

Notation for Spin Systems

Capital letters A, B, C, M, A, X, Y,

➤ Same letter = same chemical shift (A_3, B_2, X_6, \dots)

➤ Different letters = different chemical shifts

Letters close in the alphabet (A, B, C, ...)

J [Hz] of the same magnitude as $\Delta\nu$ [Hz]

Letters separated in the alphabet (A, M, X, ...)

large separation of chemical shifts

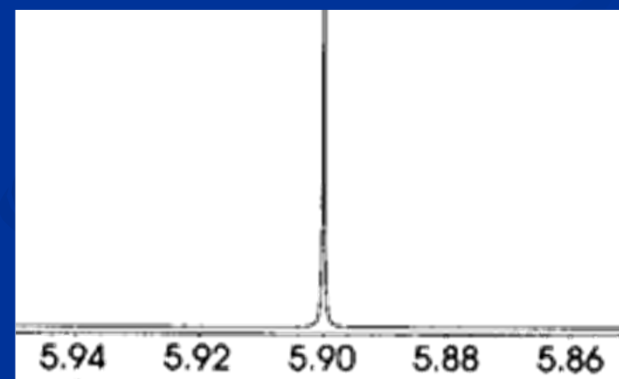
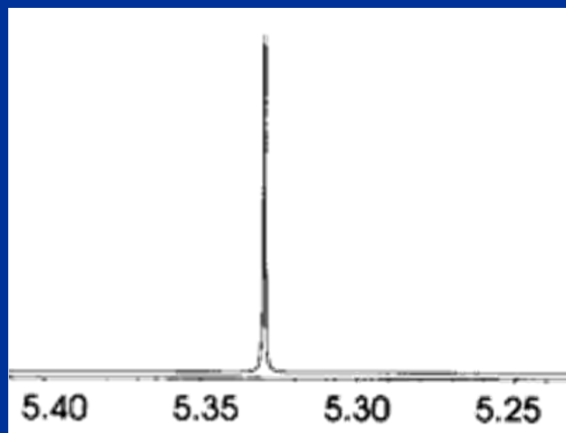
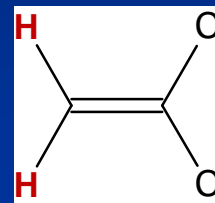
-different nuclei ($^1\text{H}, ^{31}\text{P}, ^{195}\text{Pt}, \dots$)

-same nuclei but $\Delta\nu$ [Hz] much larger than J

!! $\Delta\nu$ [Hz] depends on B_0 !!

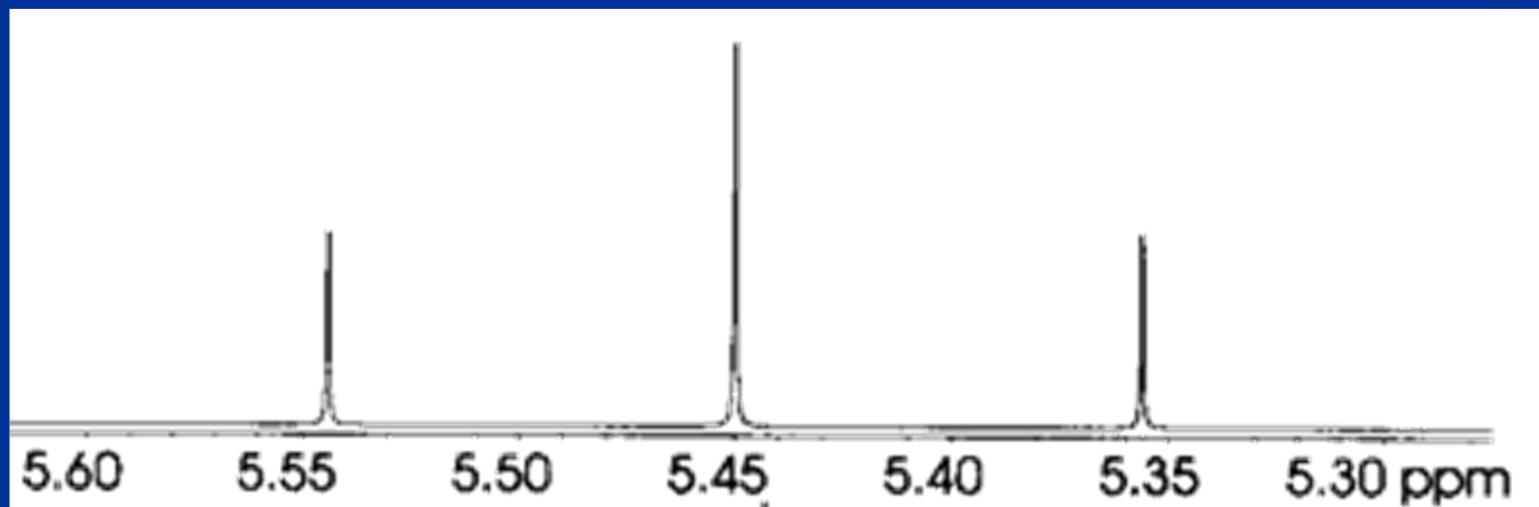
Notation for Spin Systems

➤ Same letter = same chemical shift (A_3 , B_2 , X_6 , ...)



Notation for Spin Systems

➤ Different letters = different chemical shifts



Notation for Spin Systems

Two situations:

a) Complete equivalence =

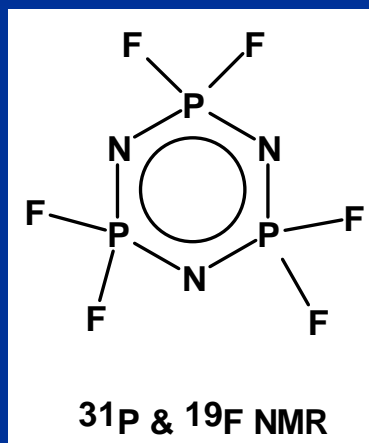
Chemical shift equivalence (isochronous nuclei)
+ magnetic (spin-coupling) equivalence (isotachous)

Magnetic equivalence = **each member of one group of spins is coupled equally to all members of any other group**

A_2B_2, A_2X_2, \dots

Notation for Spin Systems

b) Chemical shift equivalence, magnetic **INEquivalence**
 $AA'BB'$, $AA'XX'$, $AA'A''XX'X''$,



