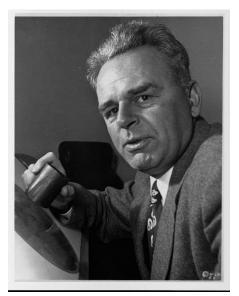
Astronomers



Walter Baade (1893 – 1960)



Bart Bok (1906 – 1983)



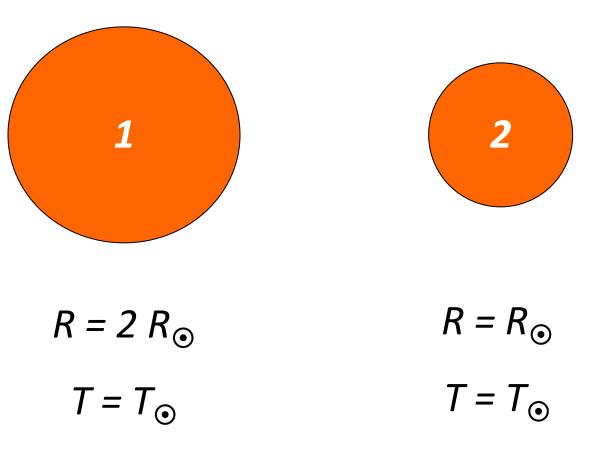
James Jeans (1877 – 1946)



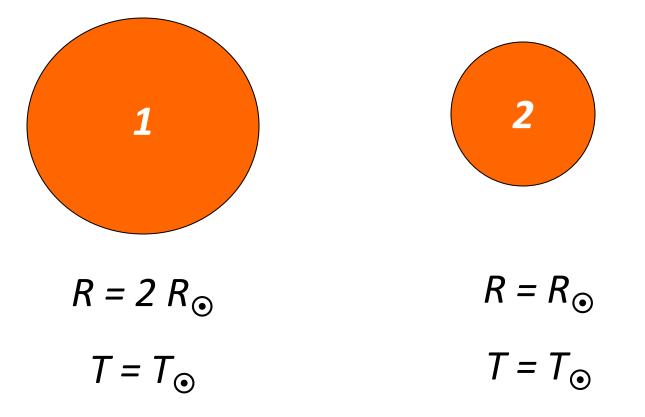
Ejnar Hertzsprung (1873 – 1967)



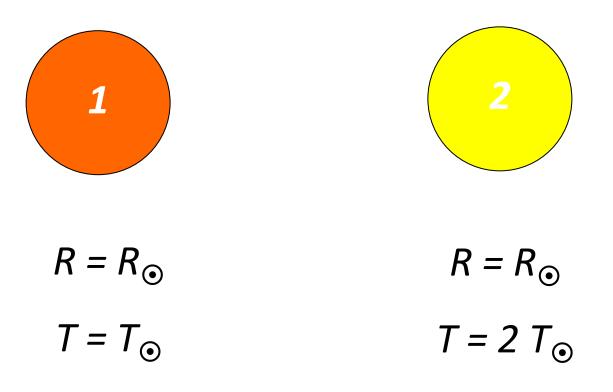
Henry Russell (1877 - 1957)



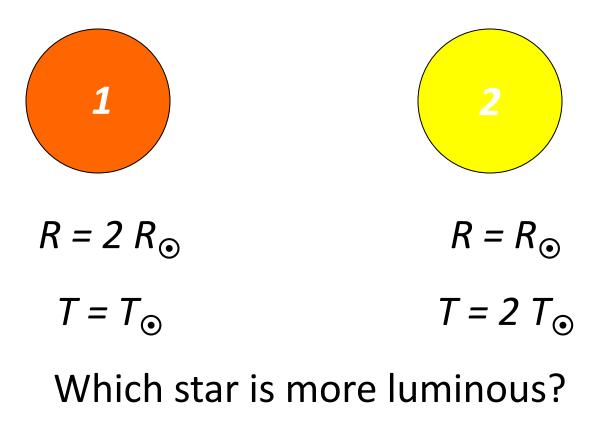
Which star is more luminous?



