]):  
> display3d({p1,p4}, labels=[x,y,z]);
```

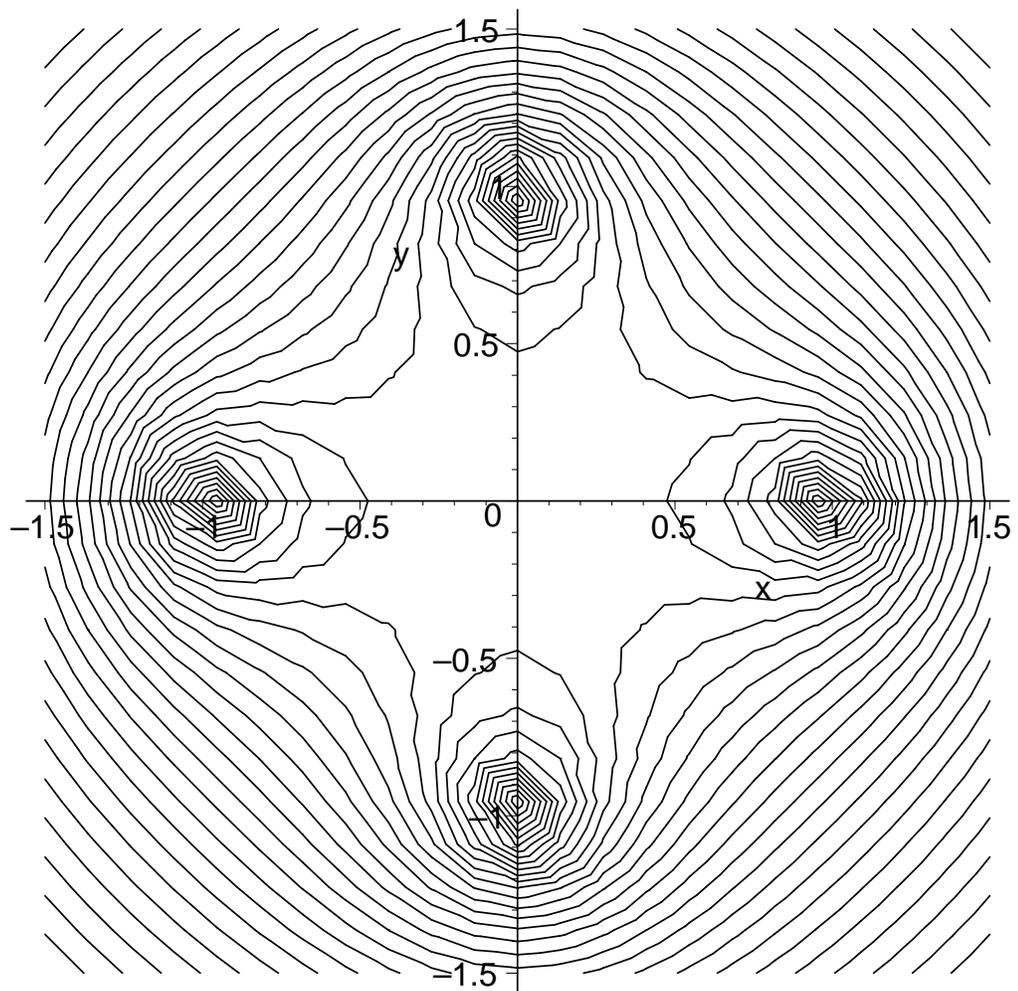


Vrstevnice

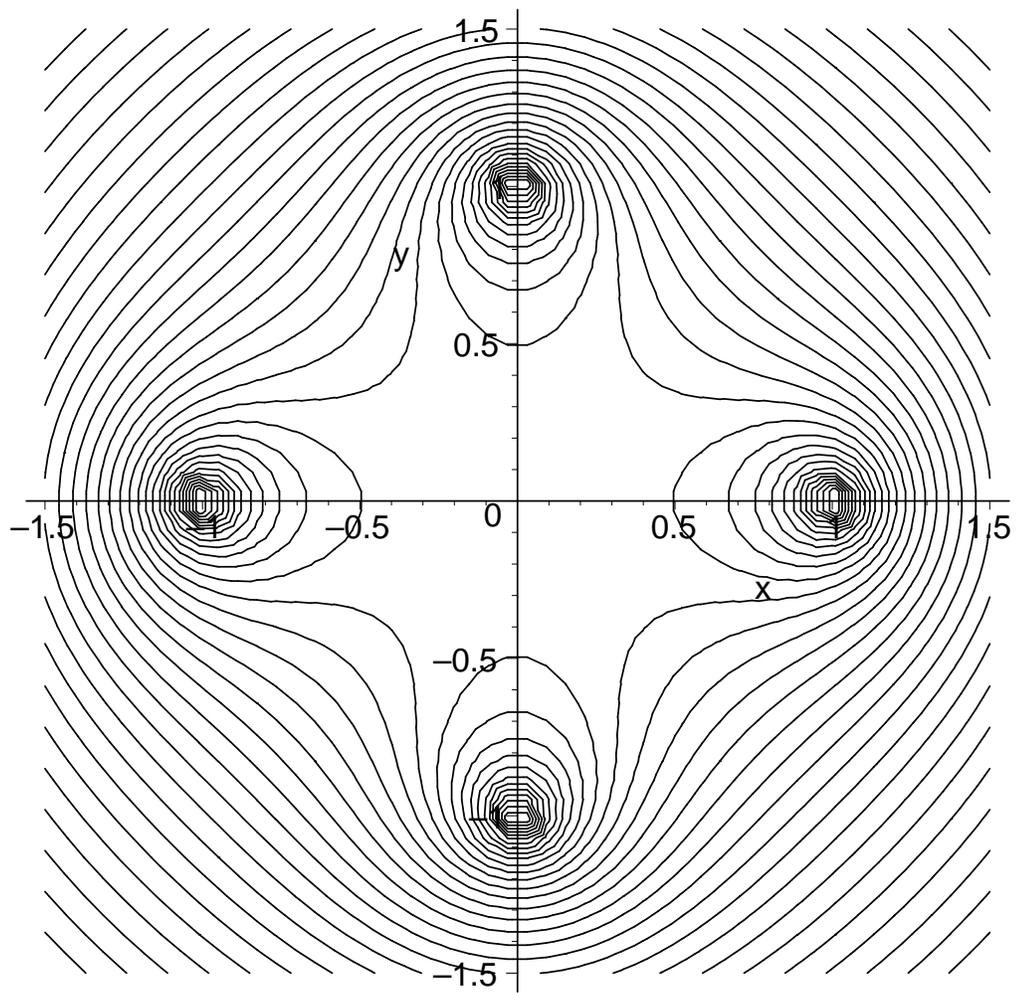
prikaz contourplot, pocet vrstevnic se nastavlja volbou contours, implicitni nastaveni je 20.