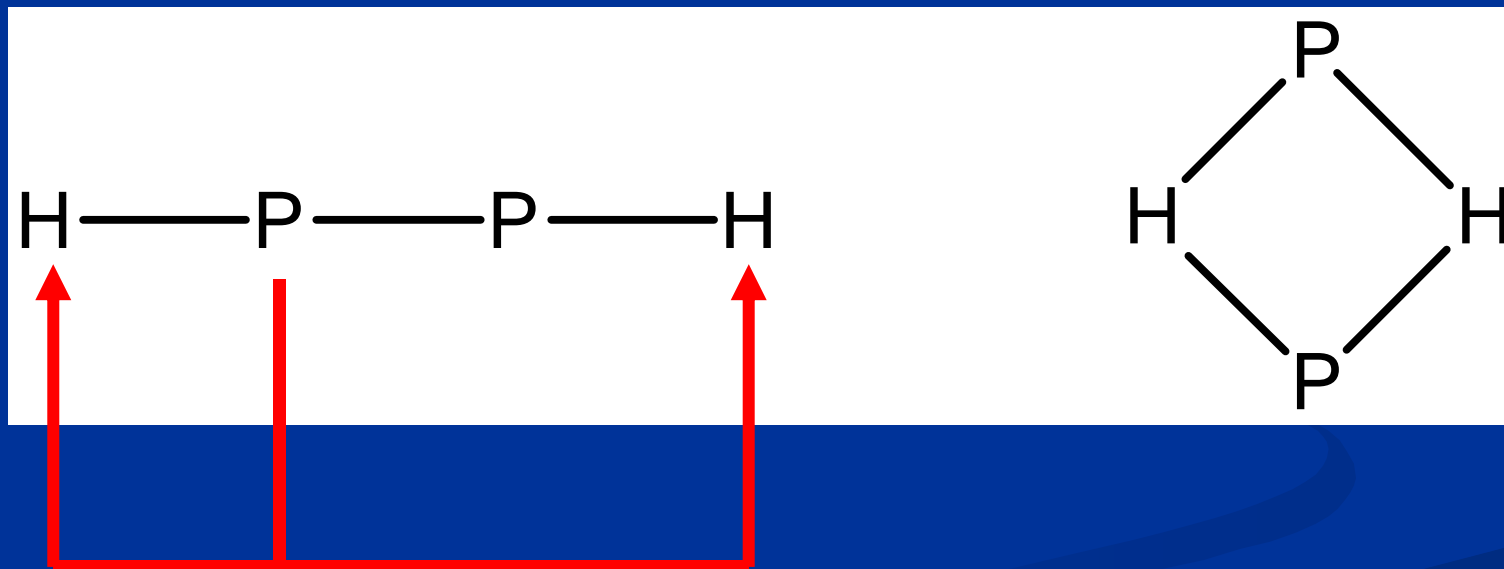
$AA'A''XX'X''X'''X^4X^5$

$[A[X]_2]_3$

Magnetic Inequivalence

$AA'XX'$

A_2X_2



Prime vs. Bracket Notation

$AA'BB'$

$[AB]_2$

A_2B_2

$[A_2B_2]$

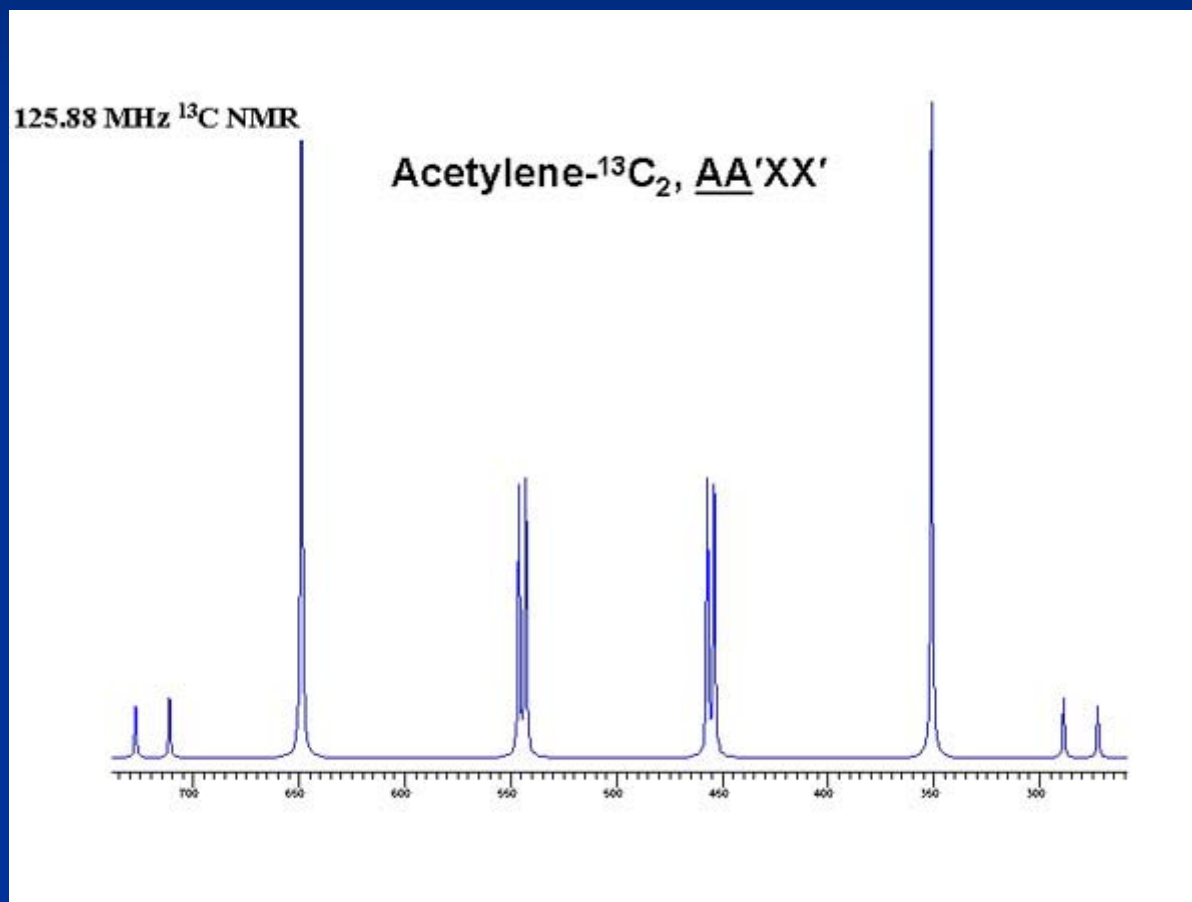
$AA'BXX'$

$[AX]_2B$

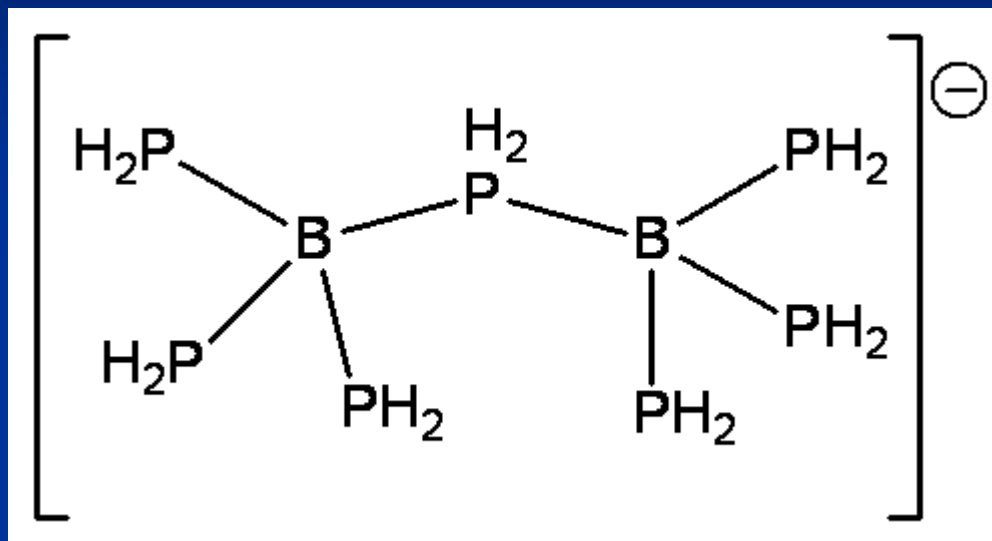
$AA'X_3X_3'$

$[AX_3]_2$

Magnetic Inequivalence



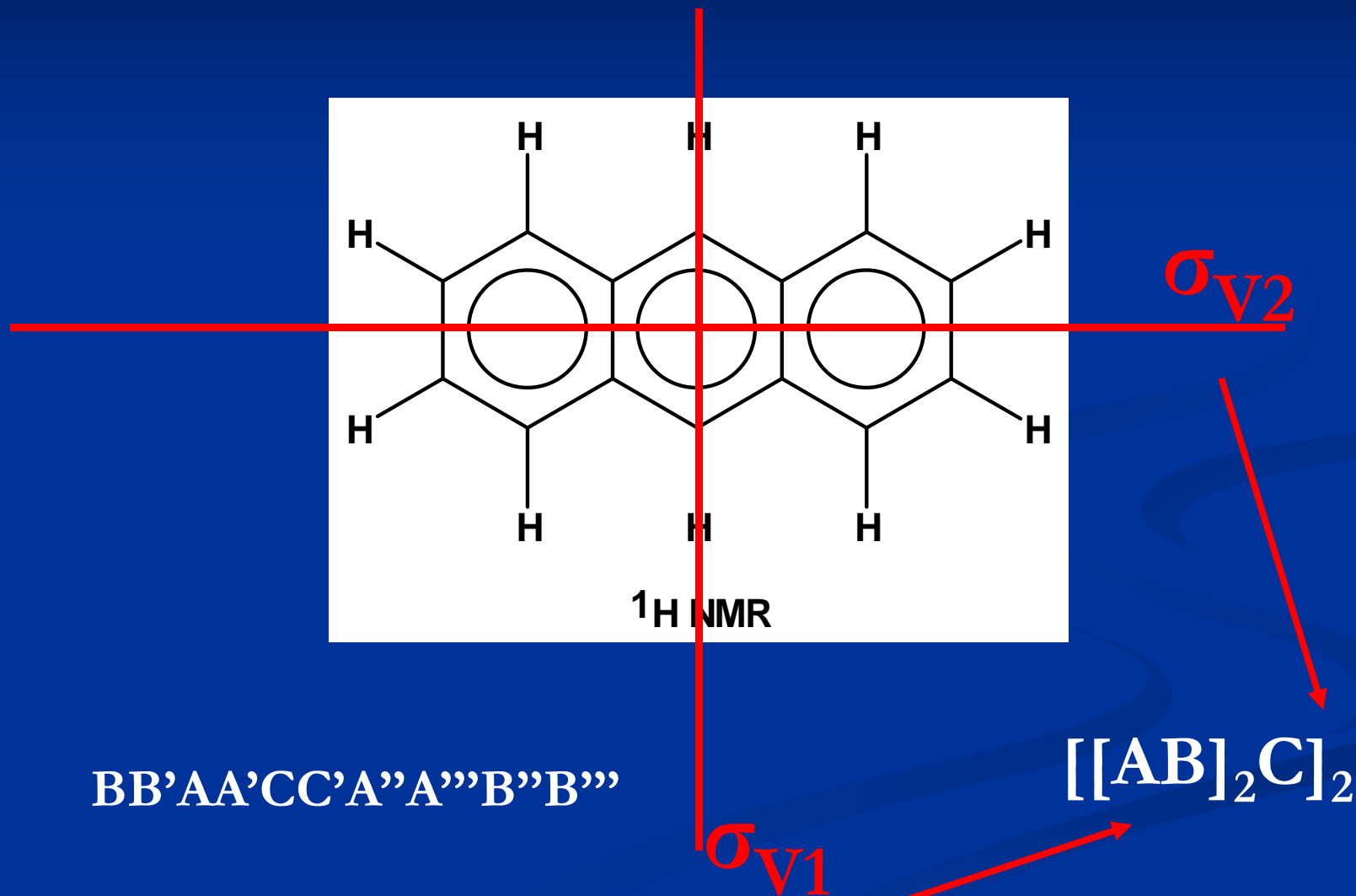
Magnetic Inequivalence



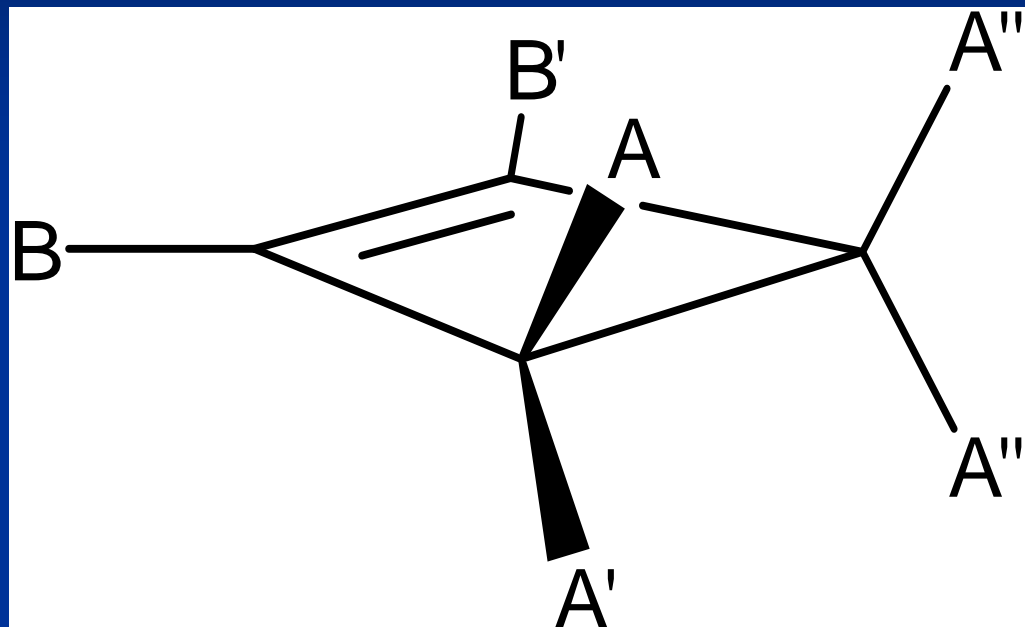
Bracket Notation

- Square brackets with subscript indicate repeated symmetry-related magnetically inequivalent groups of nuclei, e.g. $[AB]_2$
- Square bracket without subscript indicate magnetic equivalence of isochronous nuclei inside, e.g. $[A_6]$
- Each bracket represents a specific symmetry operation (see anthracene)
- Append a point group symbol to avoid ambiguity
- Free rotation – apply Mortimer rule = the most symmetrical conformer

Notation for Spin Systems



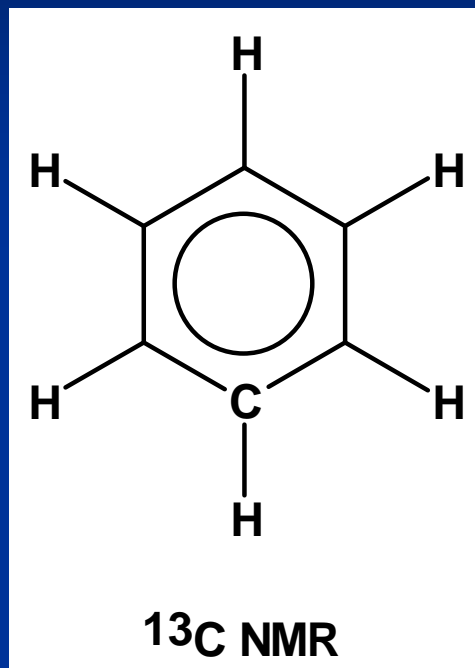
Notation for Spin Systems



Ring plane

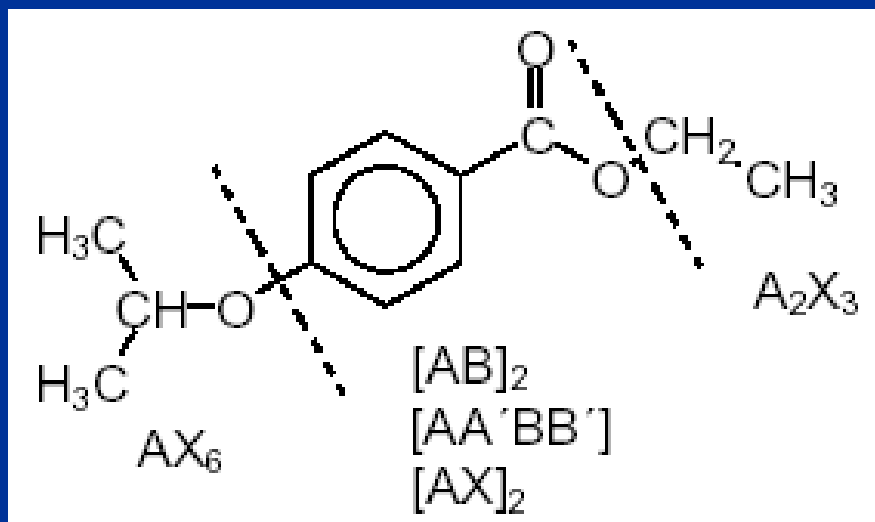
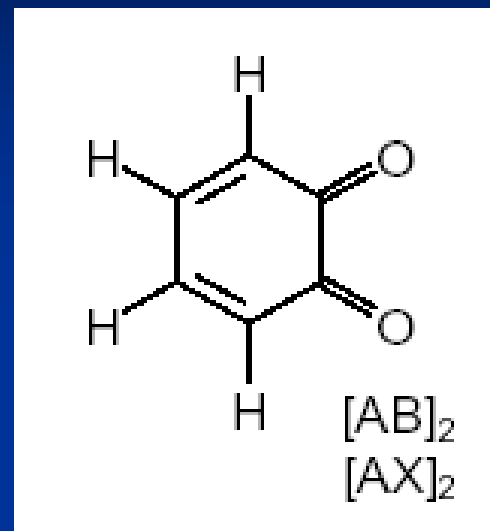
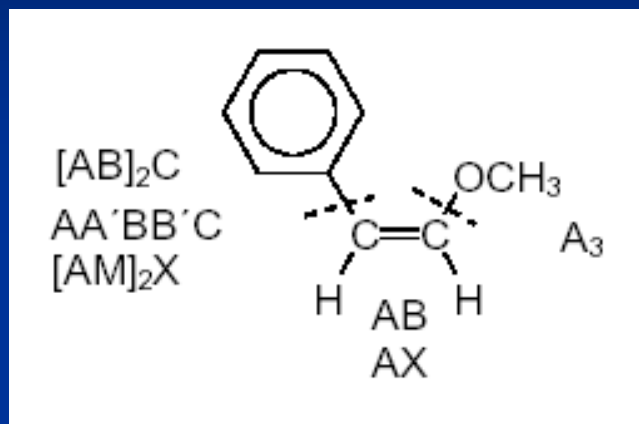
Plane perpendicular to ring