- Each cm² of each surface emits the same amount of radiation.
- The larger star emits more radiation because it has a larger surface. It emits 4 times as much radiation.



Which star is more luminous?



The hotter star is more luminous.

Luminosity varies as T^4 (Stefan-Boltzmann Law)

Luminosity Law

$L \propto R^2 T^4$

Luminosity \propto surface area \propto (Radius)² Luminosity \propto (Temperature)⁴

If star A is 2 times as hot as star B, and the same radius, then it will be $2^4 = 16$ times as luminous.

Where do stars form?

• Bok globules for low mass stars



Rosette Nebula

Characteristics of the Globules: r < 1 pc $M < 1000 \text{ M}_{\odot}$ $T \approx 10 \text{ K}$

Where do stars form?

• Giant Molecular Clouds (GMC)





Characteristics of GMCs: 10 < r < 100 pc *M* up to a few 10^6 M_{\odot} $T \approx 10 \text{ K}$

Jeans Length - When does Gravity win?

- N molecules of mass m in a box of size L (do not confuse with the luminosity) at temperature T
- Gravitational Energy: $E_G \sim -\frac{G M^2}{I}$
- Thermal Energy: $E_T \sim N \ k \ T$
- Total mass: $M = N \ m \sim L^3 \rho$

• Ratio:
$$\frac{E_G}{E_T} \sim \frac{G M^2}{L N k T} \sim \frac{G (\rho L^3) m}{L k T} = \left(\frac{L}{L_J}\right)^2$$

• Jeans Length:
$$L_J \sim \sqrt{\frac{k T}{G \rho m}}$$

• Gravity wins when $L > L_J$

Jeans Mass

• Jeans Length:
$$L_J \sim \sqrt{\frac{k T}{G \rho m}}$$

• Jeans Mass:
$$M_J = L_J^3 \rho = \rho \left(\frac{k T}{G \rho m}\right)^{3/2} \propto T^{3/2} \rho^{-1/2}$$

Lowest Jeans Mass for cool and dense clouds

The first stage

- Gravity tries to pull material in < = > Pressure tries to push it out
- Time to collapse = free fall time t_G
- Gravitational acceleration: $g \sim \frac{G M}{L^2} \sim \frac{L}{t_c^2}$
- Time to collapse: $t_G \sim \sqrt{\frac{L}{g}} \sim \sqrt{\frac{L^3}{GM}} \sim \frac{1}{\sqrt{G\rho}}$
- Note:
 - Denser regions collapse faster
 - Independent of the size

The first stage

• Pressure waves travel at the sound speed c_S

• For ideal gas:
$$c_S \sim \sqrt{\frac{P}{\rho}} \sim \sqrt{\frac{kT}{m}}$$

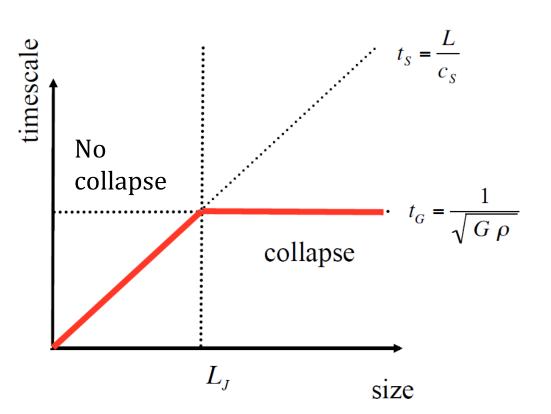
- Sound crossing time: $t_S \sim \frac{L}{c_S} \sim L \sqrt{\frac{m}{kT}}$
- Note: faster for smaller and hotter regions