```
> U:=log(sqrt((x+1)^2+y^2)) + log(sqrt((x-1)^2+y^2)) +
  log(sqrt((y+1)^2+x^2)) + log(sqrt((y-1)^2+x^2));
```

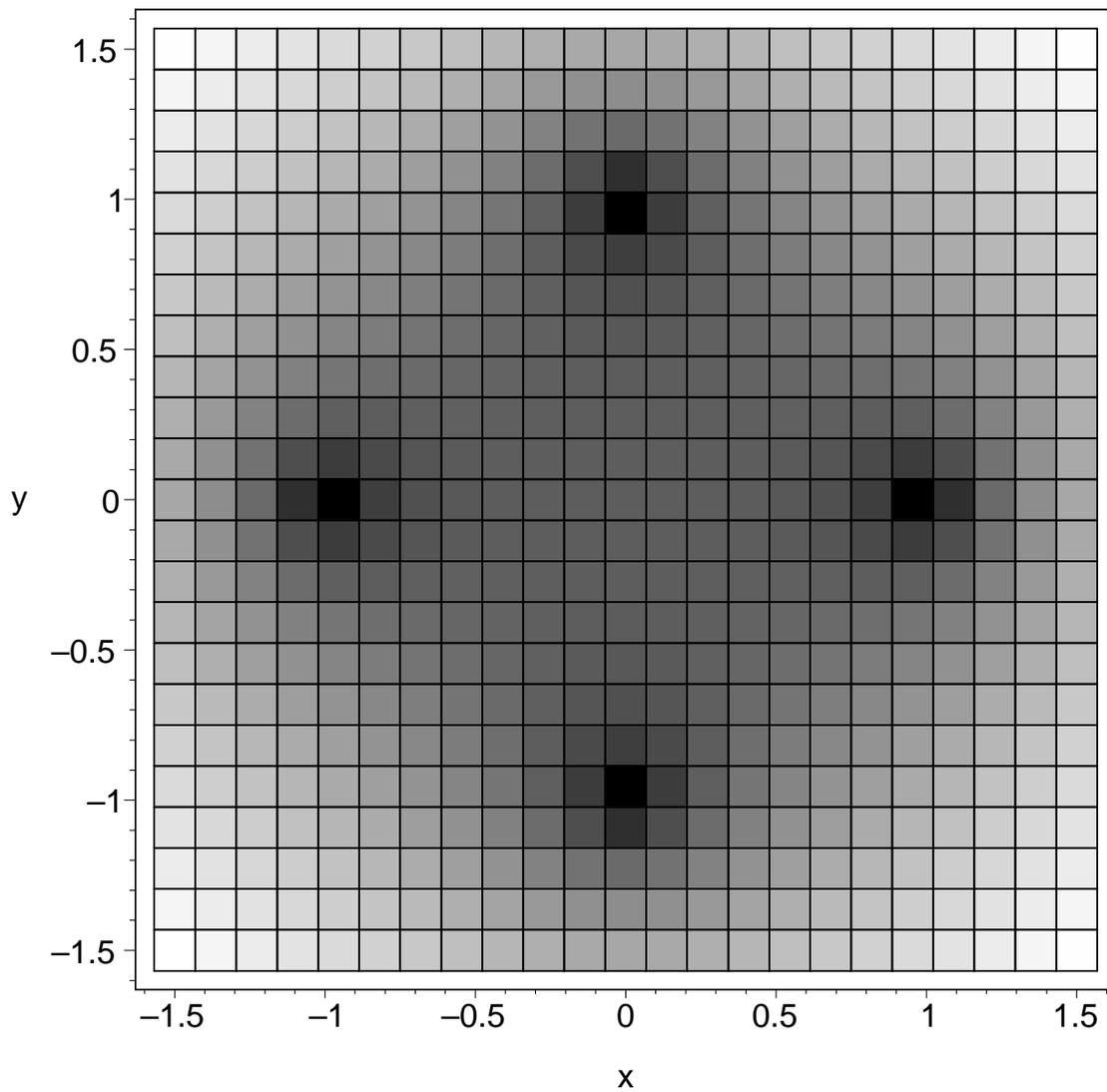
```
> contourplot(U, x=-3/2..3/2, y=-3/2..3/2, contours=30,
  numpoints=500, color=black);
```



```
> contourplot(U, x=-3/2..3/2, y=-3/2..3/2, contours=30,  
numpoints=500, color=black, grid=[50,50]);
```

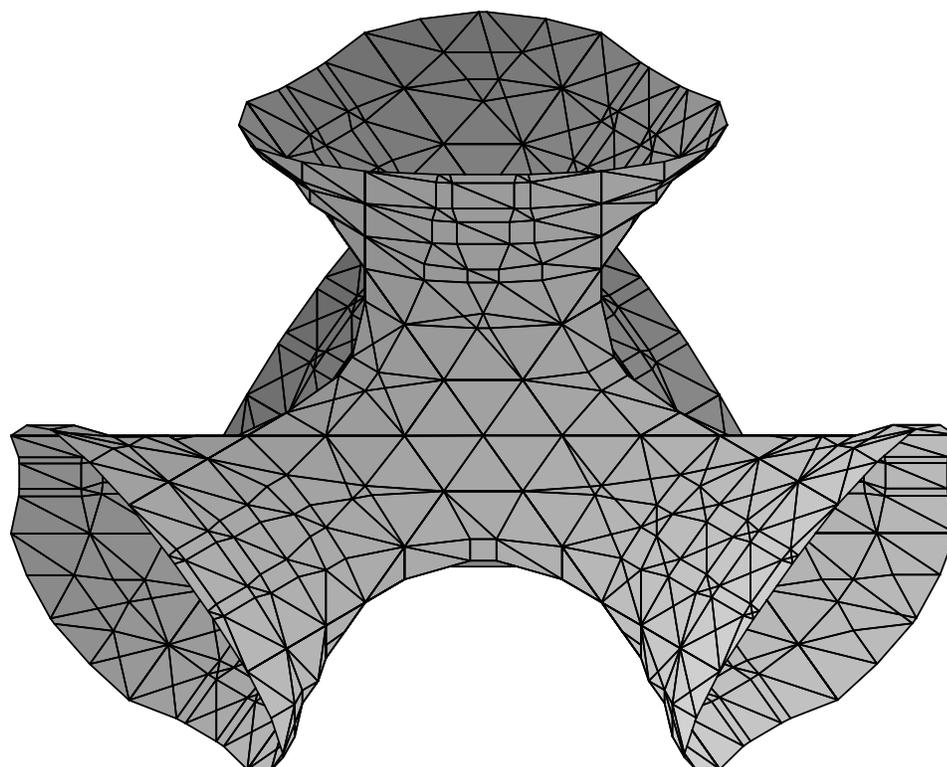


```
> densityplot(U, x=-3/2..3/2, y=-3/2..3/2, numpoints=500,  
axes=boxed);
```



Implicitni funkcije

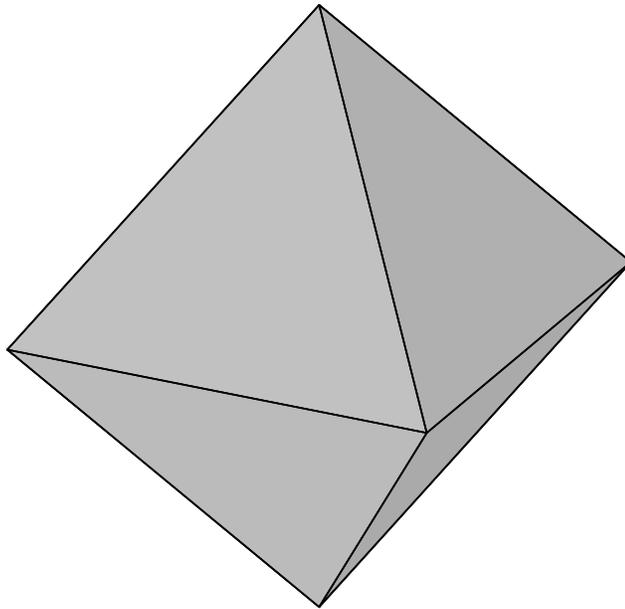
```
> implicitplot3d( x^3 + y^3 + z^3 + 1 = (x + y
+z+1)^3, x=-2..2, y=-2..2, z=-2..2, grid=[13,13,13]);
```



Mnohosteny - prikaz polyhedraplot

(ctyrsten - tetrahedron, osmisten - octahedron

```
> polyhedraplot([0,0,0], polytype=octahedron, style=patch,  
  scaling=constrained, orientation=[71,66]);
```