Notation for Spin Systems



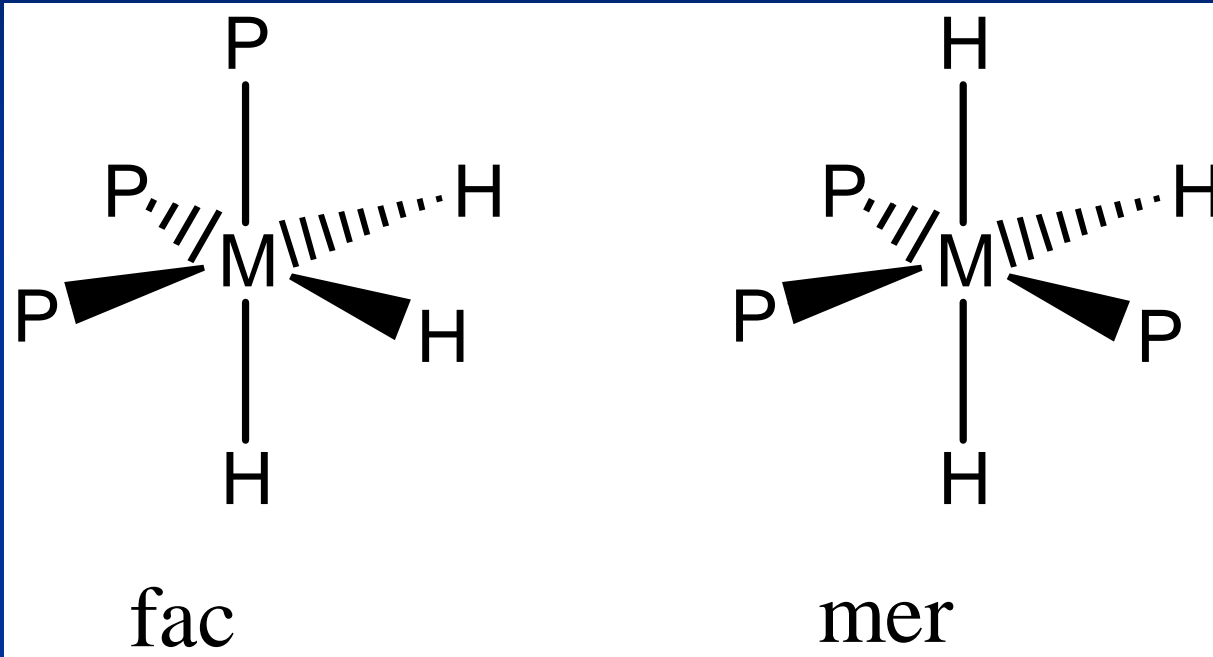
considering isotope shift: $A[BC]_2DX$

Spin Systems in ^1H NMR



When separated by more than 3 bonds, the spin systems can be considered separately (with exceptions)