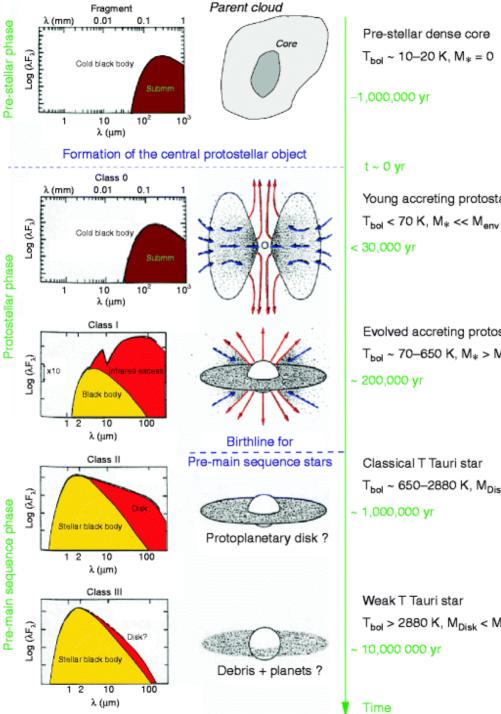
The first stage

• Ratio of time scales:

$$\frac{t_S}{t_G} \sim \frac{L\sqrt{G\rho}}{c_S} \sim L\sqrt{\frac{G\rho m}{kT}} \sim \frac{L}{L_J}$$

- Jeans Length: $L_J \sim \frac{c_S}{\sqrt{G \rho}}$
- Larger clouds are more likely to collapse





Young accreting protostar Condensation of in-falling molecular gas Hydrostatic low-luminosity proto-stellar object Protostar still enshrouded by optically Evolved accreting protostar T_{bol} ~ 70-650 K, M_{*} > M_{env}

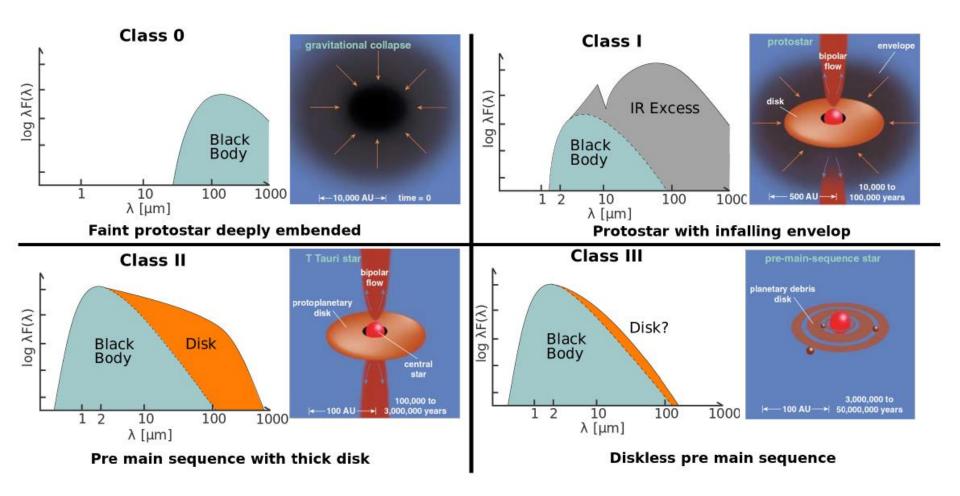
thick material. Emission from thermal winds/jets ionized by neutral winds impacting the ambient medium

Optical emission starts to come out Classical T Tauri star T_{bol} ~ 650–2880 K, M_{Disk} ~ 0.01 M_O along with an outflow and wind ~ 1,000,000 yr