```
> ?polyhedraplot  
> polyhedra_supported();
```

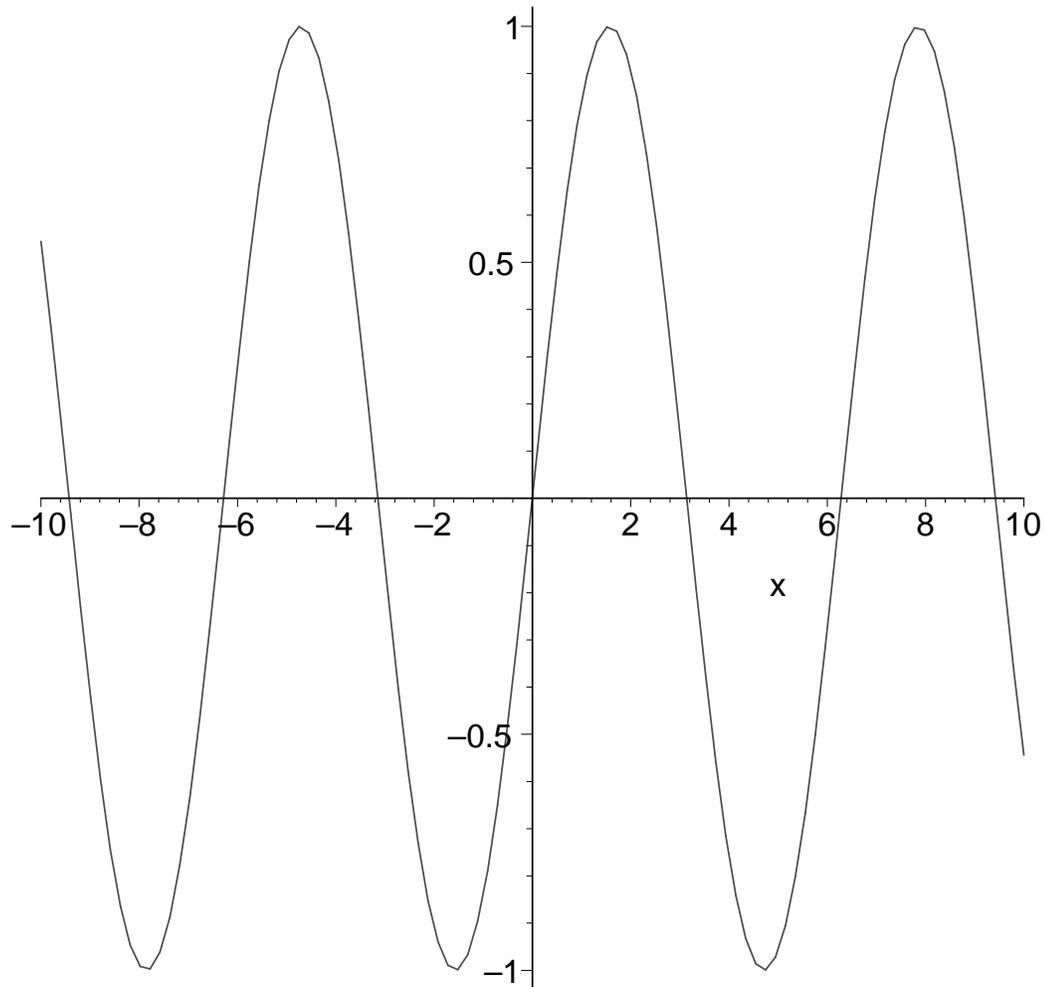
{DecagonalPrism, sphenocorona, ElongatedSquarePyramid, SnubDisphenoid, SquarePyramid, TriangularOrthobicupola, ElongatedSquareCupola, AugmentedDodecahedron, AugmentedHexagonalPrism, PentagonalGyrobicupola, PentagonalOrthobicupola, hebesphenomegacorona, AugmentedSphenocorona, PentagonalPrism, AugmentedTruncatedCube, tetrahedron, octahedron, hexahedron, icosahedron, SmallStellatedDodecahedron, GreatStellatedDodecahedron, TrapezoidalIcositetrahedron, PentagonalIcositetrahedron, TrapezoidalHexecontahedron, PentagonalHexecontahedron, ElongatedTriangularPyramid, ElongatedPentagonalPyramid, GyroelongatedSquarePyramid,

ElongatedSquareDipyramid, ElongatedTriangularCupola, ElongatedPentagonalCupola, ElongatedPentagonalRotunds, GyroelongatedSquareCupola, PentagonalGyrocupolarotunda, PentagonalOrthobirotunda, ElongatedSquareGyrobicupola, GyroelongatedSquareBicupola, AugmentedTriangularPrism, BiaugmentedTriangularPrism, TriaugmentedTriangularPrism, AugmentedPentagonalPrism, BiaugmentedPentagonalPrism, TriaugmentedHexagonalPrism, ParabiaugmentedDodecahedron, MetabiaugmentedDodecahedron, TriaugmentedDodecahedron, MetabidiminishedIcosahedron, TridiminishedIcosahedron, BiaugmentedTruncatedCube, TriangularHebesphenorotunda, TriangularPrism, GreatIcosahedron, GreatDodecahedron, PentagonalCupola, TriangularCupola, PentagonalPyramid, HexakisIcosahedron, TriakisIcosahedron, HexakisOctahedron, TetrakisHexahedron, TriakisOctahedron, RhombicDodecahedron, DecagonalAntiprism, OctagonalAntiprism, HexagonalAntiprism, PentagonalAntiprism, SnubSquareAntiprism, SquareGyrobicupola, SquareOrthobicupola, PentagonalDipyramid, TriangularDipyramid, PentagonalRotunda, octahemioctahedron, tetrahemihexahedron, disphenocingulum, sphenomegacorona, RhombicTriacontahedron, GyroelongatedPentagonalPyramid, ElongatedPentagonalDipyramid, ElongatedTriangularDipyramid, SquareCupola, echidnahedron, HexagonalPrism, dodecahedron, PentakisDodecahedron, GyroelongatedSquareDipyramid, GyroelongatedTriangularCupola, GyroelongatedPentagonalCupola, GyroelongatedPentagonalRotunda, PentagonalOrthocupolarontunda, ElongatedTriangularOrthobicupola, ElongatedTriangularGyrobicupola, ElongatedPentagonalOrthobicupola, ElongatedPentagonalGyrobicupola, ElongatedPentagonalOrthocupolarotunda, ElongatedPentagonalOrthobirotunda, ElongatedPentagonalGyrobirotunda, GyroelongatedTriangularBicupola, GyroelongatedPentagonalBicupola, GyroelongatedPentagonalCupolarotunda, GyroelongatedPentagonalBirotunda, ParabiaugmentedHexagonalPrism, MetabiaugmentedHexagonalPrism, AugmentedTruncatedTetrahedron, AugmentedTruncatedDodecahedron, ParabiaugmentedTruncatedDodecahedron, MetabiaugmentedTruncatedDodecahedron, TriaugmentedTruncatedDodecahedron, GyrateRhombicosidodecahedron, ParabigyrateRhombicosidodecahedron, MetabigyrateRhombicosidodecahedron, TrigyrateRhombicosidodecahedron, DiminishedRhombicosidodecahedron, ParagyrateDiminishedRhombicosidodecahedron, MetagyrateDiminishedRhombicosidodecahedron, BigyrateDiminishedRhombicosidodecahedron, ParabidiminishedRhombicosidodecahedron, MetabidiminishedRhombicosidodecahedron, GyrateBidiminishedRhombicosidodecahedron, TridiminishedRhombicosidodecahedron, SquareAntiprism, OctagonalPrism, bilunabirotunda }

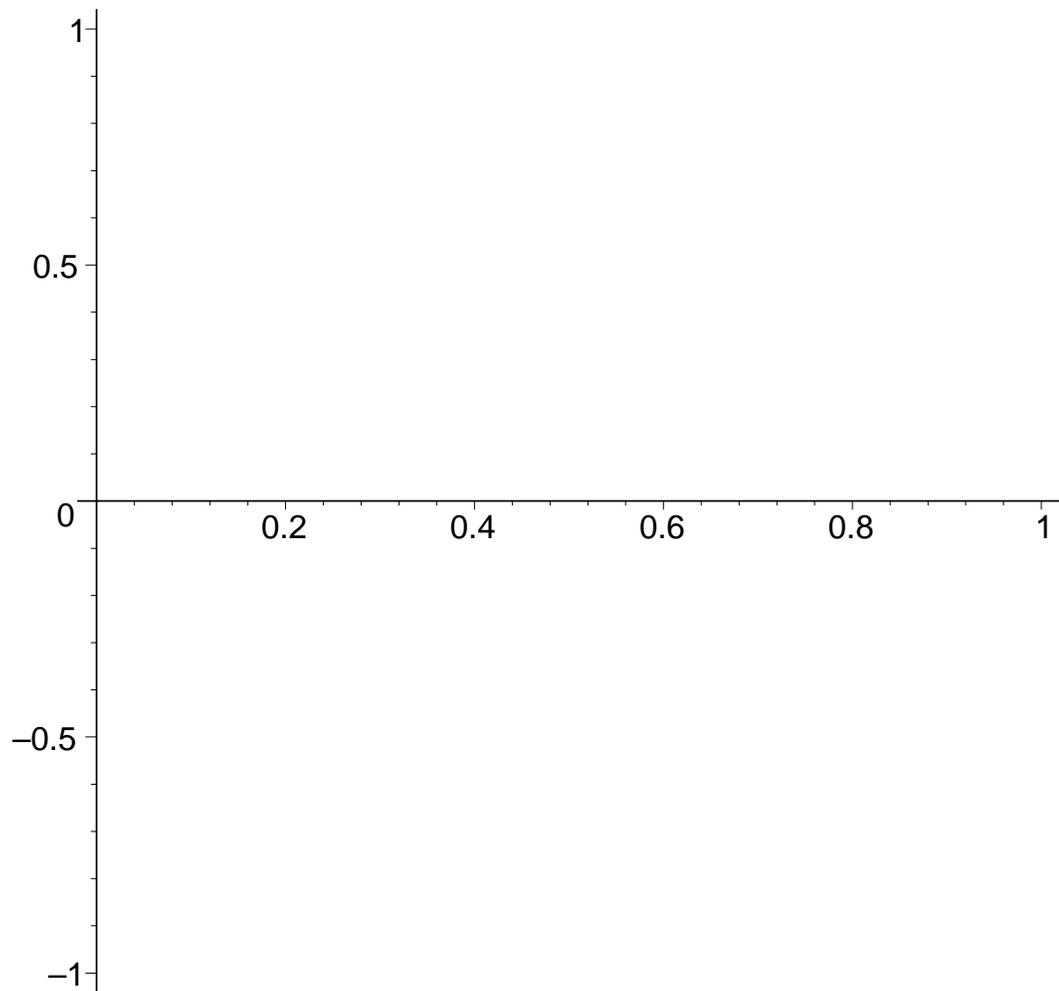
Animace

K vytváření animací používáme příkazy **animate** (**animate3d**) nebo příkazy **display** s volbou **insequence=true**. Použití **display** je obecnější a poskytuje více možností.

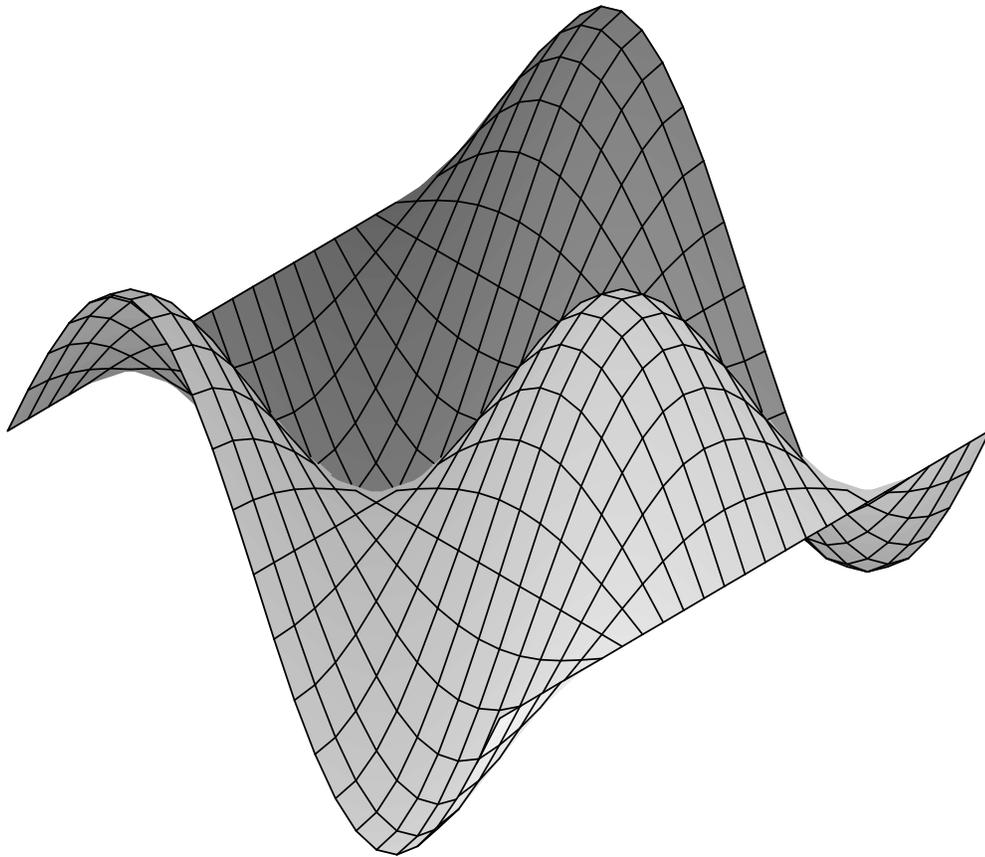
```
> restart;with(plots):  
Warning, the name changecoords has been redefined  
> animate( sin(x*t),x=-10..10,t=1..2,frames=50, numpoints=100);
```



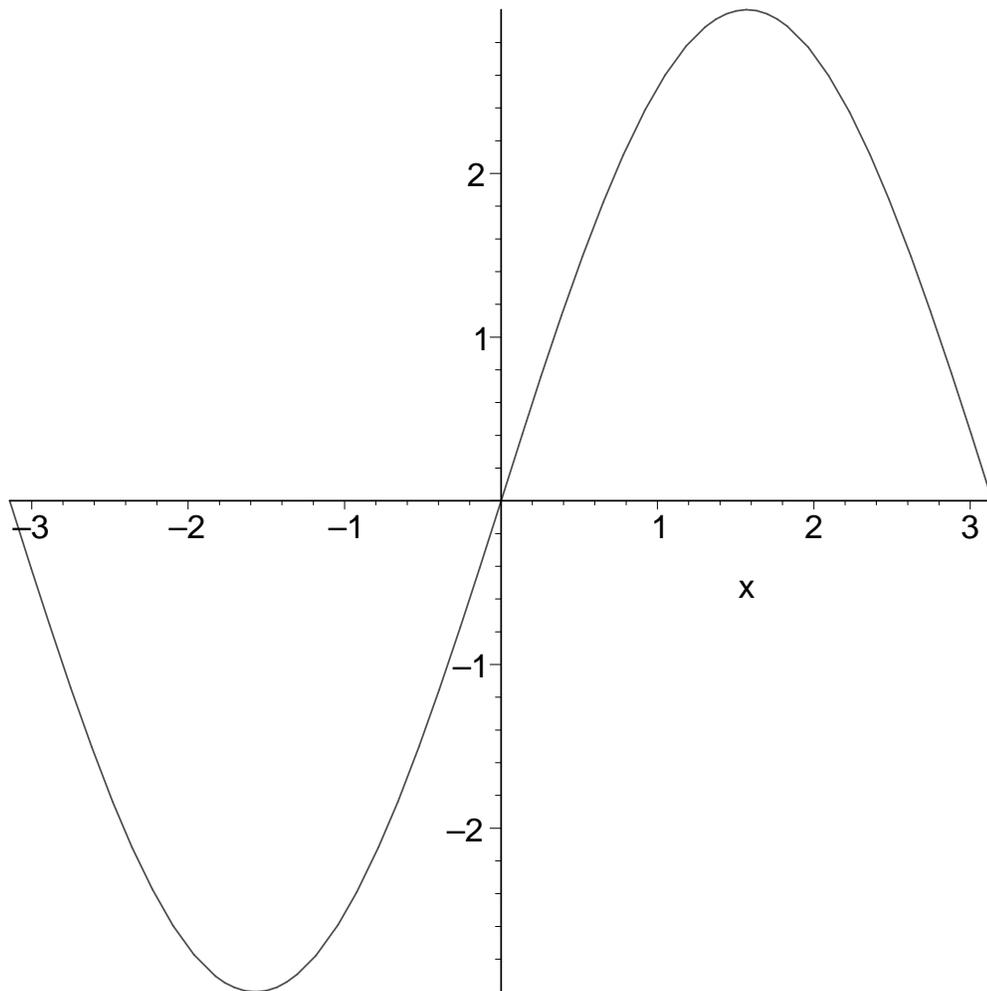
```
> animatecurve(sin(2*Pi*x), x=0..1, color=black);
```



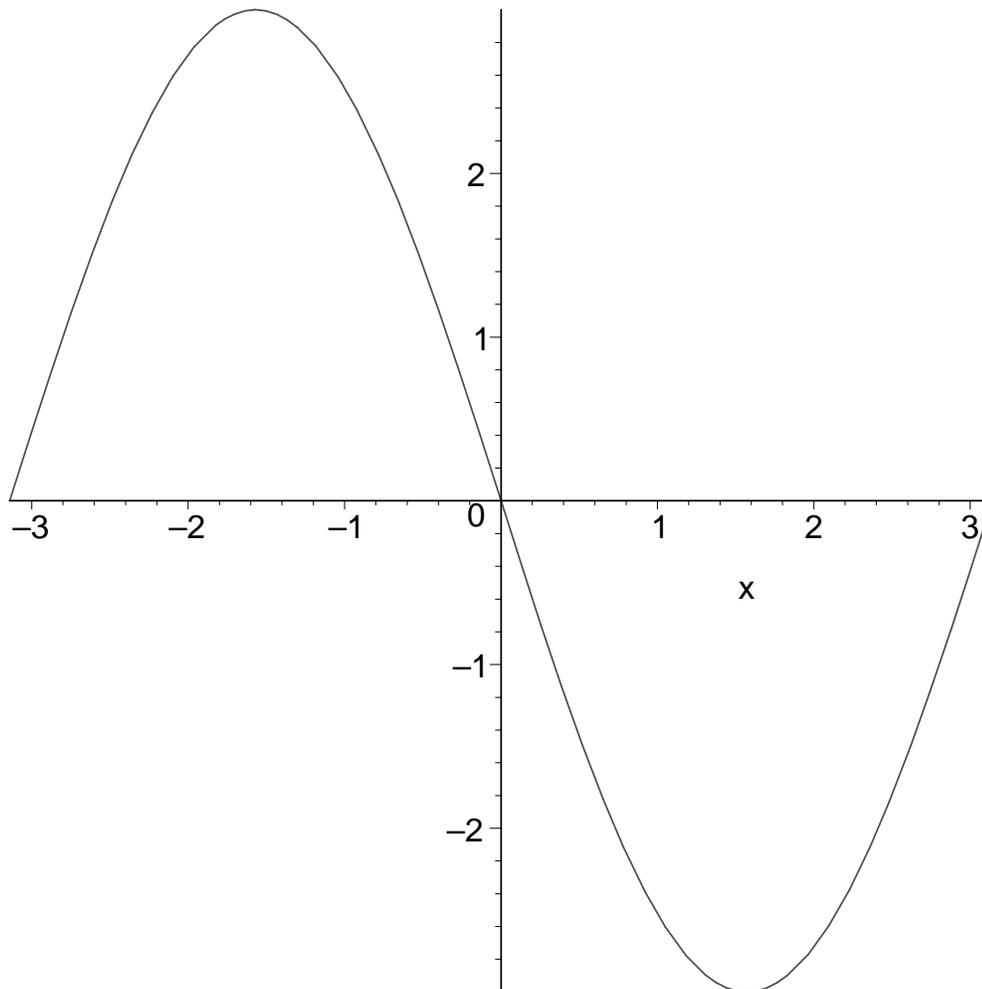
```
> animate3d(cos(t*x)*sin(t*y),x=-Pi..Pi, y=-Pi..Pi,t=1..2);
```