Spin Systems



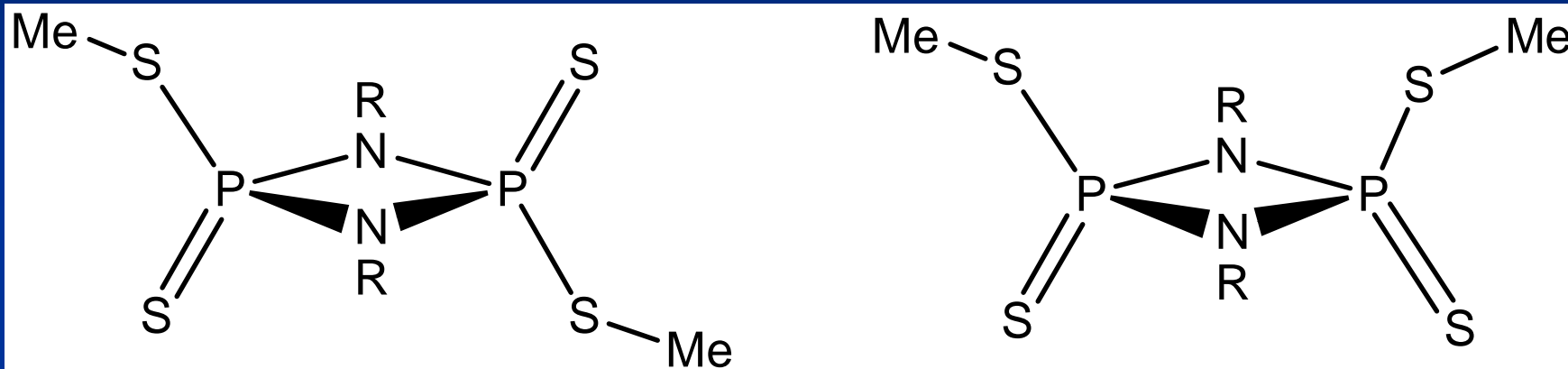
$AA'A''XX'X''$

AB_2XY_2

$${}^3J_{PH}(\text{cis}) = 10 - 40 \text{ Hz}$$

$${}^3J_{PH}(\text{trans}) = 80 - 150 \text{ Hz}$$

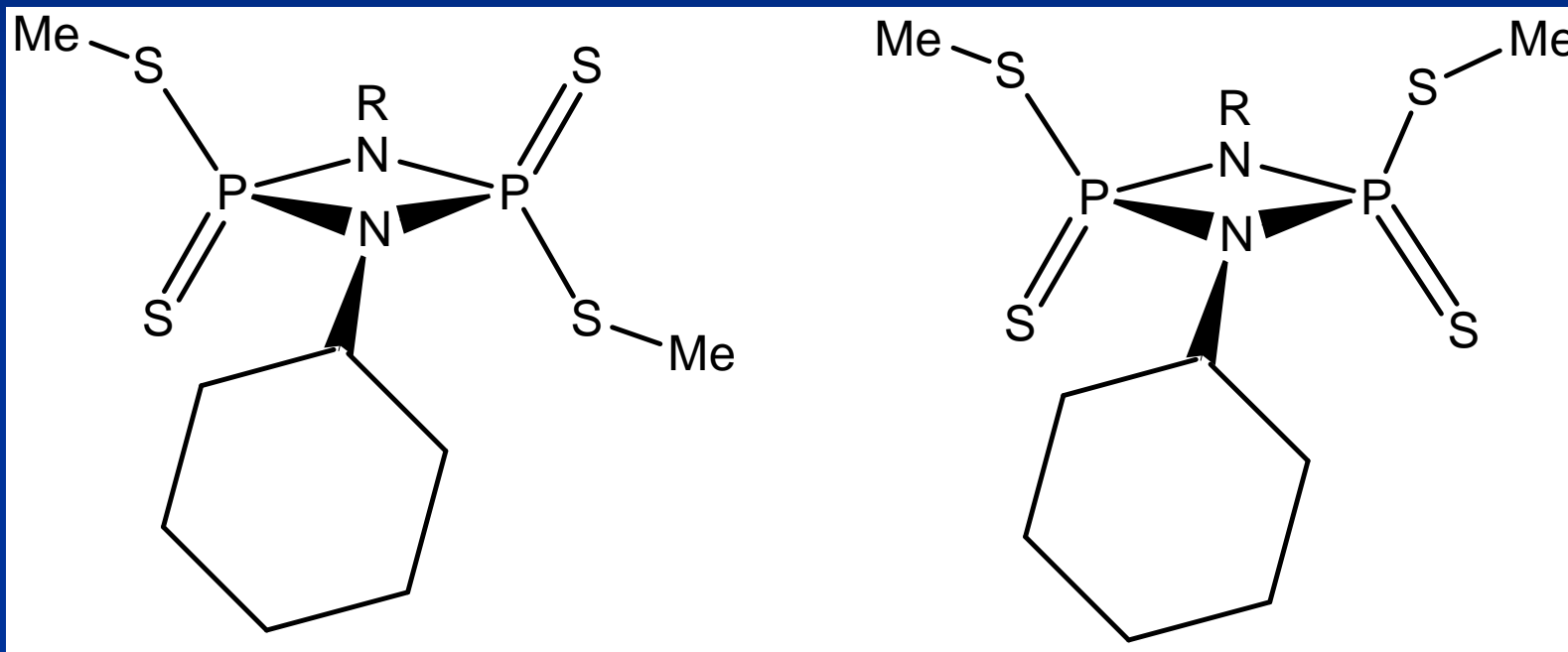
Spin Systems



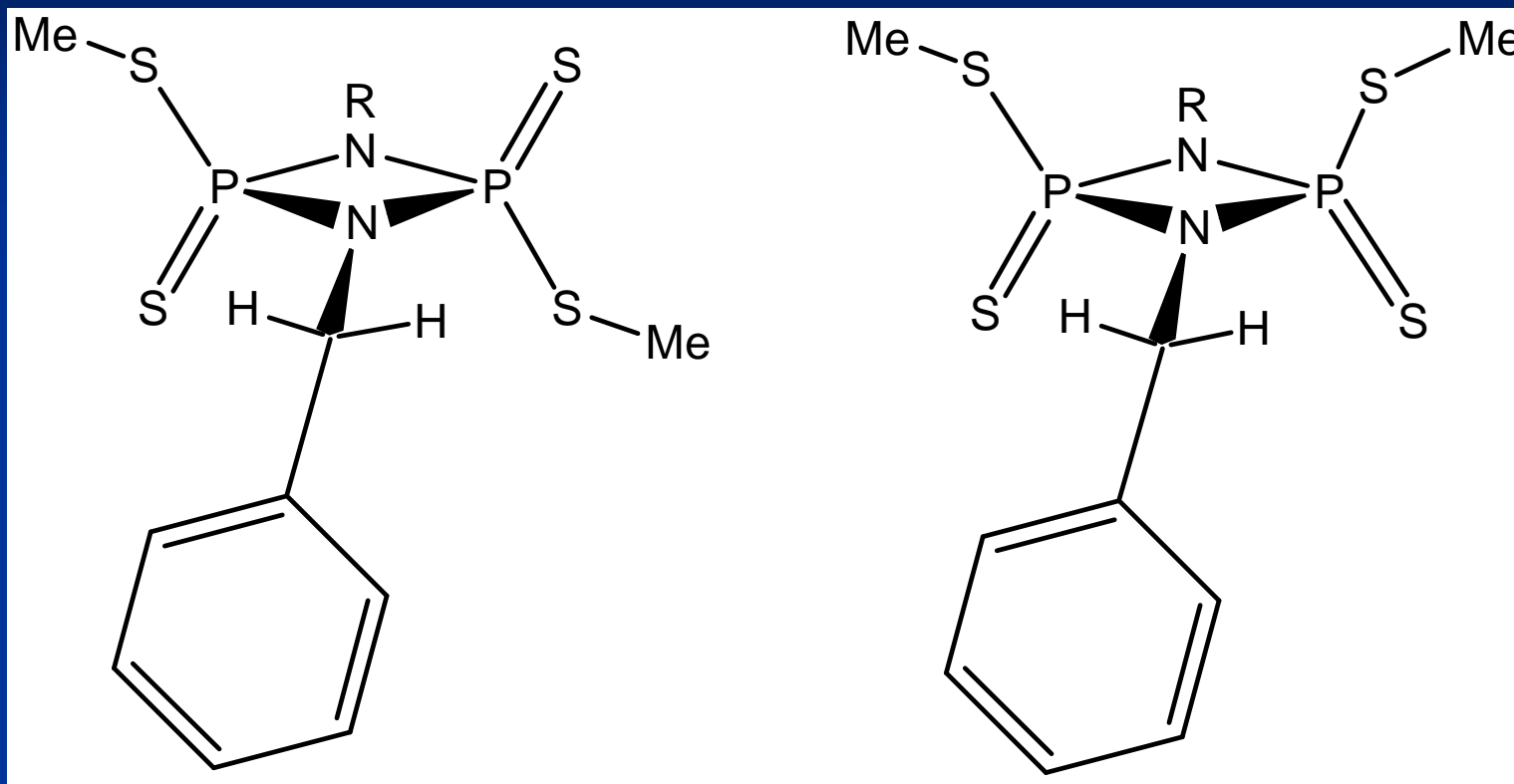
$^1\text{H}, ^{31}\text{P}$

$^{13}\text{C}, ^{31}\text{P}$

Spin Systems



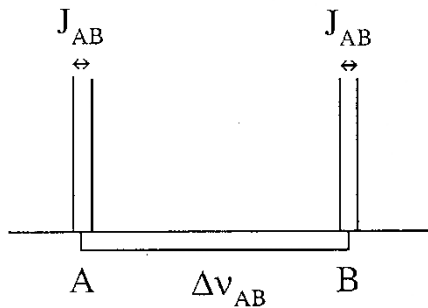
Spin Systems



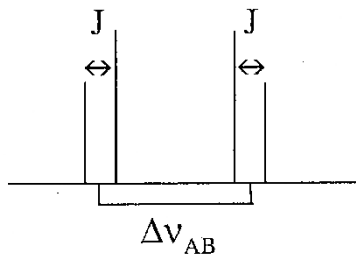
^1H , ^{31}P

AB System

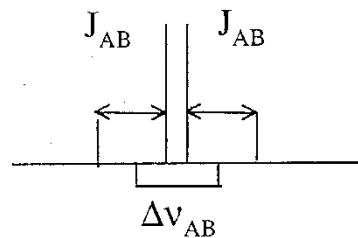
Spin-spin coupling



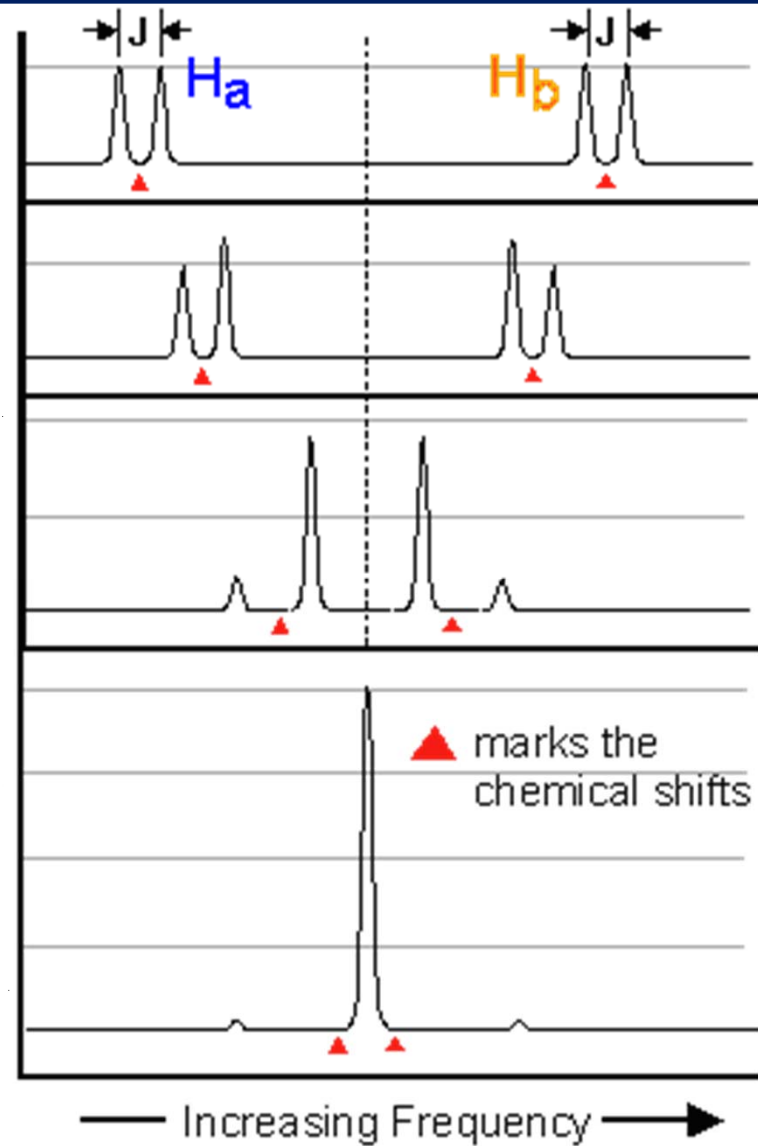
$$\frac{\Delta\nu_{AB}}{J_{AB}} \gg 1$$



$$\frac{\Delta\nu}{J} > 1$$



$$\frac{\Delta\nu}{J} < 1$$



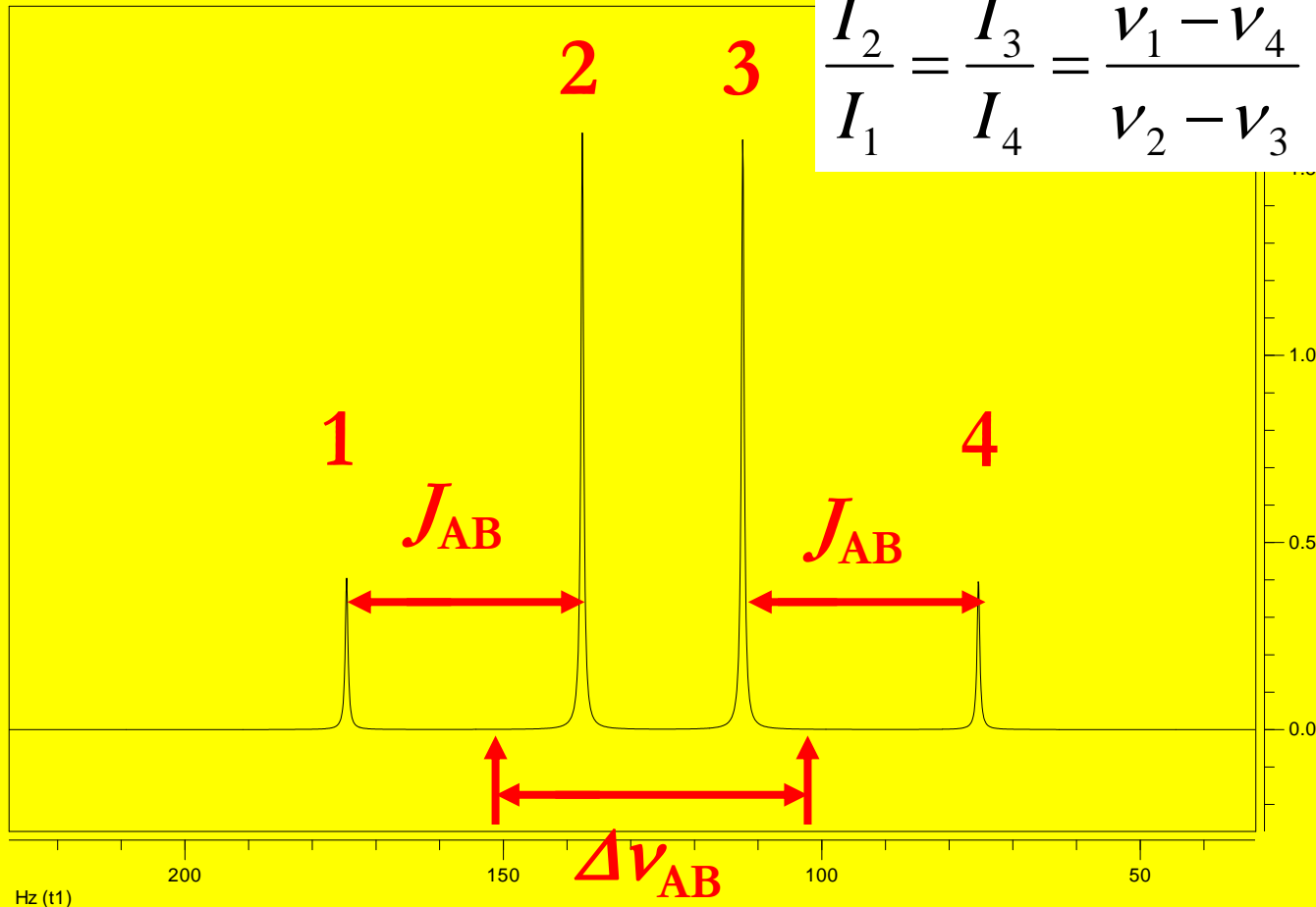
AB System

The simplest higher-order spin system

$$J_{AB} = \nu_1 - \nu_2 = \nu_3 - \nu_4$$

$$\Delta\nu_{AB} = \nu_A - \nu_B = \sqrt{(\nu_1 - \nu_4)(\nu_2 - \nu_3)}$$

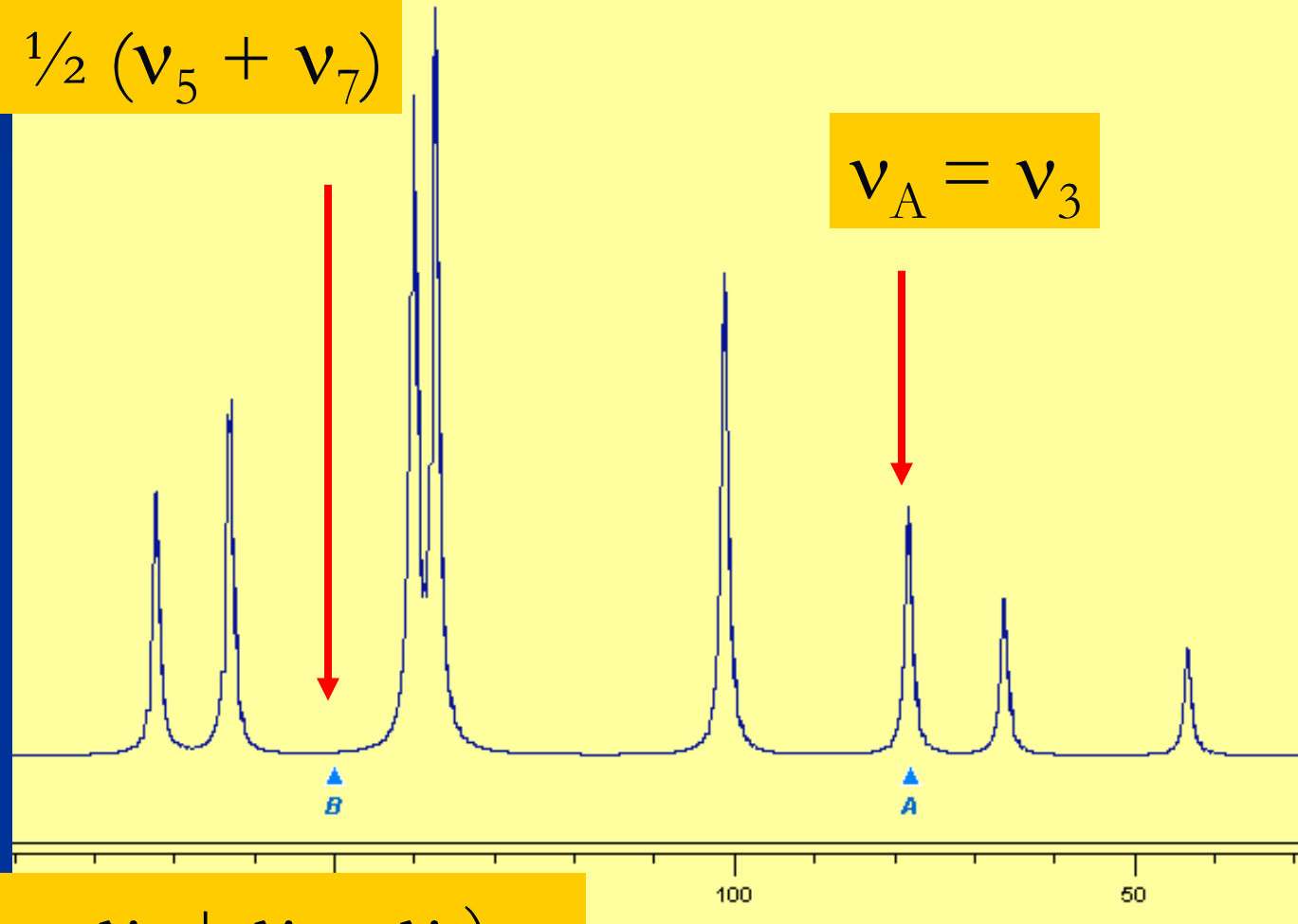
$$\frac{I_2}{I_1} = \frac{I_3}{I_4} = \frac{\nu_1 - \nu_4}{\nu_2 - \nu_3}$$