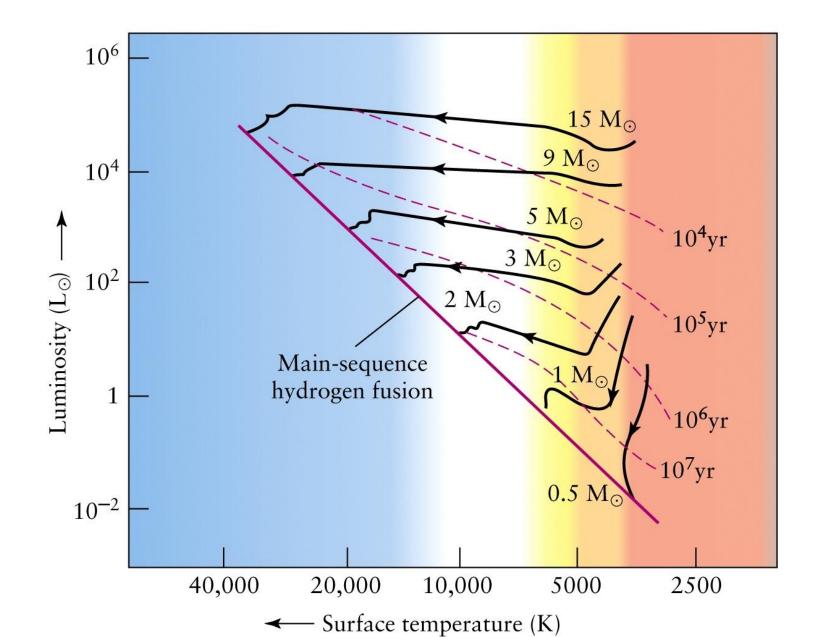


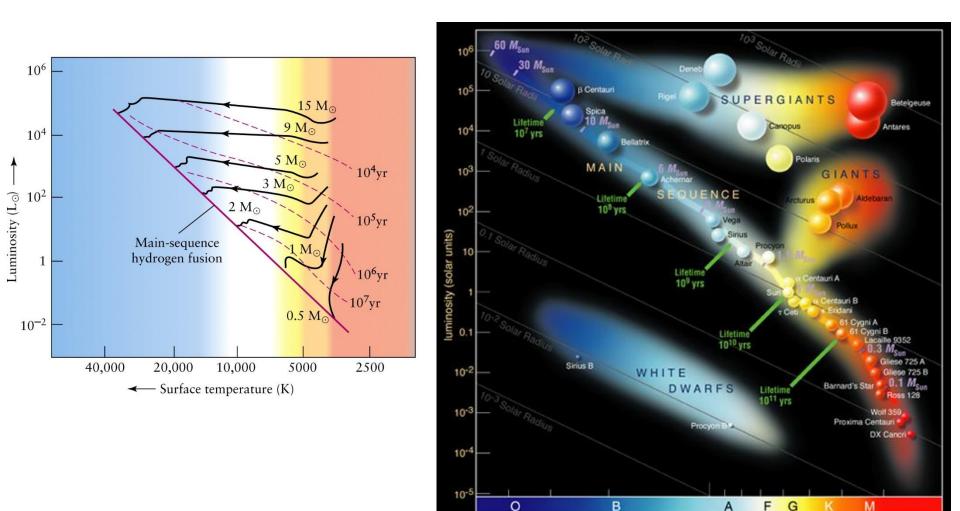
The star approaches the main sequence. Accretion substantially halted, protoplanetary disks may be present.

Time



PROPERTIES	Infalling Protostar	Evolved Protostar	Classical T Tauri Star	Weak-lined T Tauri Star	Main Sequence Star
SKETCH			×	\mathbf{X}	• () o
Age (years)	104	10 ⁵	10 ⁶ - 10 ⁷	10 ⁶ - 10 ⁷	> 10 ⁷
mm/INFRARED CLASS	Class 0	Class I	Class II	Class III	(Class III)
Disk	Yes	Thick	Thick	Thin or Non-existent	Possible Planetary System
X-RAY	?	Yes	Strong	Strong	Weak
THERMAL RADIO	Yes	Yes	Yes	No	No
NON-THERMAL RADIO	No	Yes	No ?	Yes	Yes





в

30,000

increasing

temperature

A

surface temperature (Kelvin)

10,000

6,000

М

3,000

decreasing

temperature