```
[ > a1:=plot(sin(x), x=-Pi..Pi, axes=normal):  
[ > a2:=plot(2*sin(x), x=-Pi..Pi, axes=normal):  
[ > a3:=plot(3*sin(x), x=-Pi..Pi, axes=normal):  
[ > display({a1,a2,a3},insequence=true);
```



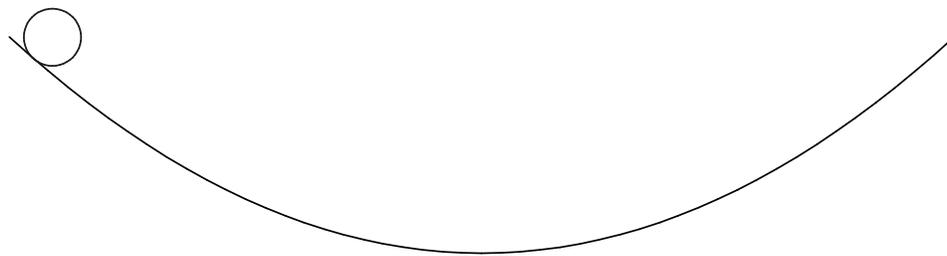
```
> a:=k->plot(k*sin(x), x=-Pi..Pi, axes=normal):  
> display([seq(a(k), k=-3..3)], insequence=true);
```



Prikaz **seq** slouzi ke generovani posloupnosti podle zadaneho pravidla, syntaxe: **seq(vyraz v promenne k, k=rozsah)**

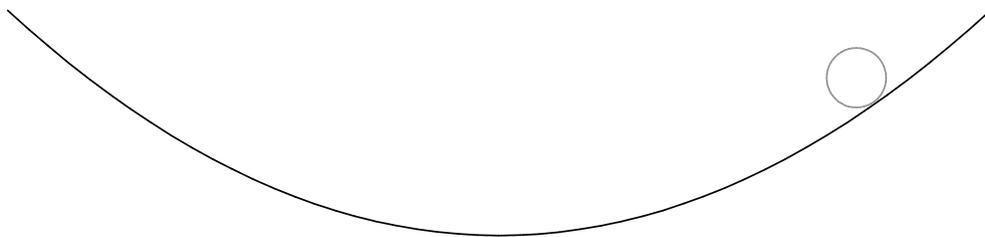
```
> restart:
with(plots):setoptions(scaling=constrained,axes=none):
A:=animate([sin(t)+3*k,cos(t)+k^2/4,t=0..2*Pi],k=-5..5,color=blue,thickness=2):
B:=plot([3*t,t^2/4-1.3,t=-5.5..5.5],color=black,thickness=2):
display([A,B]);
```

Warning, the name `changecoords` has been redefined