AB₂ Spin System

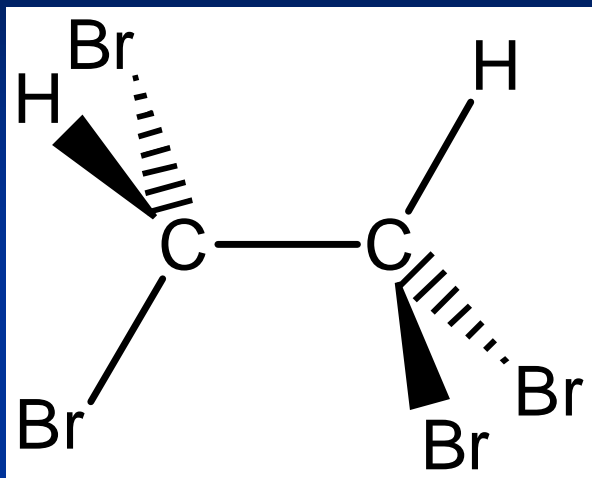
$$\nu_B = \frac{1}{2} (\nu_5 + \nu_7)$$

$$\nu_A = \nu_3$$

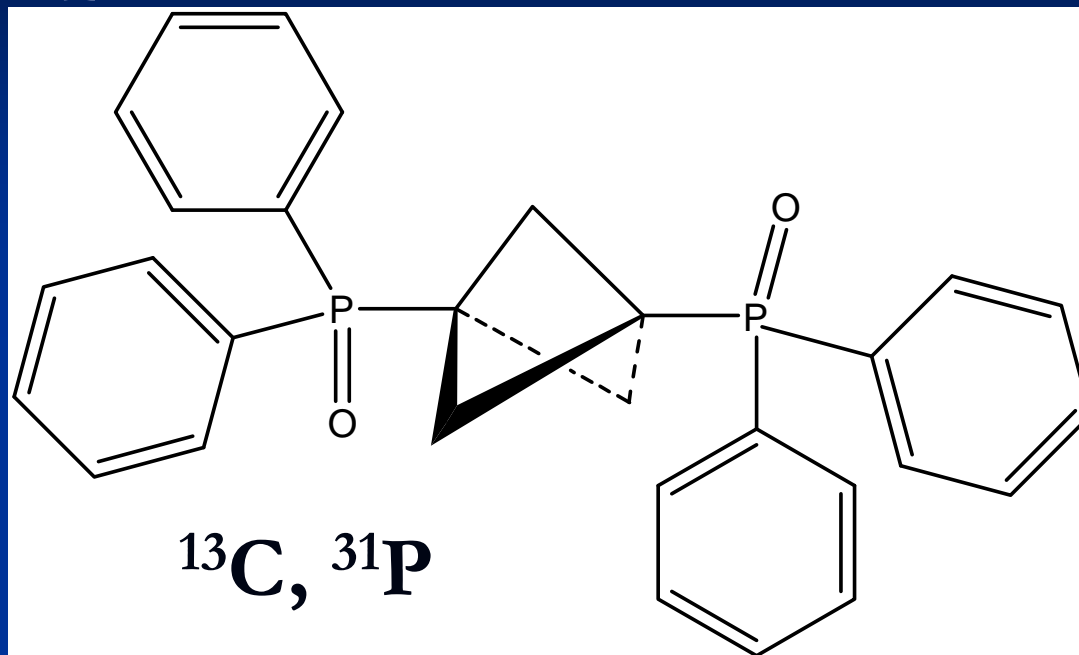


$$J_{AB} = \frac{1}{3}(\nu_1 - \nu_4 + \nu_6 - \nu_8)$$

ABX Spin System



$^1\text{H}, ^{13}\text{C}$

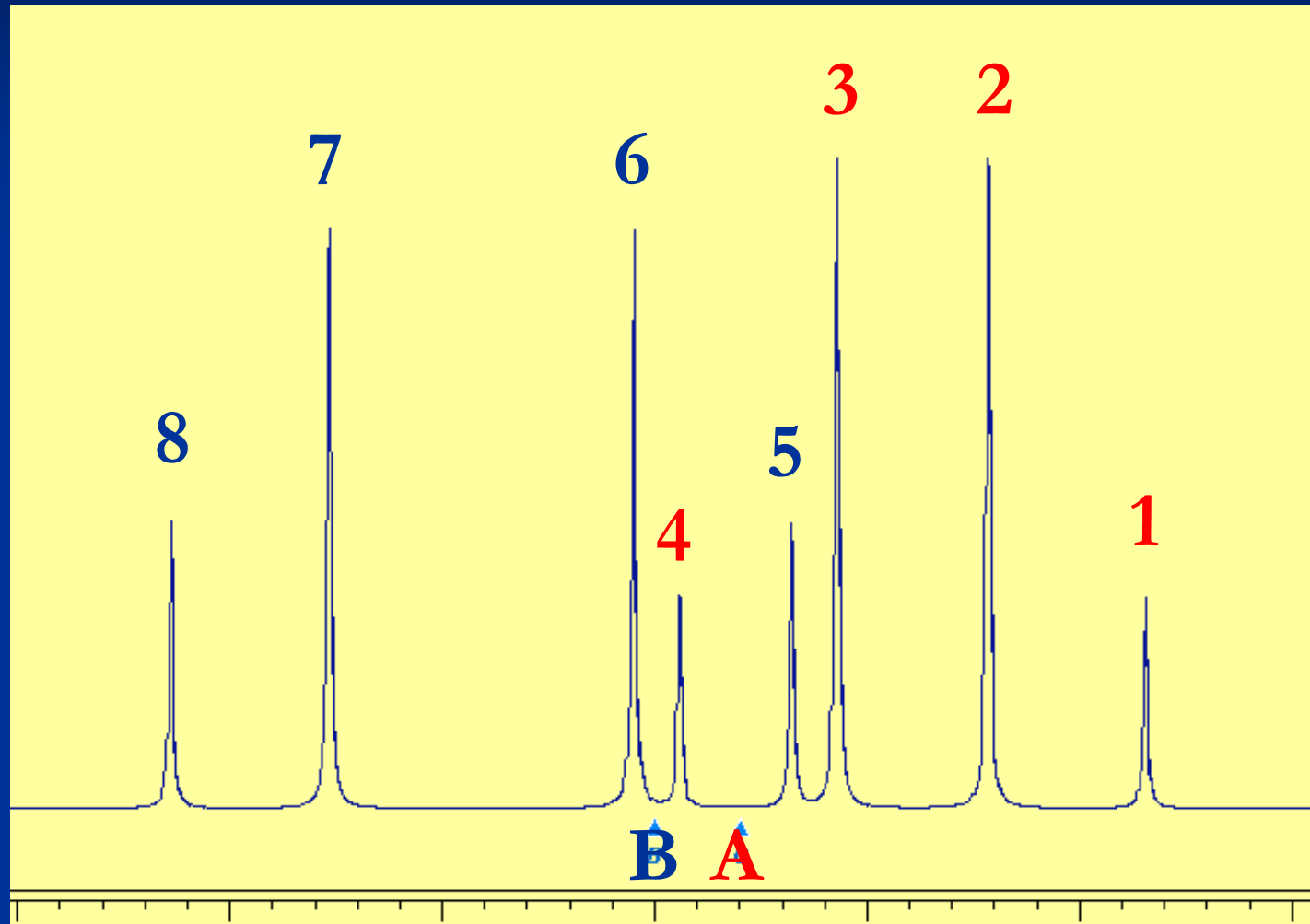


$^{13}\text{C}, ^{31}\text{P}$

AB part = 2 AB pseudoquartets = 8 lines

X part = 6 lines

AB Part of the ABX Spin System



ABX Spin System

$$J_{AB} = \nu_2 - \nu_1 = \nu_4 - \nu_3 = \nu_6 - \nu_5 = \nu_8 - \nu_7$$

$$J_{AX} + J_{BX} = \nu_{12} - \nu_9$$

$$\Delta \nu_{AB} = \nu_A - \nu_B$$

$$L = \frac{1}{2} (J_{AX} - J_{BX})$$

$$N = \frac{1}{2} (J_{AX} + J_{BX})$$

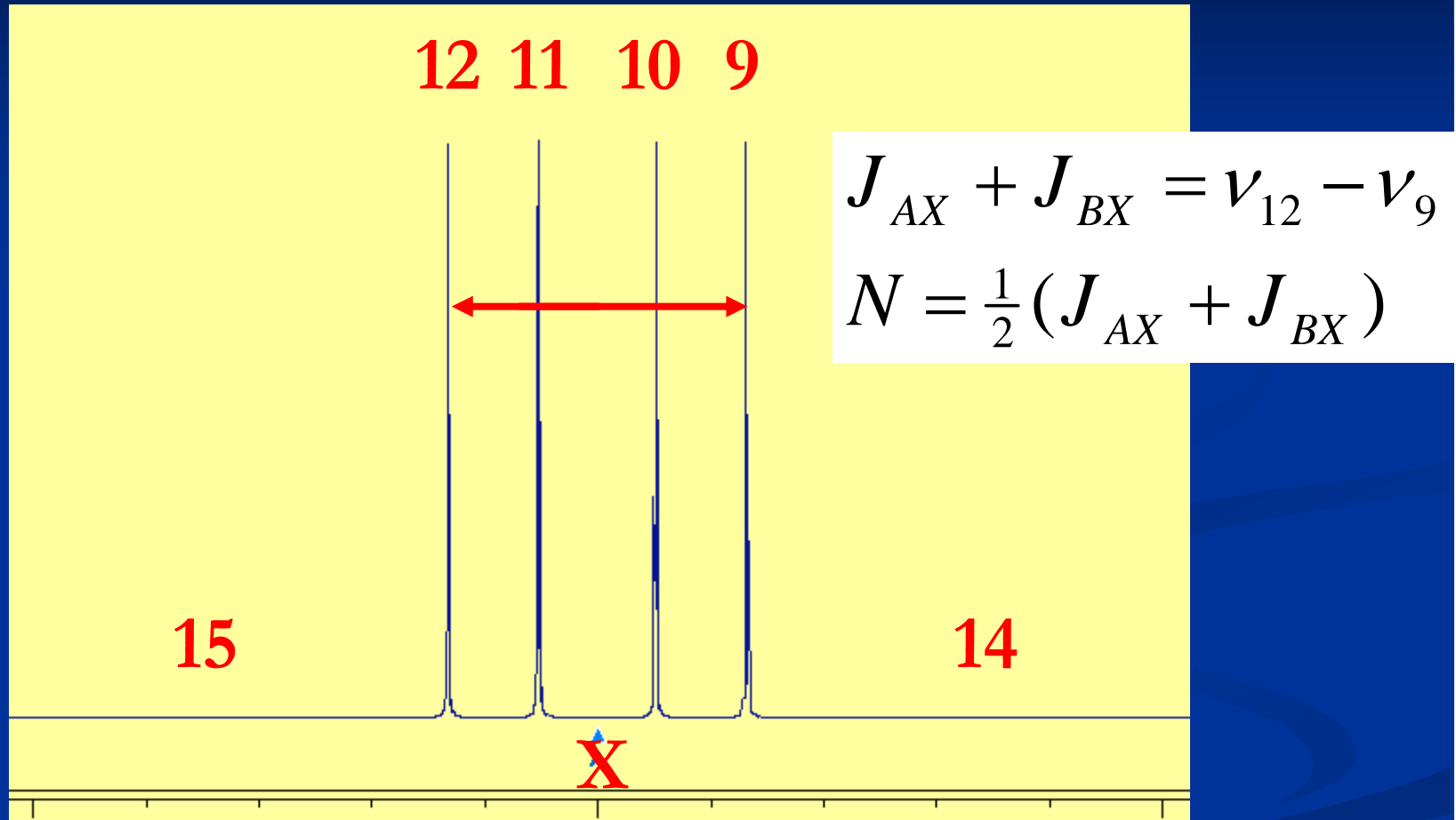
$$\Delta \nu_{AB}^{RED} = \Delta \nu_{AB} + L = \sqrt{(\nu_4 - \nu_1)(\nu_3 - \nu_2)}$$

$$Midp = \frac{1}{2} (\nu_A + \nu_B) + \frac{1}{2} N$$

$$\Delta \nu_{AB}^{BLUE} = \Delta \nu_{AB} - L = \sqrt{(\nu_8 - \nu_5)(\nu_7 - \nu_6)}$$

$$Midp = \frac{1}{2} (\nu_A + \nu_B) - \frac{1}{2} N$$

X Part of the ABX Spin System

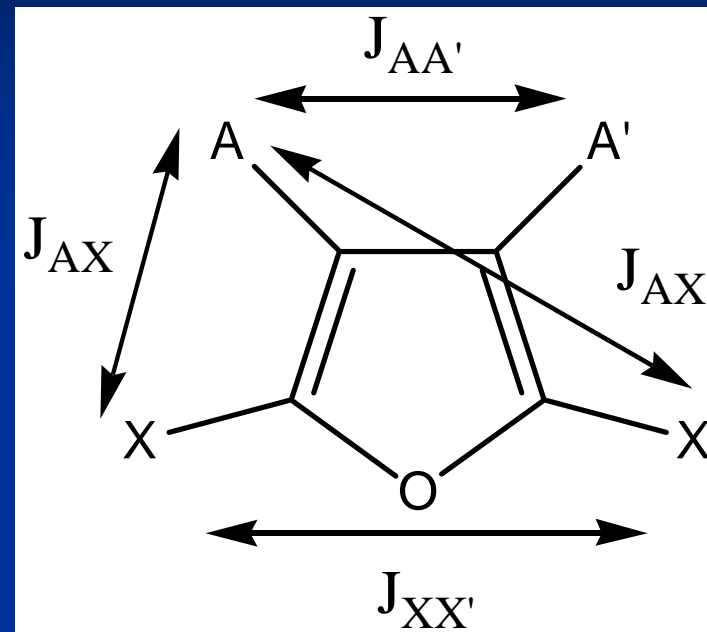


AA'XX' Spin System

4 coupling constants

Both part A and part X feature the same multiplet symmetrical about ν_A or ν_X

Both parts have 12 lines with a center of symmetry at ν_A or ν_X



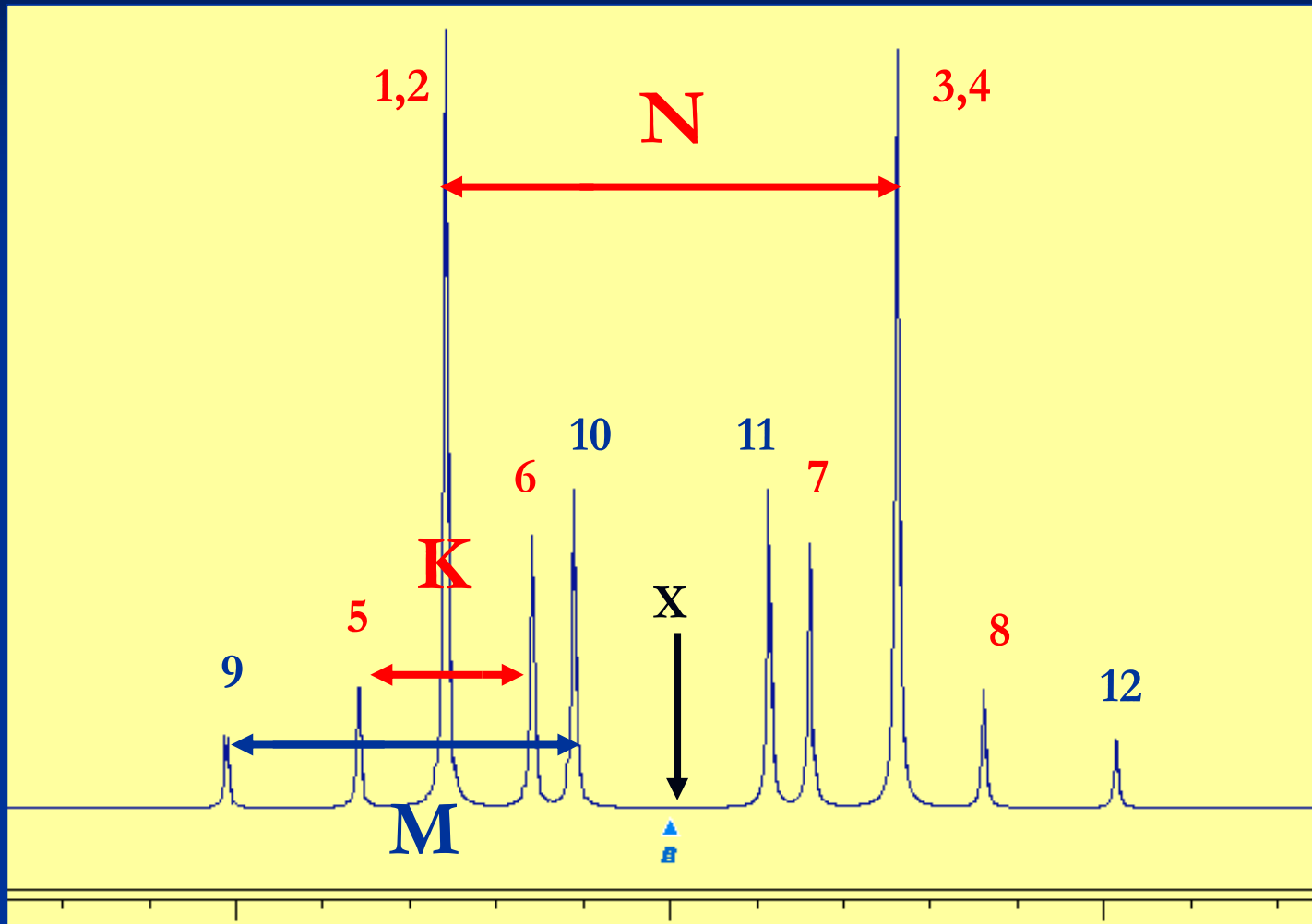
$$K = J_{AA'} + J_{XX'}$$

$$M = J_{AA'} - J_{XX'}$$

$$N = J_{AX} + J_{AX'}$$

$$L = J_{AX} - J_{AX'}$$

AA'XX' Spin System



AA'XX' Spin System

$$|N| = \nu_{1,2} - \nu_{3,4} = |J_{AX} + J_{AX'}|$$

$$|K| = \nu_5 - \nu_6 = \nu_7 - \nu_8 = |J_{AA'} + J_{XX'}|$$

$$|M| = \nu_9 - \nu_{10} = \nu_{11} - \nu_{12} = |J_{AA'} - J_{XX'}|$$

$$|L| = \sqrt{(\nu_6 - \nu_7)(\nu_5 - \nu_8)} = \sqrt{(\nu_9 - \nu_{12})(\nu_{10} - \nu_{11})} = |J_{AX} - J_{AX'}|$$

$$I_{1,2} = I_{3,4} = I_{5+6+7+8} = I_{9+10+11+12}$$

$$\frac{I_9}{I_{10}} = \frac{I_{12}}{I_{11}} = \frac{\nu_{10} - \nu_{11}}{\nu_9 - \nu_{12}}$$

$$\frac{I_5}{I_6} = \frac{I_8}{I_7} = \frac{\nu_6 - \nu_7}{\nu_5 - \nu_8}$$

AA'X_nX_n' Spin System

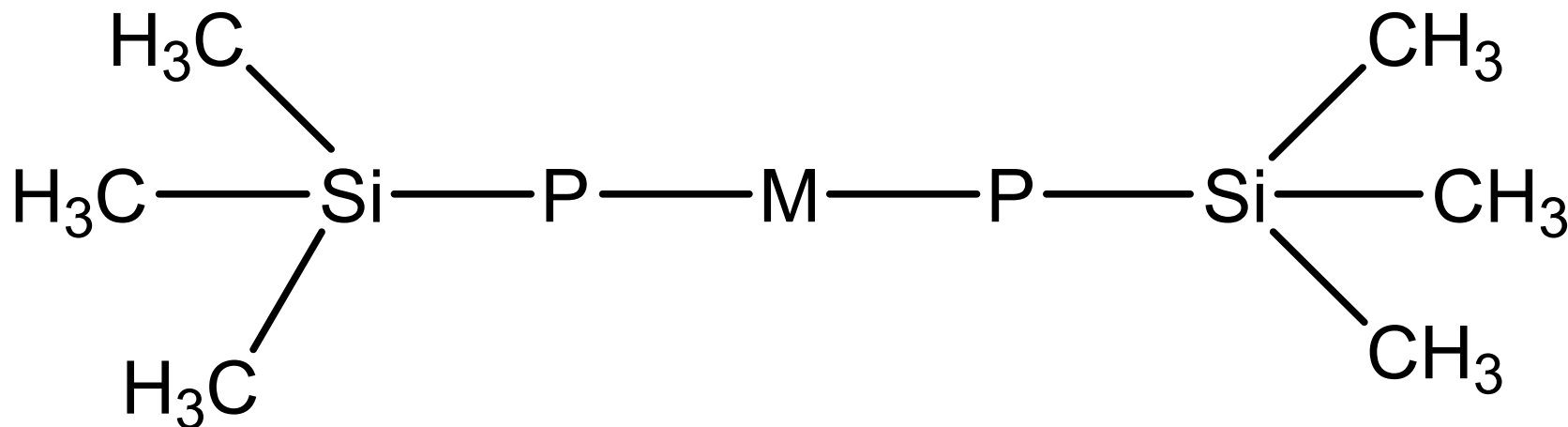
¹H and ³¹P

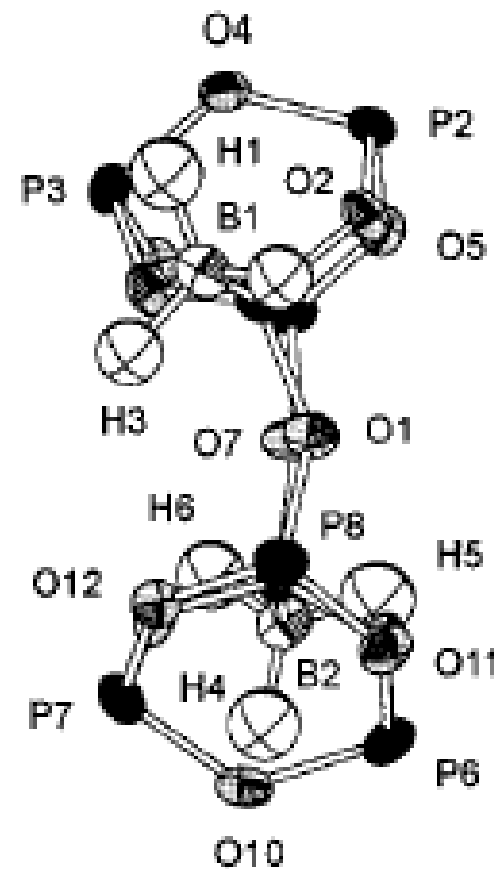
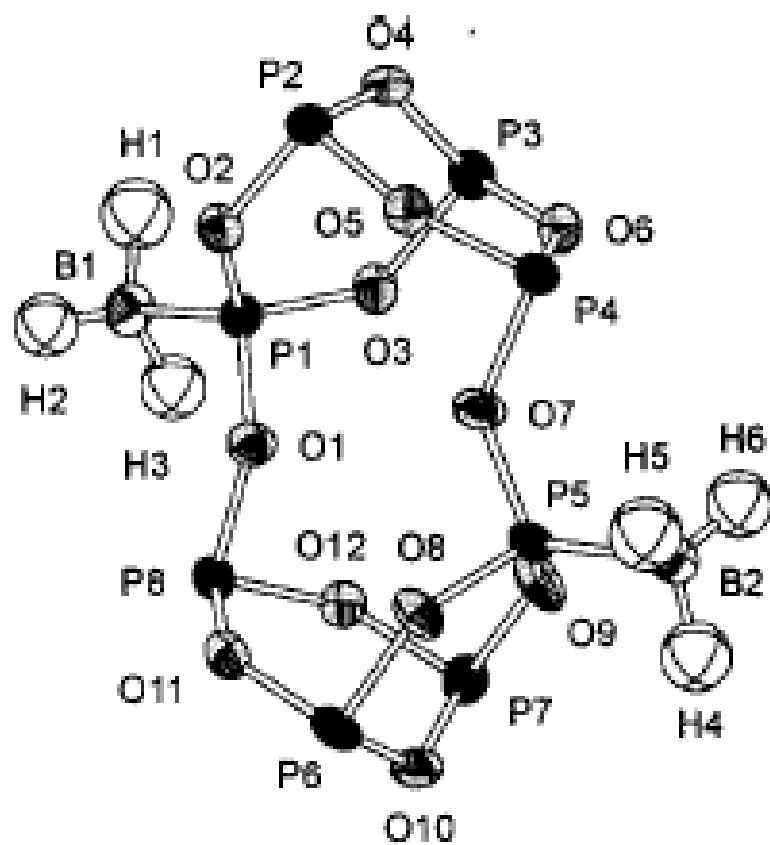
AA'X₃X₃'

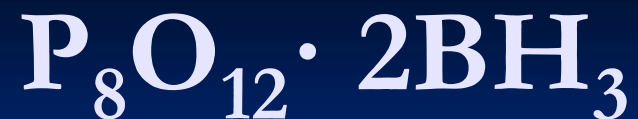


¹H and ³¹P

AA'X₉X₉'







C_{2h} Molecular symmetry

^{31}P Spin system

AA'BB'B''B'''XX'

Nuclei

P_A : P4, P8

P_B : P2, P3, P6, P7

P_X : P1, P5

H

δ [ppm]

82.65

80.95

70.5

0.8

Coupling constants

[Hz]