```
> restart:
with(plots):setoptions(scaling=constrained,axes=None):
a1:=k->plot([sin(t)+3*(5-k),cos(t)+(5-k)^2/4,t=0..2*Pi],color=green,thickness=2):
a2:=k->plot([sin(t)-3*(15-k),cos(t)+(15-k)^2/4,t=0..2*Pi],color=green,thickness=2):
a:=proc(k) : if k<11 then a1(k) else a2(k) fi end:
b:=k->plot([3*t,t^2/4-1.3,t=-5.5..5.5],color=black,thickness=2):
display([seq(display({a(k),b(k)}),k=1..20)],insequence=true);
```

Warning, the name changecoords has been redefined



– Složitejsi ukazka animace

```
> restart:
with(plots):
body :=
[[1,1,1],[-1,1,1],[-1,-1,1],[1,-1,1]],[[1,1,-1],[-1,1,-1],[-1,-1,-1],[1,-1,-1]],

[[1,1,1],[1,-1,1],[1,-1,-1],[1,1,-1]],[[-1,1,1],[-1,-1,1],[-1,-1,-1],[-1,1,-1]]:

tail:= [[-1,-.5,.5],[-4,-.8,.8],[-4,.8,.8],[-1,.5,.5]], [[-1,-.5,-.5],[-4,-.8,-.8],[-4,.8,-.8],[-1,.5,-.5]]:
```

```

lwing01:=[[-1,1,1],[1,1,1],[.5,6,4],[-1,6,4]], [[-1,1,-1],[1,1,-1],[.5,6,3.5],[-1,6,3.5]],

[.5,6,3.5],[-1,6,3.5],[-.4,11,3],[-.4,11,3]], [[.5,6,4],[-1,6,4],[-.4,11,3],[-.4,11,3]]:

lwing02:=[[-1,1,1],[1,1,1],[.5,6,-2],[-1,6,-2]], [[-1,1,-1],[1,1,-1],[.5,6,-2.5],[-1,6,-2.5]],

[.5,6,-2.5],[-1,6,-2.5],[-.4,11,-5],[-.4,11,-5]], [[.5,6,-2],[-1,6,-2],[-.4,11,-5],[-.4,11,-5]]:

rwing01:=[[-1,-1,1],[1,-1,1],[.5,-6,4],[-1,-6,4]], [[-1,-1,-1],[1,-1,-1],[.5,-6,3.5],[-1,-6,3.5]],

[.5,-6,3.5],[-1,-6,3.5],[-.4,-11,3],[-.4,-11,3]], [[.5,-6,4],[-1,-6,4],[-.4,-11,3],[-.4,-11,3]]:

rwing02:=[[-1,-1,1],[1,-1,1],[.5,-6,-2],[-1,-6,-2]], [[-1,-1,-1],[1,-1,-1],[.5,-6,-2.5],[-1,-6,-2.5]],