$^2J_{AB}$: $J_{2-4}, J_{3-4}, J_{6-8}, J_{7-8}$

29.2

$^2J_{BX}$: $J_{1-2}, J_{1-3}, J_{5-6}, J_{5-7}$

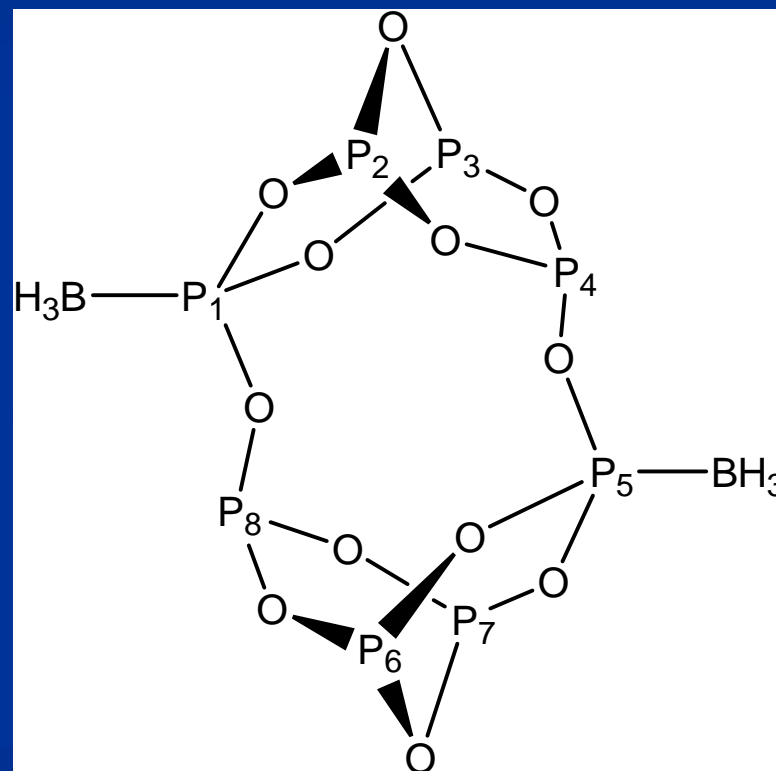
24.0

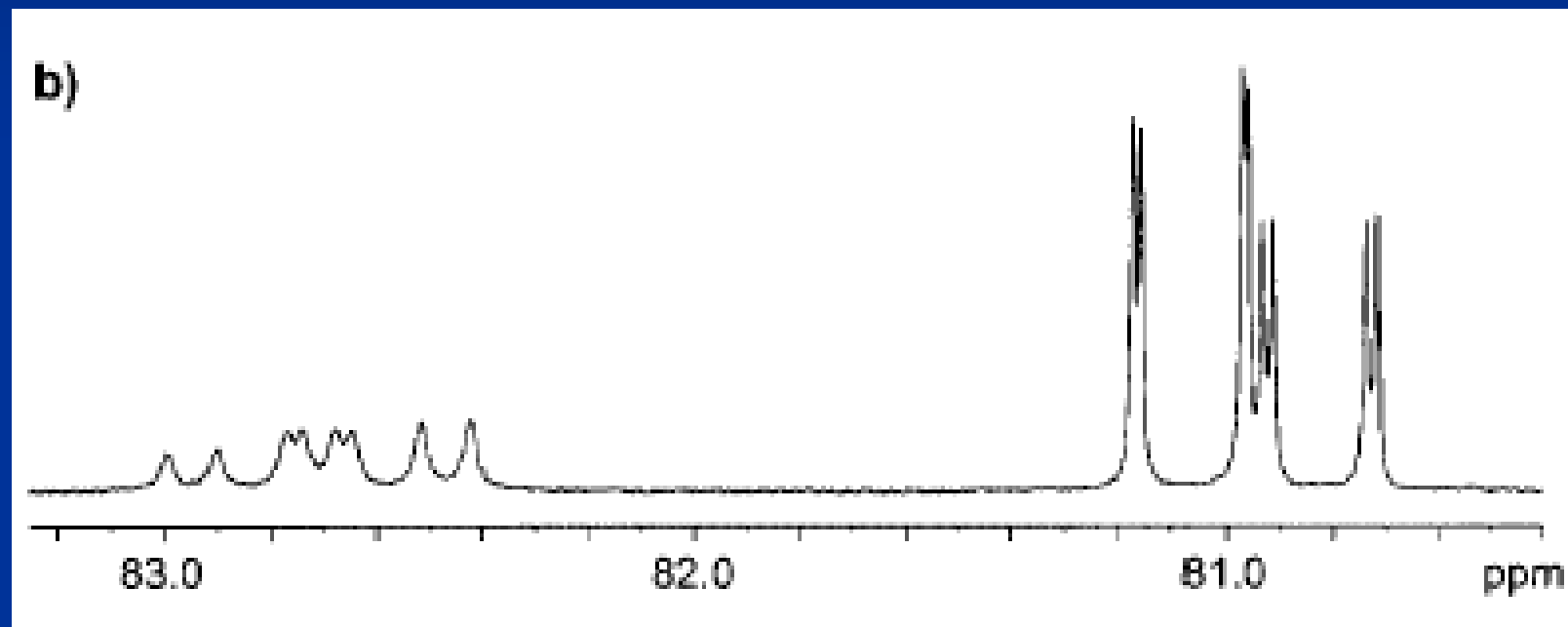
$^2J_{AX}$: J_{1-8}, J_{4-5}

11.4

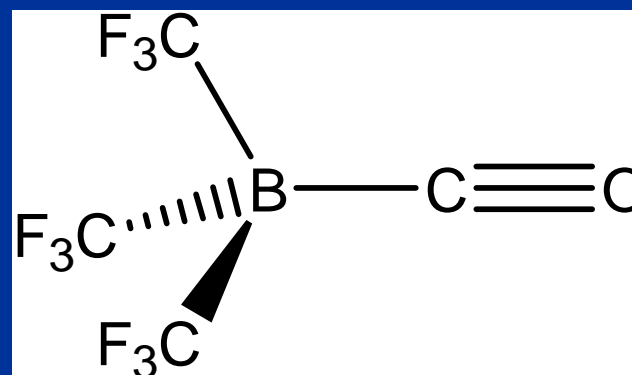
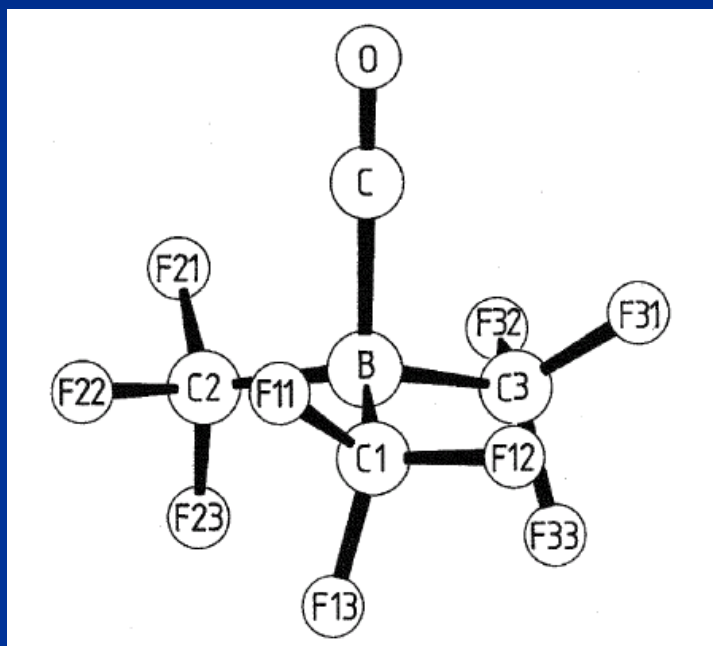
J_{AH} : J_{4-H}, J_{8-H}

7.5





Coupling Patterns



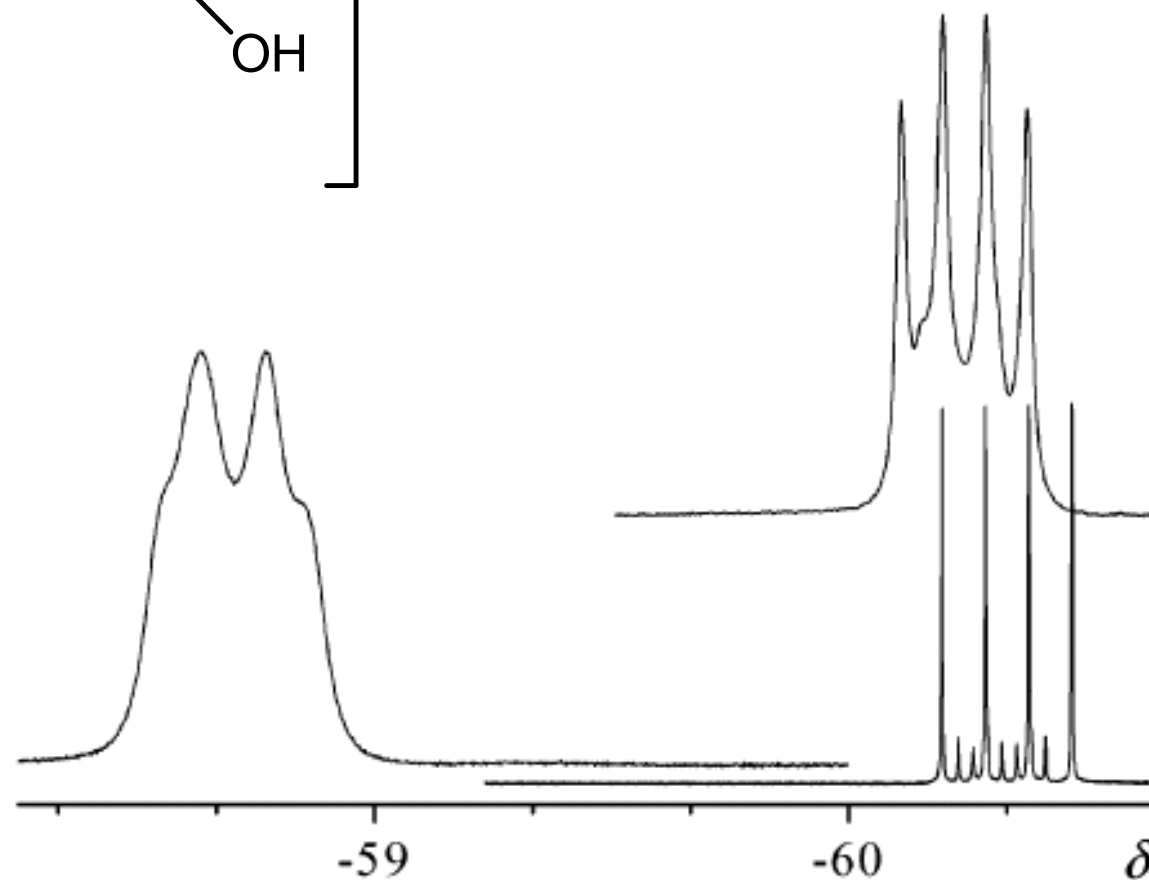
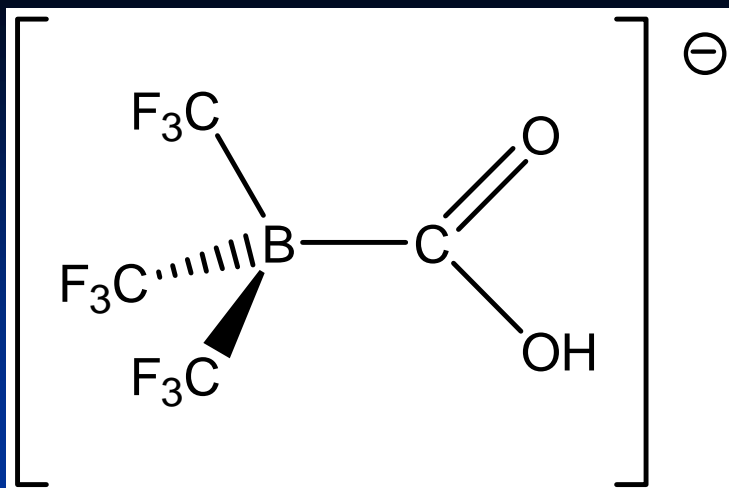


Figure 7. ^{19}F NMR spectra of $(\text{CF}_3)_3\text{BCO}$ (left), $[(\text{CF}_3)_3\text{BC}(\text{O})\text{OH}]^-$ (right) and $[(\text{CF}_3)_3\text{BCO}_2]^{2-}$ (top).

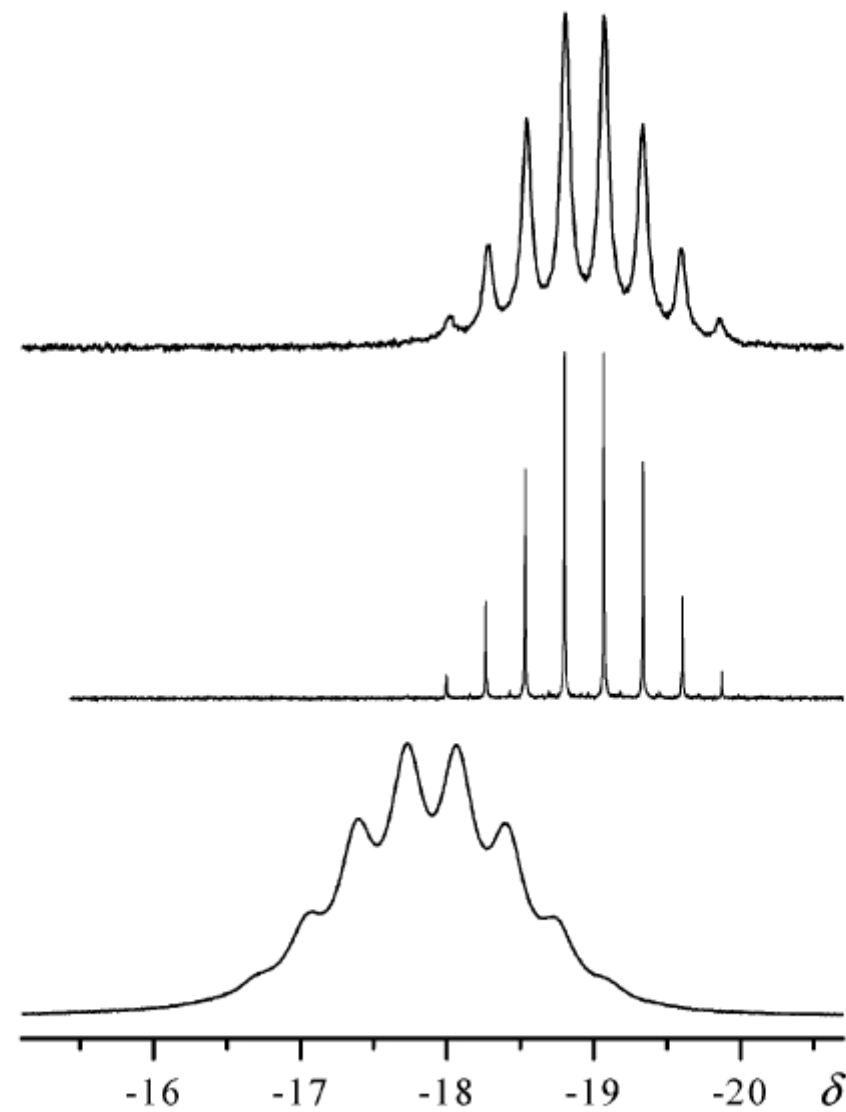


Figure 8. ^{11}B NMR spectra of $(\text{CF}_3)_3\text{BCO}$ (bottom), $[(\text{CF}_3)_3\text{BC}(\text{O})\text{OH}]^-$ (middle) and $[(\text{CF}_3)_3\text{BCO}_2]^{2-}$ (top).

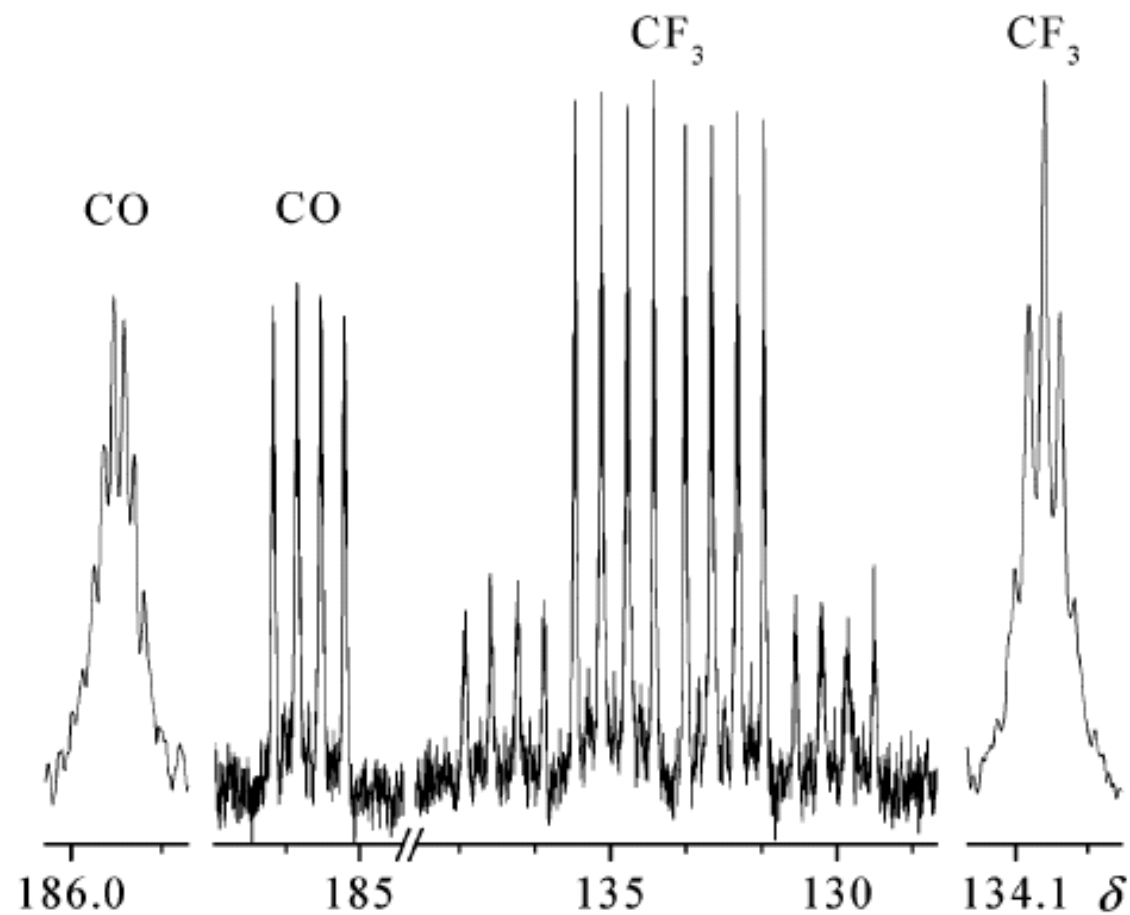
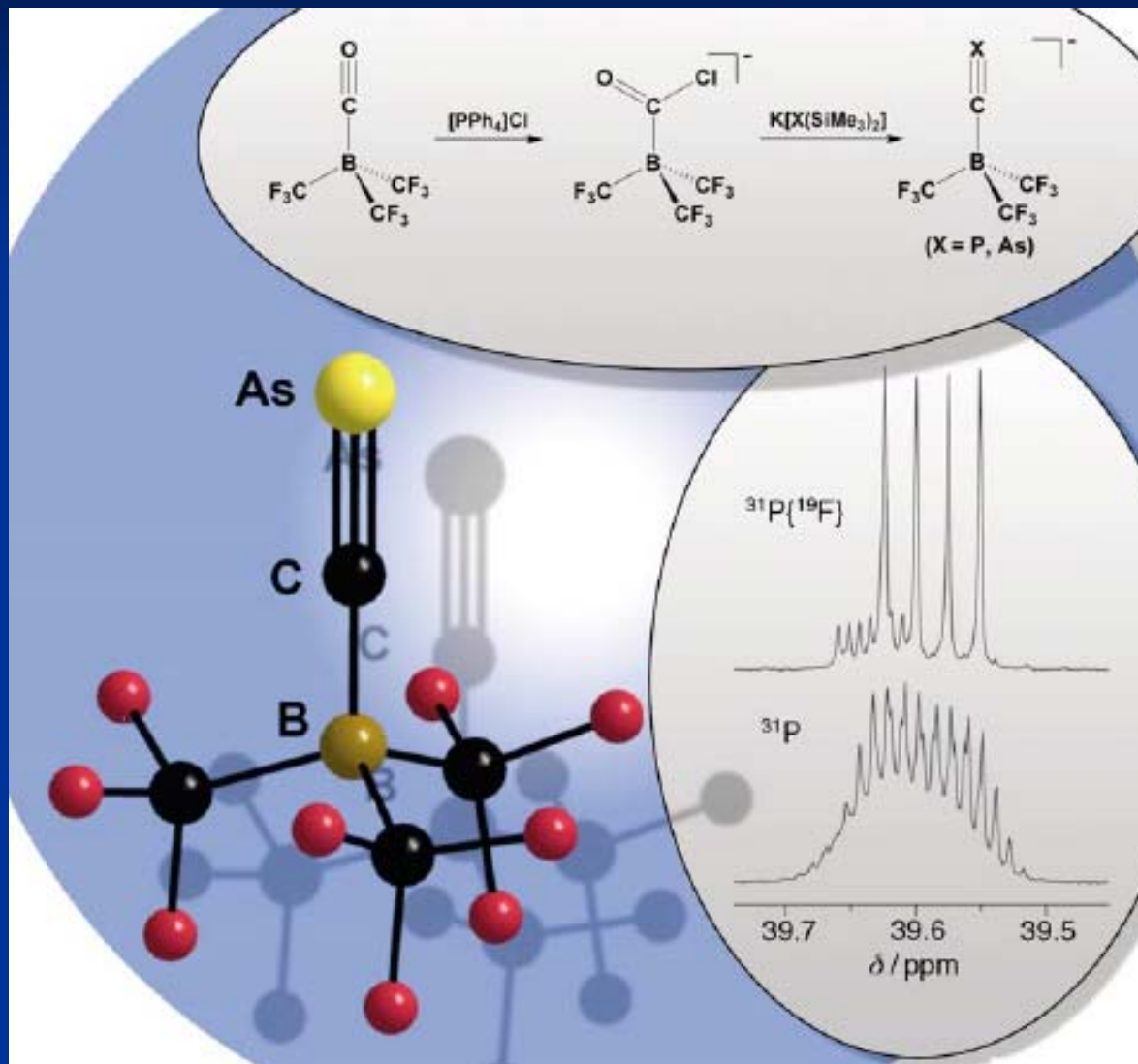


Figure 10. ^{13}C NMR spectrum of $[(\text{CF}_3)_3\text{BC}(\text{O})\text{OH}]^-$. The expanded sections of the two signals show the $^3J(^{13}\text{C}, ^{19}\text{F})$ coupling patterns.



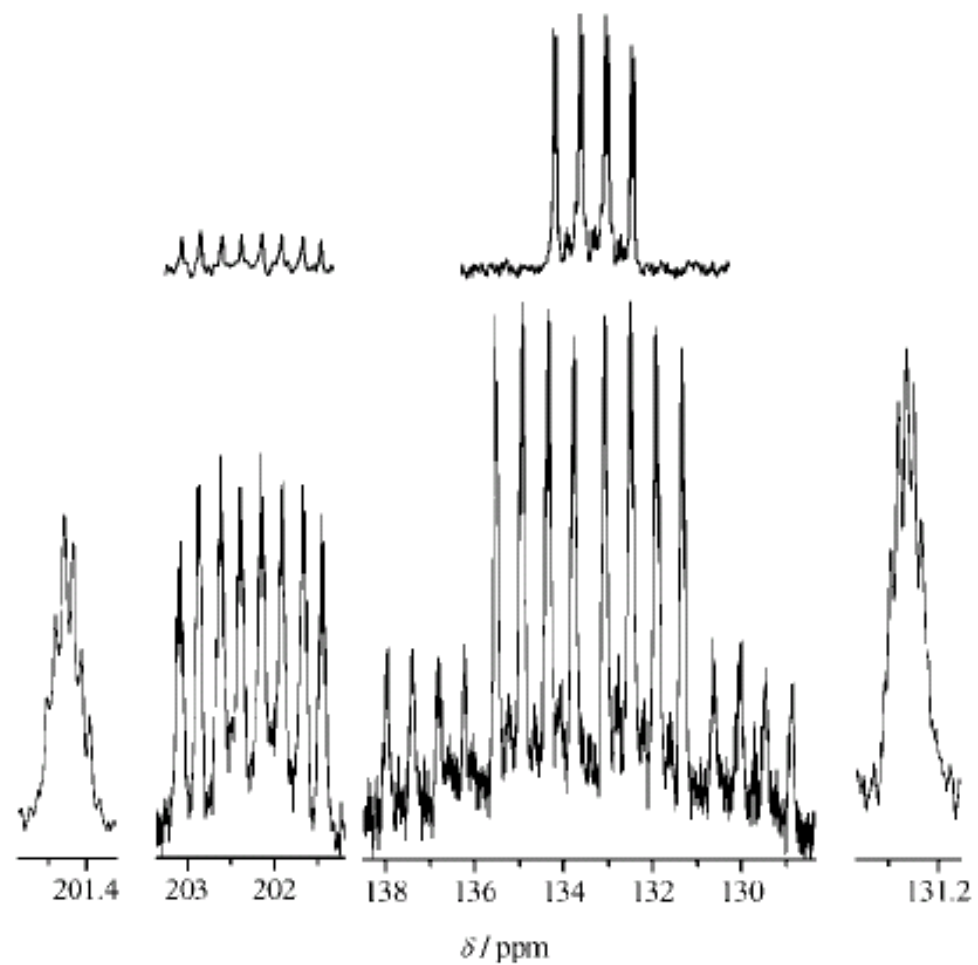


Figure 1. $^{13}\text{C}\{^{19}\text{F}\}$ NMR spectrum (top) and ^{13}C NMR spectrum (bottom) of $[(\text{CF}_3)_3\text{BCP}]^-$ in CD_3CN solution.

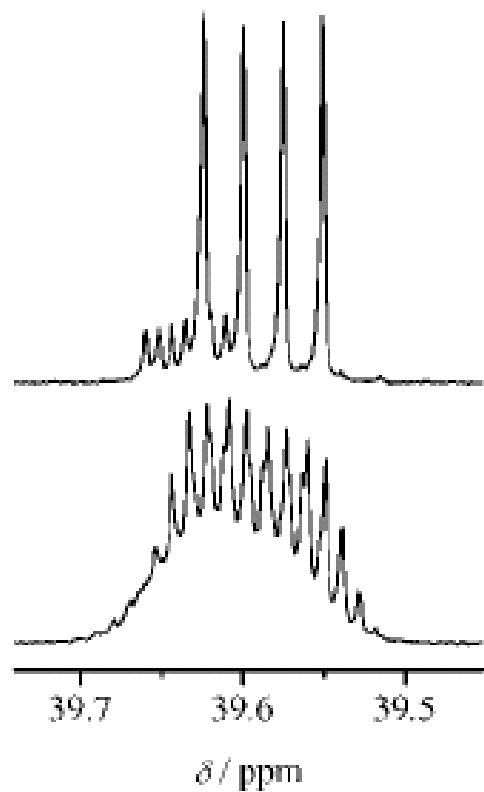
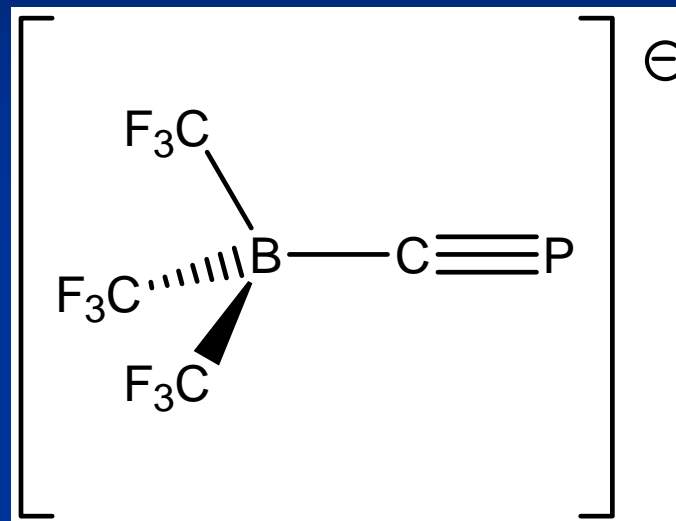


Figure 3. ^{31}P $\{^{19}\text{F}\}$ NMR spectrum (top) and the ^{31}P NMR spectrum (bottom) of $[(\text{CF}_3)_3\text{BCP}]^-$ in CD_3CN solution.



MestReNova

Simulations of NMR spectra