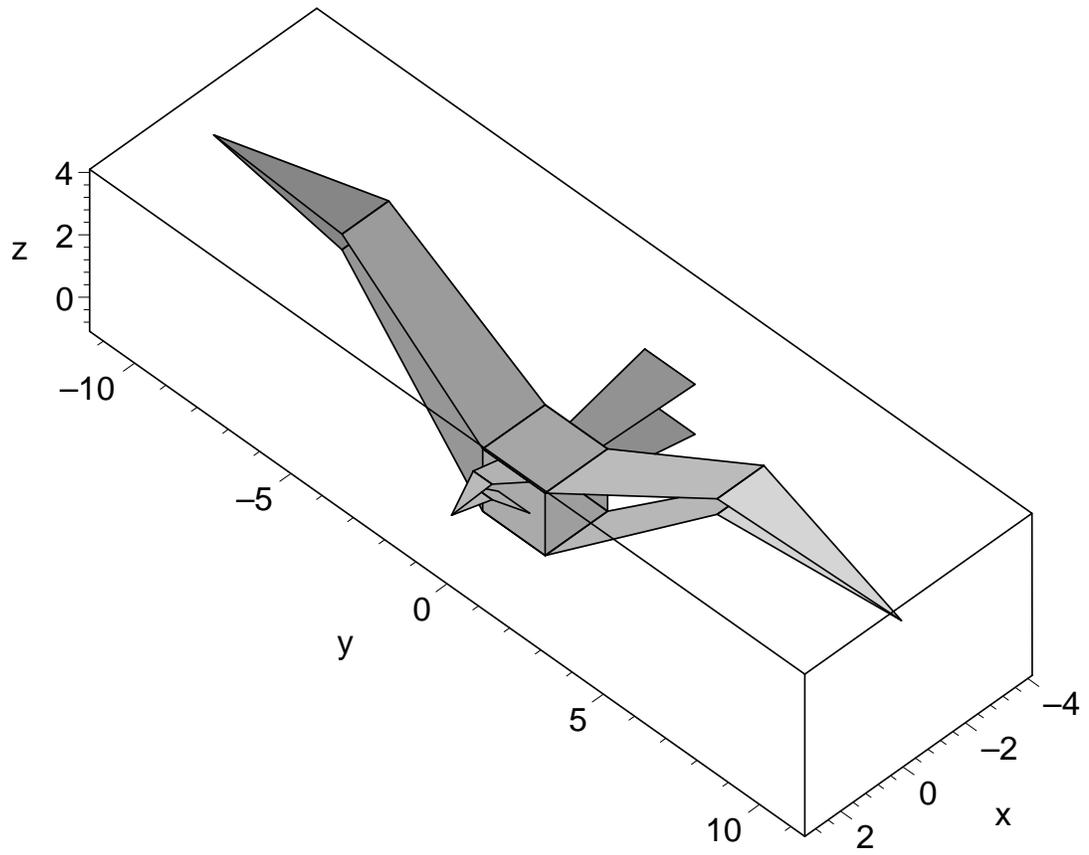
[.5,-6,-2.5],[-1,-6,-2.5],[-.4,-11,-5],[-.4,-11,-5]], [[.5,-6,-2],[-1,-6,-2],[-.4,-11,-5],[-.4,-11,-5]]:

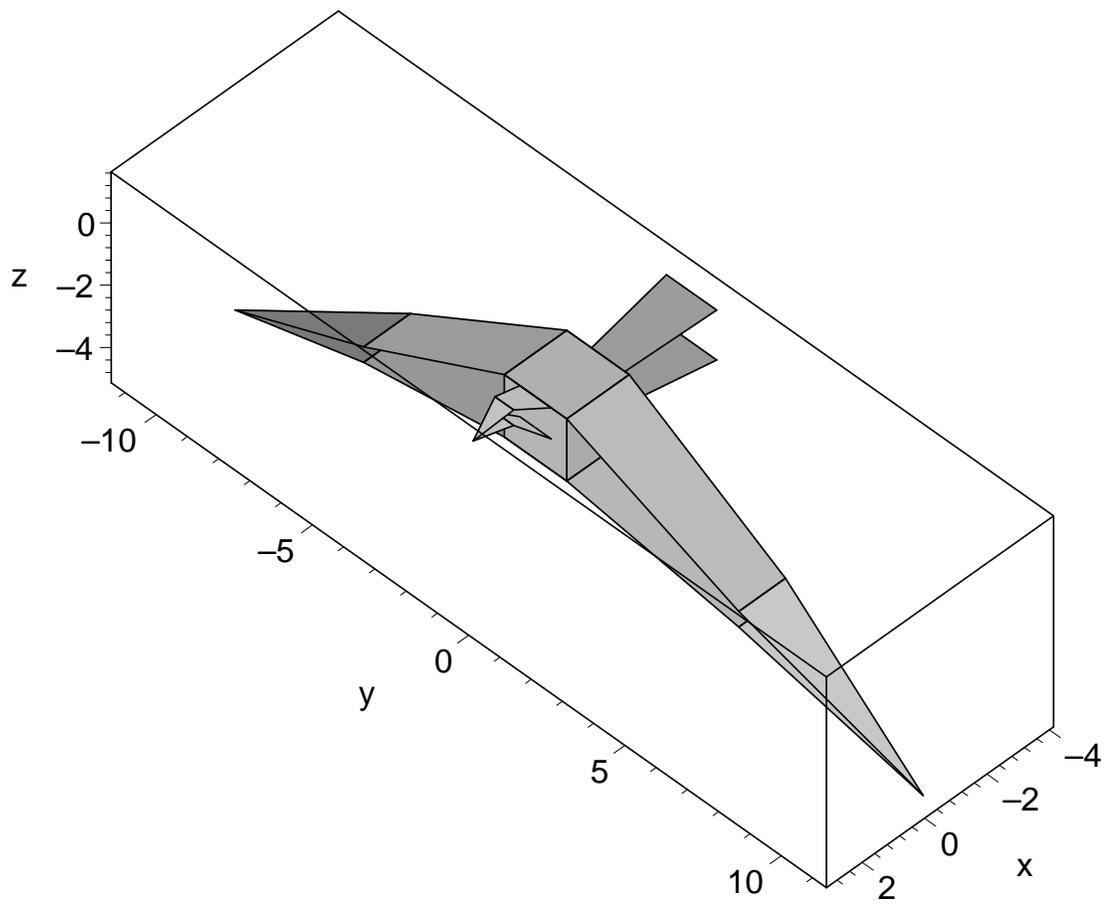
head:=[[1,.5,1],[1,-.5,1],[2,-.3,1.5],[2,.3,1.5]], [[1,.5,0],[1,-.5,0],[2,-.3,1],[2,.3,1]],

[[2,-.3,1],[2,.3,1],[3,0,1],[3,0,1]], [[2,-.3,1.5],[2,.3,1.5],[3,0,1],[3,0,1]]:
  bird01=[body,tail,lwing01,rwing01, head]:
  bird02=[body,tail,lwing02,rwing02, head]:
  polygonplot3d(bird01, axes = boxed, labels = [x,y,z],
scaling=constrained);
  polygonplot3d(bird02, axes = boxed, labels = [x,y,z],
scaling=constrained);
  morph3d:=proc(first,last,t)
  local k,j;
  [seq([seq([(1-t)*op(1,op(j,op(k,first)))+
t*op(1,op(j,op(k,last)))]),
(1-t)*op(2,op(j,op(k,first)))+
t*op(2,op(j,op(k,last))), (1-t)*
op(3,op(j,op(k,first)))+
t*op(3,op(j,op(k,last)))]],j=1..4)], k=1..nops(first)):
  end:

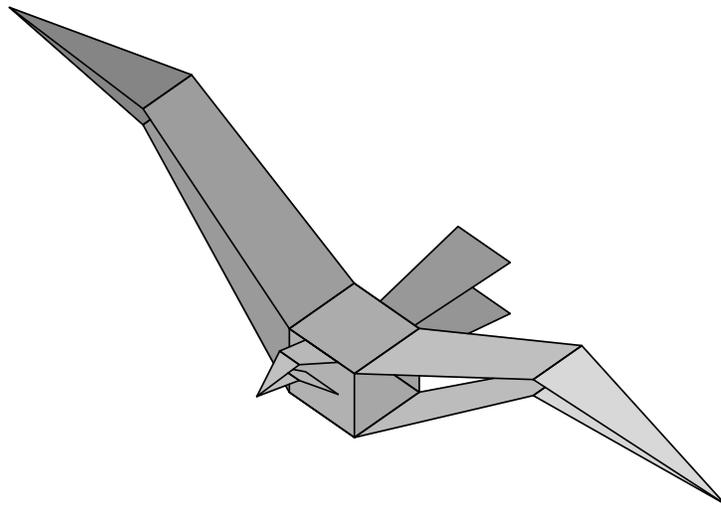
```

Warning, the name changecoords has been redefined





```
> a:=seq(polygonplot3d([morph3d(bird01,bird02,t/5)],  
  scaling = constrained),t=0..5):  
  b:=seq(polygonplot3d([morph3d(bird02,bird01,t/5)],  
  scaling = constrained),t=0..5):  
  display3d([a,b], insequence=true); #try this with the loop  
  button on
```



Plottools

```
[ > restart;
```

```
[ > with(plottools);
```

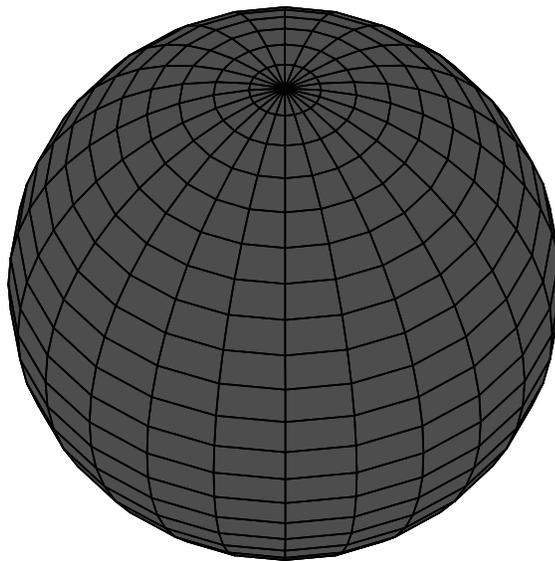
```
[ arc, arrow, circle, cone, cuboid, curve, cutin, cutout, cylinder, disk, dodecahedron, ellipse,  
ellipticArc, hemisphere, hexahedron, homothety, hyperbola, icosahedron, line, octahedron,  
parallelepiped, pieslice, point, polygon, project, rectangle, reflect, rotate, scale, semitorus, sphere,  
stellate, tetrahedron, torus, transform, translate, vrmf]
```

```
[ > with(plots):
```

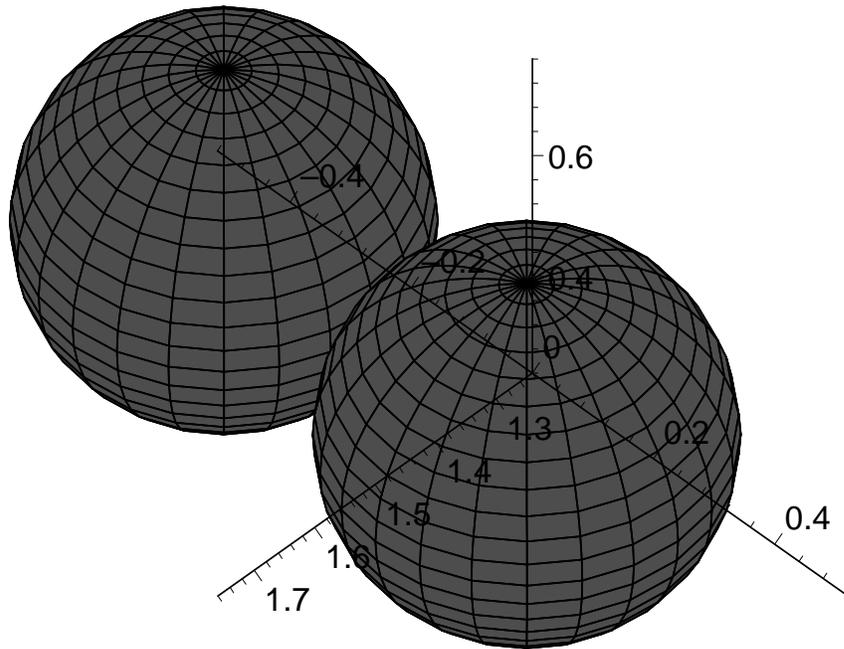
```
Warning, the name changecoords has been redefined
```

```
Warning, the previous binding of the name arrow has been removed  
and it now has an assigned value
```

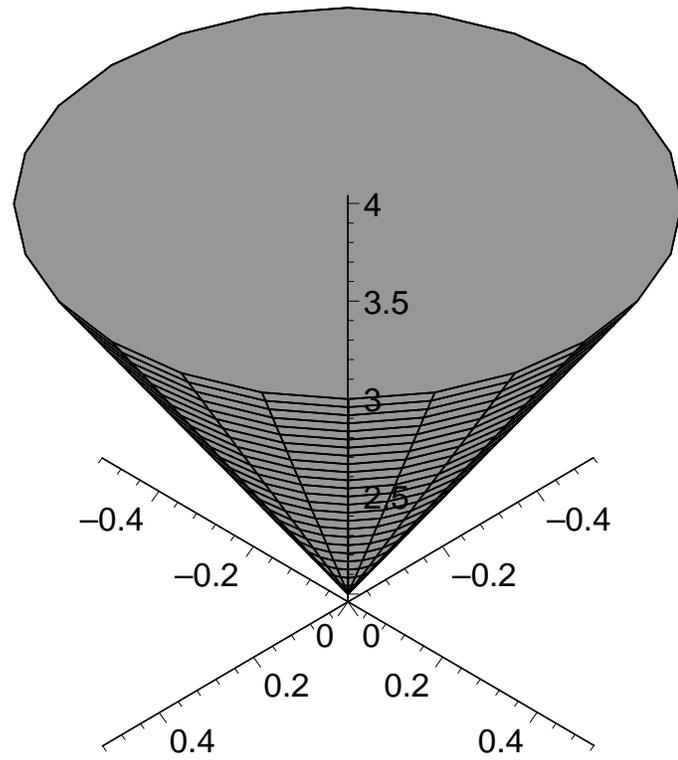
```
[ > s1:=sphere([3/2,1/4,1/2], 1/4, color=red):  
[ > display(s1, scaling=constrained);
```



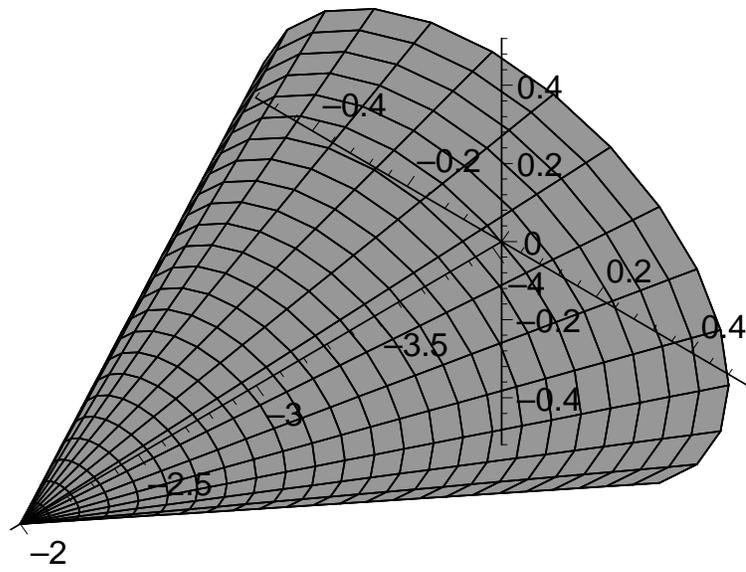
```
[ > s2:=sphere([3/2,-1/4,1/2], 1/4, color=red):  
[ > display([s1,s2], axes=normal, scaling=constrained);
```



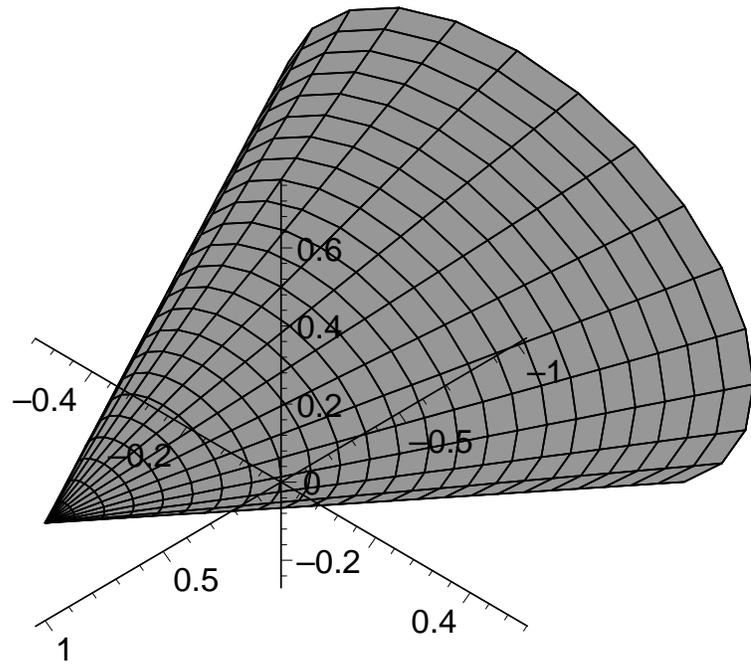
```
> c:=cone([0,0,2], 1/2, 2, color=khaki):  
> display(c, axes=normal);
```



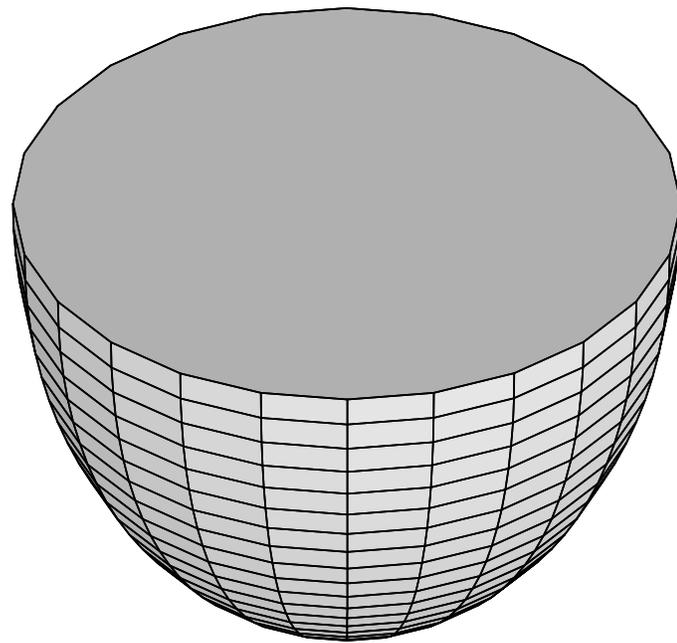
```
> c2:=rotate(c, 0, Pi/2,0):  
> display(c2, axes=normal);
```



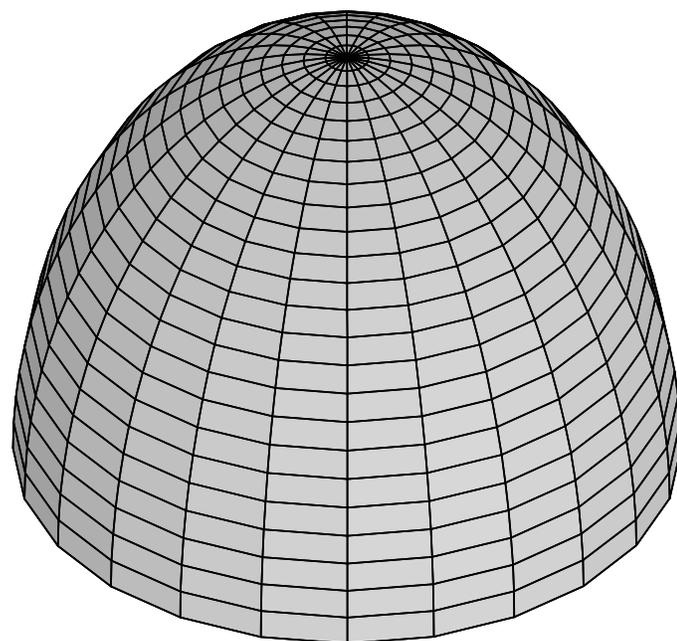
```
[ > c3:=translate(c2, 3,0,1/4):  
[ > display(c3, axes=normal);
```



```
> cup:=hemisphere():  
> display(cup);
```



```
[ > cap:=rotate(cup, Pi, 0, 0):  
[ > display(cap);
```



– Geometrie v 2D

```
[ > with(geometry):  
Warning, these names have been rebound: circle, ellipse,  
homothety, hyperbola, line, point  
[ >  
[ > point(A,0,0),point(B,2,0),point(C,1,3):  
[ > triangle(T1,[A,B,C]);  
  
[ > incircle(inc,T1,'centername'=o);  
[ > T1
```

inc

```
> detail(inc);
```

assume that the names of the horizontal and vertical axes are *_x*
and *_y*, respectively

name of the object: inc

form of the object: circle2d

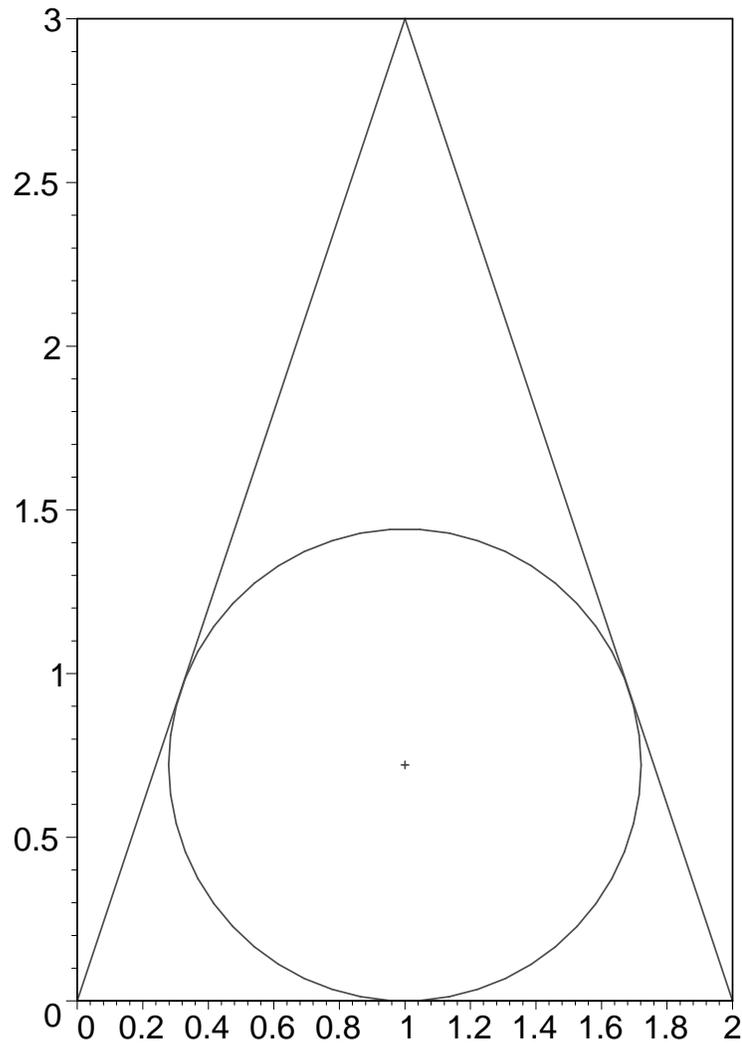
name of the center: o

coordinates of the center: [1, 3/(10^{1/2}+1)]

radius of the circle: 3/(10^{1/2}+1)

*equation of the circle: 1+_x²+_y²-2*_x-6*_y/(10^{1/2}+1) = 0*

```
> draw([T1, inc,o]);
```



>

Prezentace na webu pomoci JavaView

```
[ > with(JavaViewLib);
Error, invalid input: with expects its 1st argument, pname, to be
of type {package, module}, but received JavaViewLib

[ > runJavaView();
Launching "/usr/local/maple95/jre.IBM_INTEL_LINUX/bin/java -classpath /home_zam/plch/
maple/JavaViewLib/jars/javaview.jar:/home_zam/plch/maple/JavaViewLib/jars/jvx.jar:/home
_zam/plch/maple/JavaViewLib/jars/vgpapp.jar javaview"

[ > objekt:=plot3d(sin(x)*cos(y), x=-3..3, y=-3..3):
```

